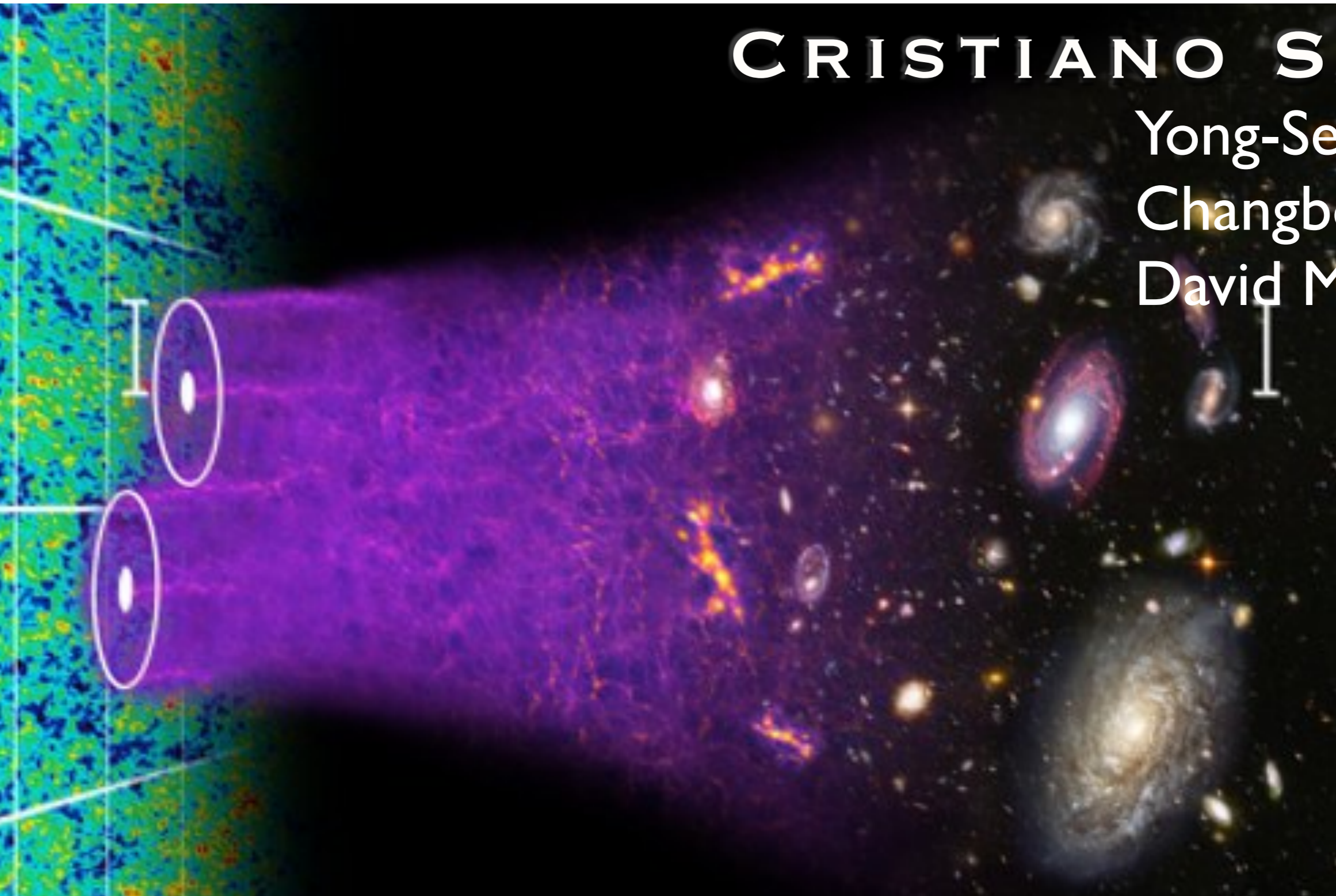


Cosmic Distances Probed Using The BAO Ring + Modified Gravity and Clustering

CRISTIANO SABIU

Yong-Seon Song
Changbom Park
David Mota



- Background
 - DESI
 - What do we want?
 - From observations to theory
- Model-independent estimates of cosmic observables
 - utilizing the Alcock-Paczynski effect
 - Clustering peaks (w/ YongSeon Song)
- Testing gravity
 - Higher Order Statistics
 - can we distinguish GR+ Λ CDM from others?
(w/ Chnagbom Park & David Mota)

