

Cosmological Effects of Coupled Dark Matter

Sophie C. F. Morris

Particle Theory Group, University of Nottingham

arxiv:1304.2196 “Cosmological effects of coupled dark matter” - SCFM, Anne Green,
Antonio Padilla, Ewan Tarrant

In prep: “Constraints on coupled dark matter using Planck data” - SCFM, Anne Green

Outline

- Introduction
- Background Cosmology
- Perturbations
- CMB power spectrum and constraints
- Conclusion

Introduction

- Quintessence scenarios with scalar field dark energy often couple to dark matter
- Main differences with literature
 - Only a fraction of CDM coupled to scalar field
 - No potential i.e. massless scalar

Background Cosmology

- Friedmann equation

$$H^2 = \frac{8\pi G}{3} \left(\rho_\Lambda + \rho_{\text{SM}} + \rho_c + \frac{1}{2}\dot{\phi}^2 + \rho_* e^{\alpha\phi} \right)$$

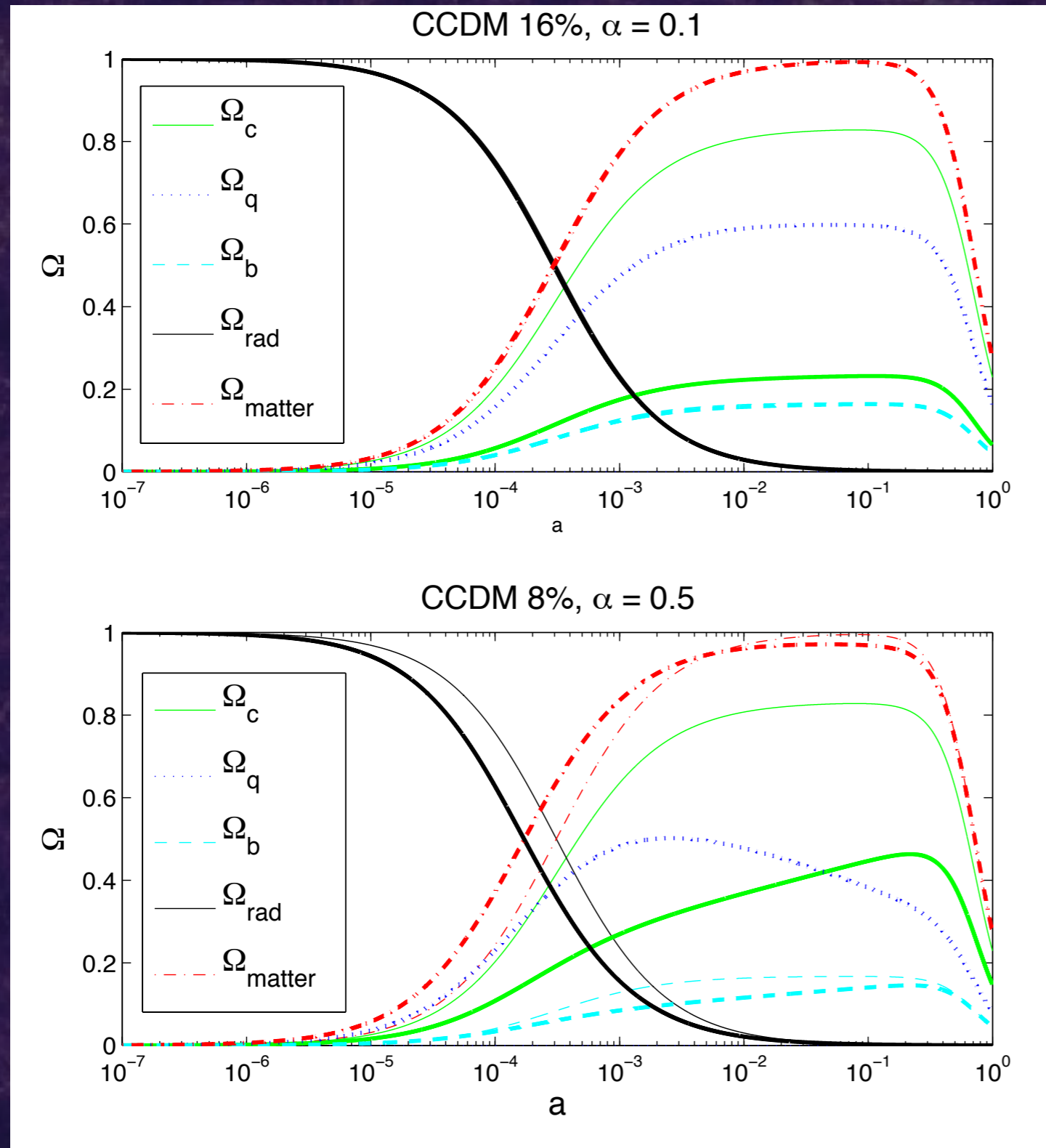
- Klein Gordon equation

$$\ddot{\phi} + 3H\dot{\phi} + \alpha\rho_* e^{\alpha\phi} = 0$$

ρ_* - is conserved density of coupled CDM obeying the fluid equation

α - coupling constant i.e. strength of coupling to scalar field

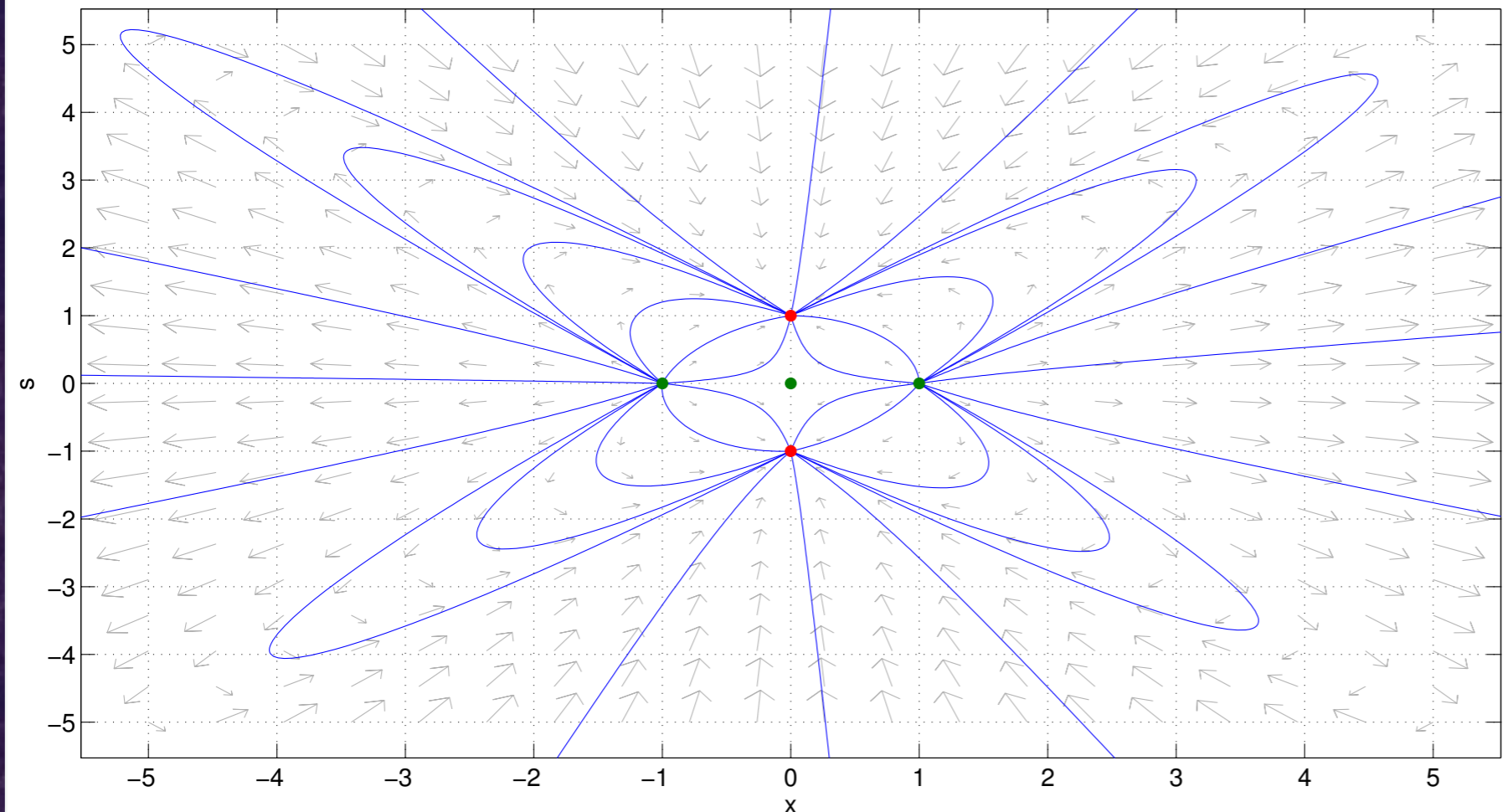
Background Evolution



- Our model - thick lines
 Λ CDM - thin lines
- Cannot assume Λ CDM background

Dynamical Systems

Phase Portrait in s-x plane showing Λ Domination



All solutions end in Λ domination (red points) and other solutions are unstable (green points)