Next Generation Survey

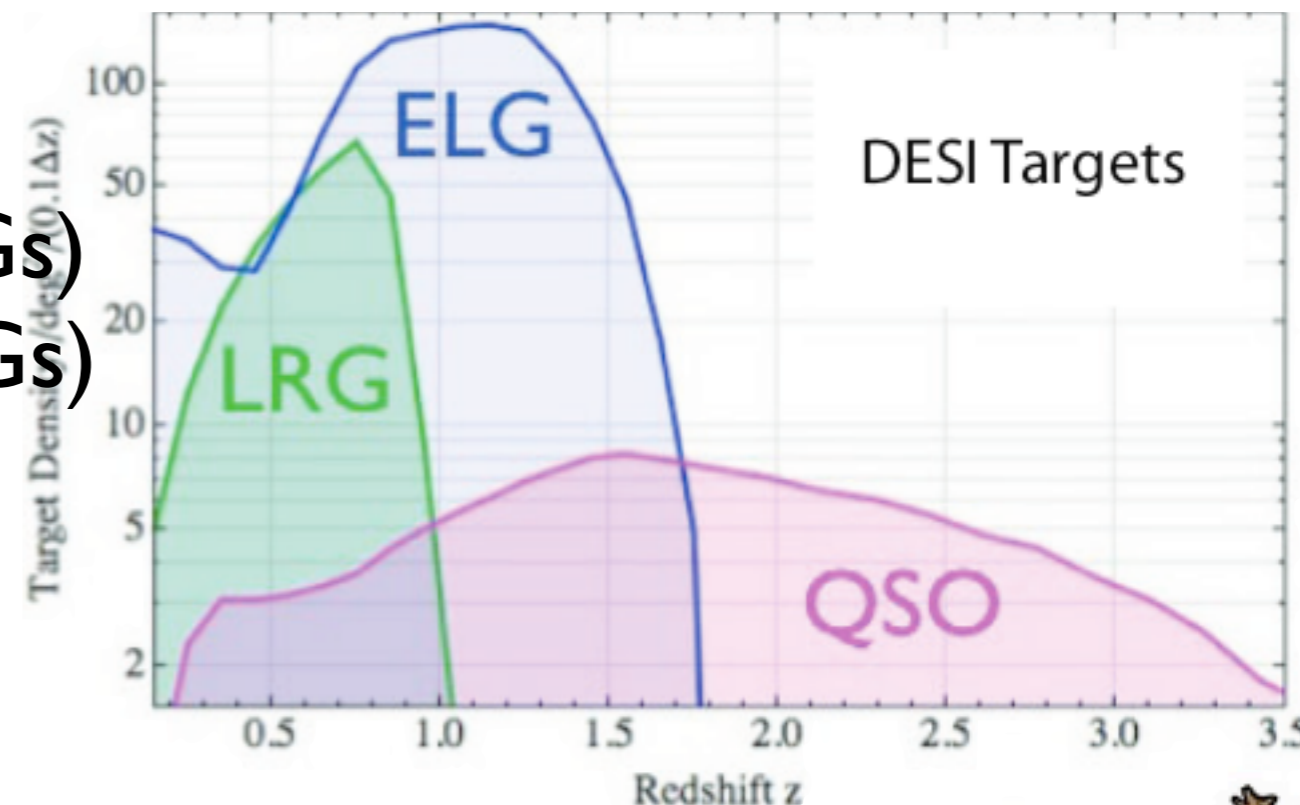


The DESI (the Dark Energy Spectroscopic Instrument) project was formed in 2012 from the merger of the BigBoss and the DESpec wide field, multi-object spectrograph concepts.

The DESI collaboration is led by LBNL and has 21 US Universities, 5 DOE labs, 19 foreign institutions, totaling >200 collaborators.

Will produce the measurements of BAO by performing a spectroscopic survey over 14,000 sq. degrees out to redshifts of 3.5

- 4M Luminous Red Galaxies (LRGs)
- 23M Emission Line Galaxies (ELGs)
- 1.4M quasars (QSO)
- 0.6M quasars at $z > 2.2$ for Lyman-alpha-forest



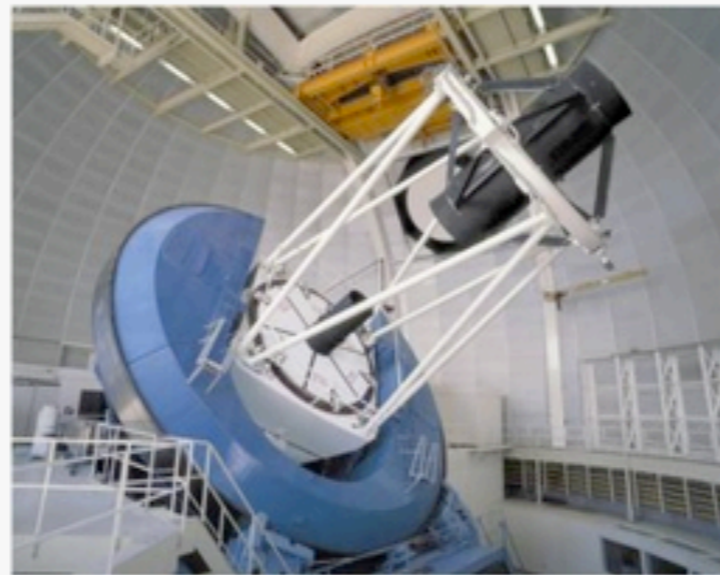
DESI Survey



DESI will be conducted on the Mayall 4-meter telescope at Kitt Peak National Observatory starting in 2018. DESI is supported by the Department of Energy Office of Science to perform this Stage IV dark energy measurement using baryon acoustic oscillations and other techniques that rely on spectroscopic measurements.



Exterior of Kitt Peak Mayall 4-meter telescope (Image: NOAO/AURA/NSF)



The Kitt Peak National Observatory's Mayall 4-meter telescope (Image: NOAO/AURA/NSF)