$$x \equiv \frac{\dot{\phi}}{\sqrt{6}H} \quad y \equiv \frac{1}{H} \sqrt{\frac{\rho_\gamma}{3}} \quad z \equiv \frac{1}{H} \sqrt{\frac{\rho_* e^{\alpha\phi}}{3}} \quad s \equiv \frac{1}{H} \sqrt{\frac{\rho_\Lambda}{3}}$$

Perturbations

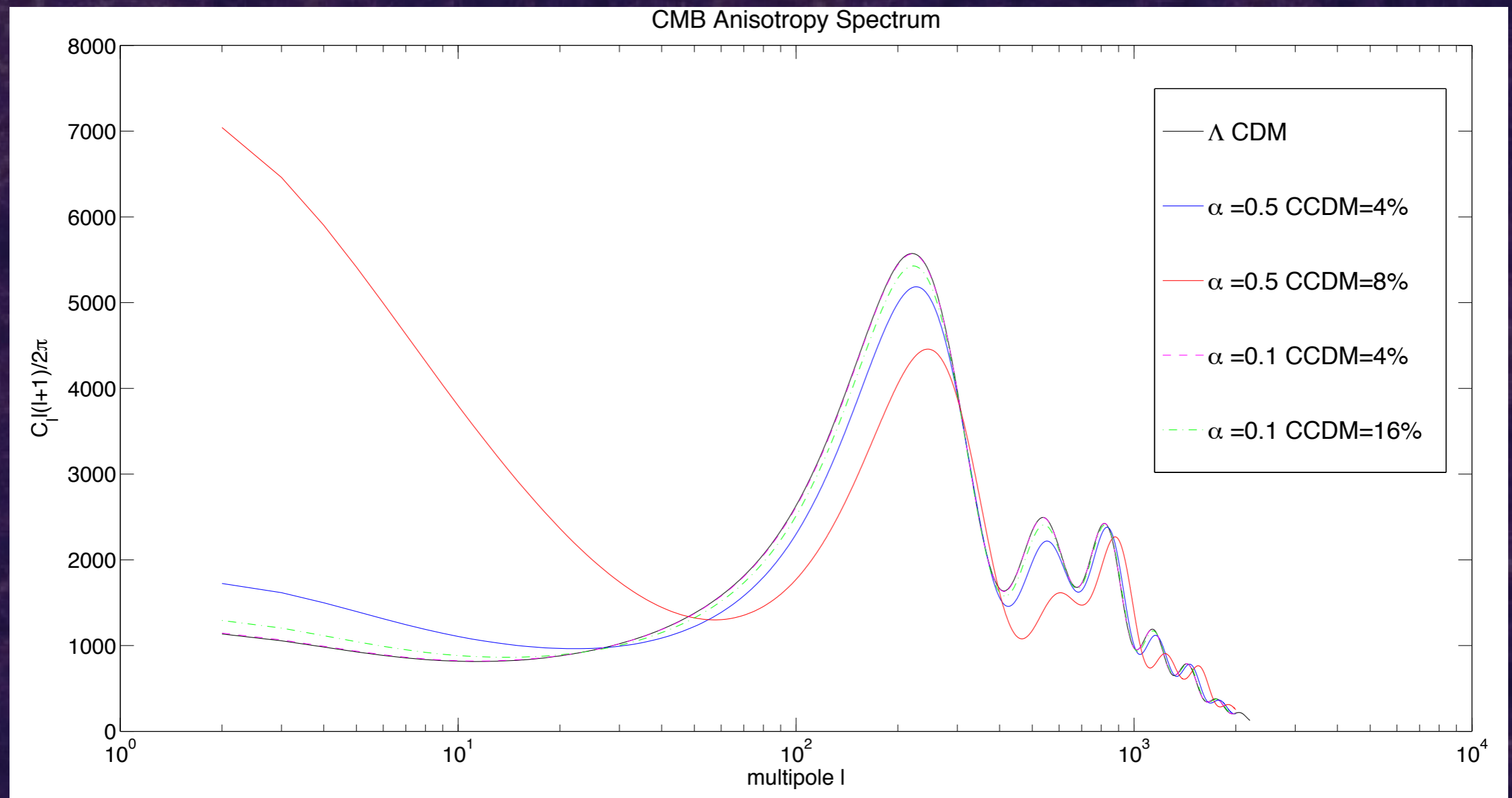
- Coupled dark matter density and velocity perturbations

$$\begin{aligned}\delta'_q &= -\theta_q - \frac{1}{2}h' + \alpha\delta\phi' \\ \theta'_q &= -\theta_q\mathcal{H} + \alpha(k^2\delta\phi - \phi'\theta_q)\end{aligned}$$