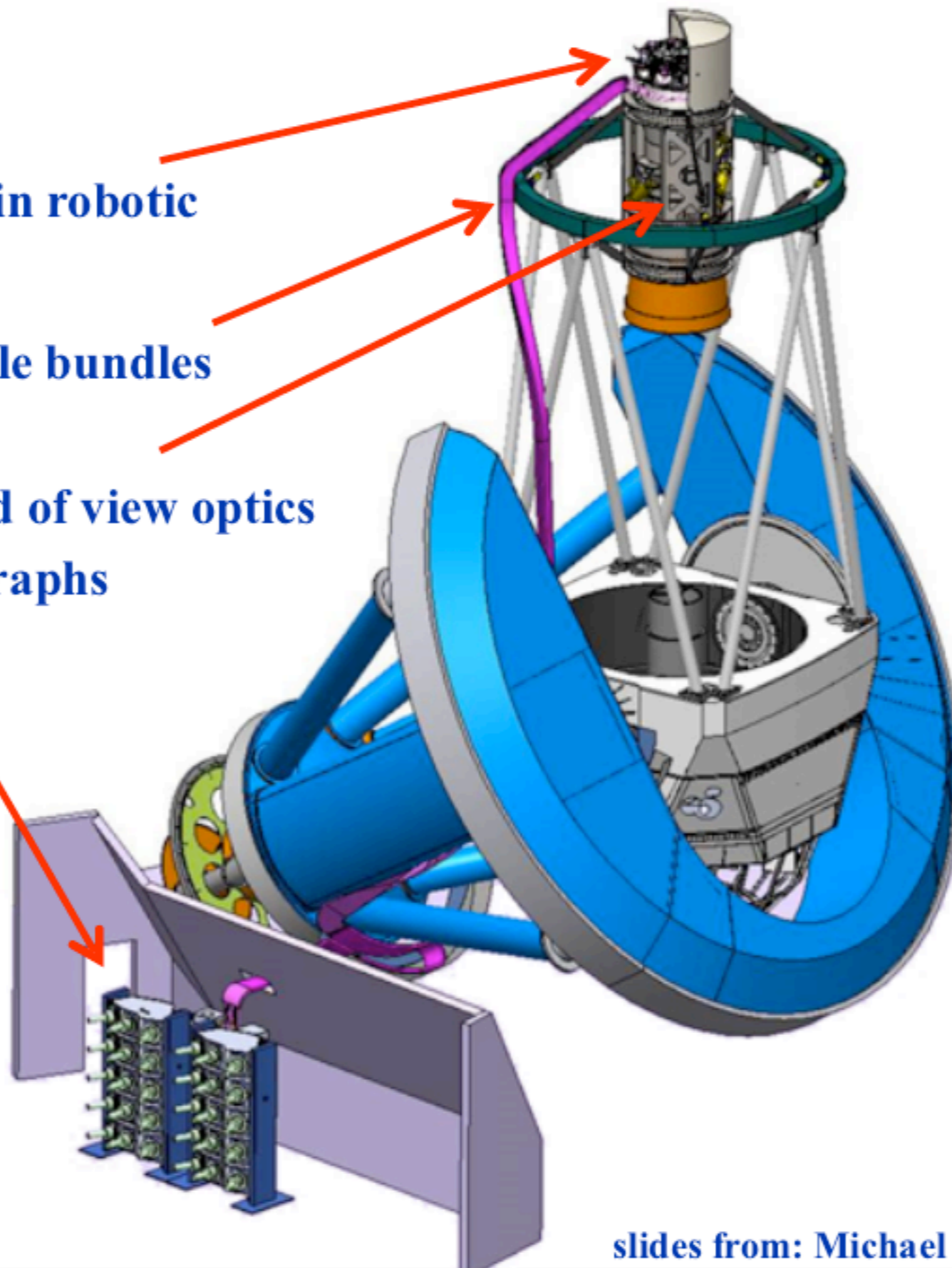


A model of the Mayall telescope with a DESI Prime Focus Assembly

DESI

- 5000 fibers in robotic actuators
- 10 fiber cable bundles
- 3.2 deg. field of view optics
- 10 spectrographs