- Perturbed scalar field equation

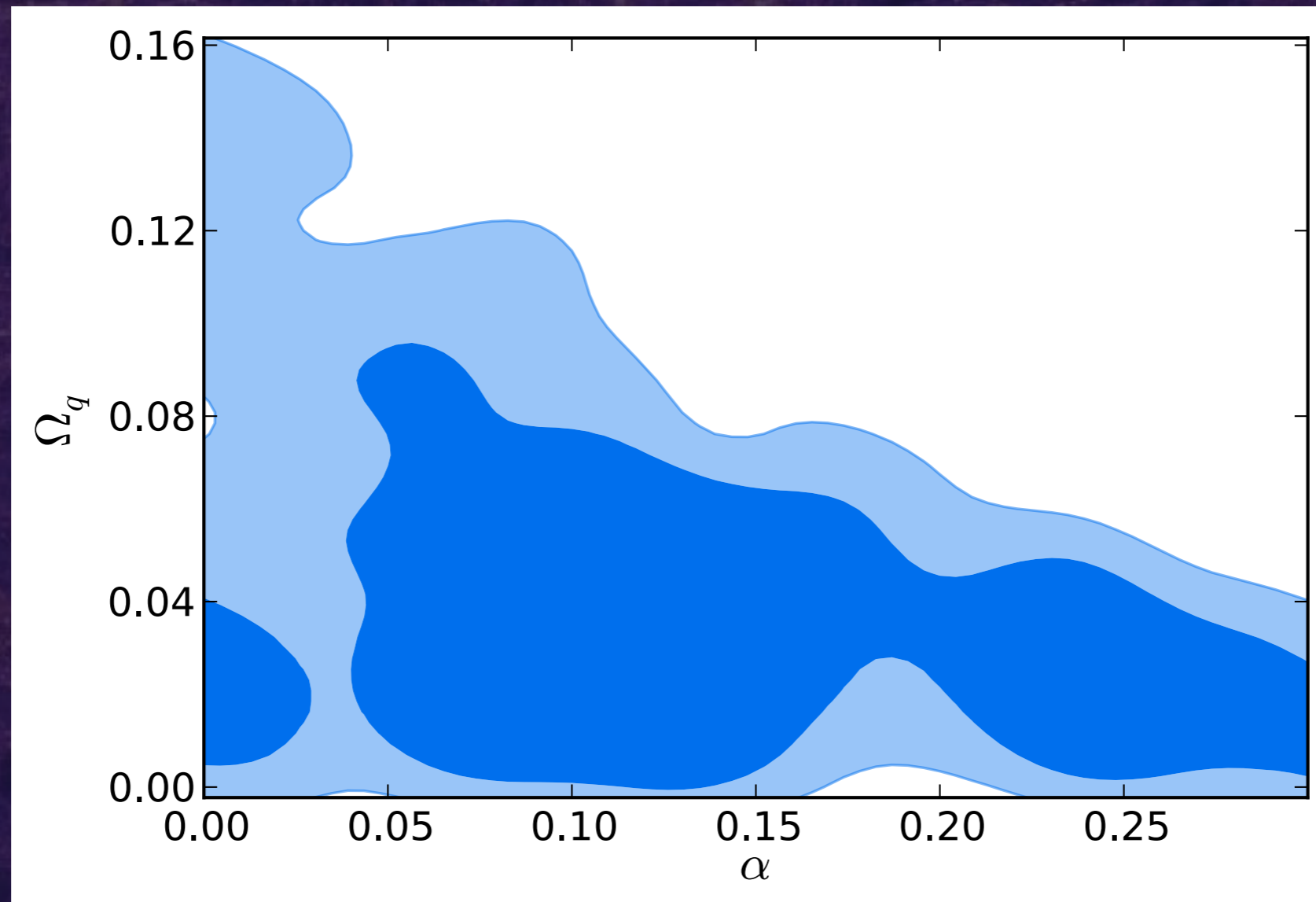
$$\delta\phi'' + 2\mathcal{H}\delta\phi' + k^2\delta\phi + \frac{1}{2}h'\phi' = -\alpha a^2\delta\rho_q$$

CMB anisotropy spectra



With over half of dark matter in coupled form CMB is very close to Λ CDM

CosmoMC constraints

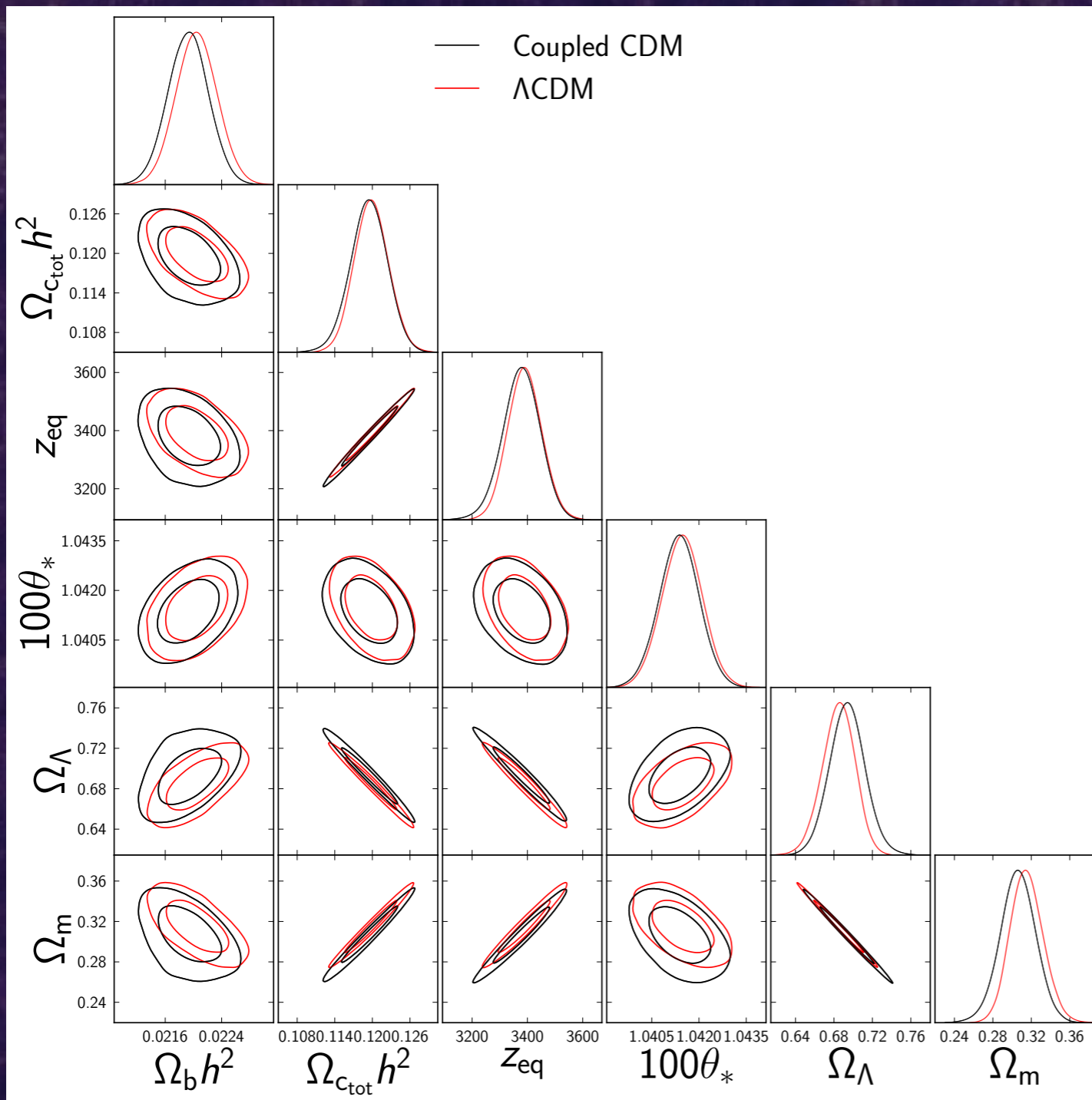


95% confidence limits

$$\Omega_q < 0.13$$

$$\alpha < 0.26$$

CosmoMC constraints



Even for tightly constrained parameters we still match the Λ CDM parameters very well

Conclusions

- Cannot assume Λ CDM background
- Removing potential leaves only unstable solutions resulting in Λ domination
- Can have over half of CDM in coupled form and still obtain a good match to observations