Readout
& Control



Mayall 4m
Telescope
Kitt Peak
Tucson, AZ

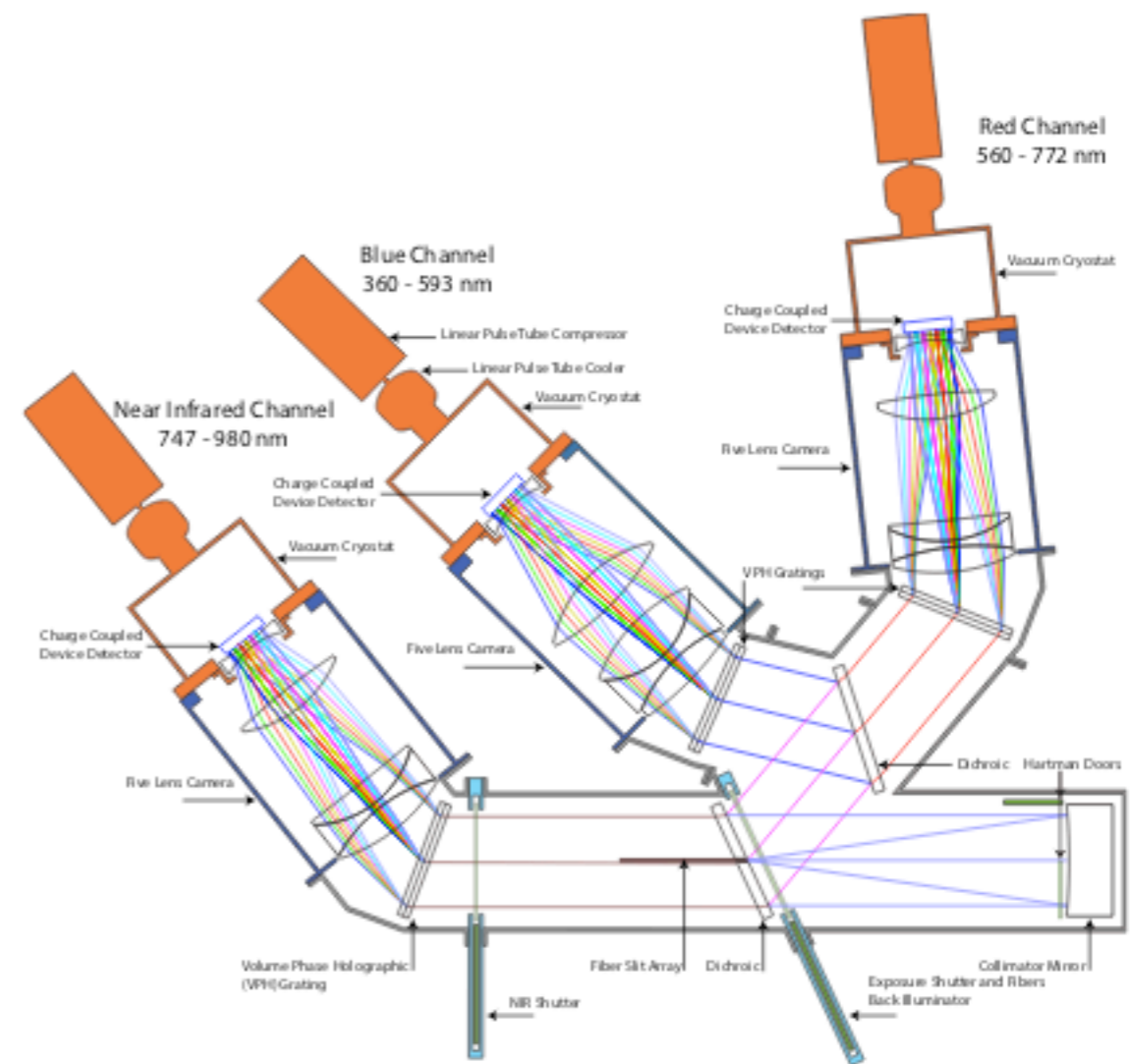
DESI Survey



The spectrograph design was finalized last year.
The three arms cover wavelength range from
360 nm to 980 nm with
resolution

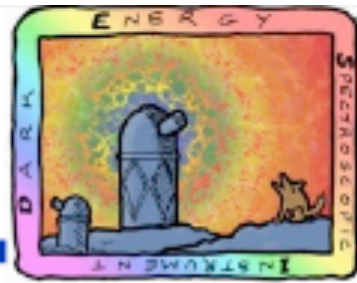
$R = \lambda/d\lambda = 2000 - 5500$
depending on wavelength,
meeting or exceeding
the DESI requirements.

The 1st spectrograph
fabrication has started and
will be complete this year



Each unit serves 500 fibers
One of ten units

DESI Survey



first light in about 3 years

1. An imaging (targeting) survey over 14,000 deg²

g-band to 24.0 mag

r-band to 23.6 mag

z-band to 23.0 mag

2. A spectroscopic survey over 14,000 deg²

10 million Bright Luminous Galaxies

4 million Luminous Red Galaxies

23 million Emission Line Galaxies

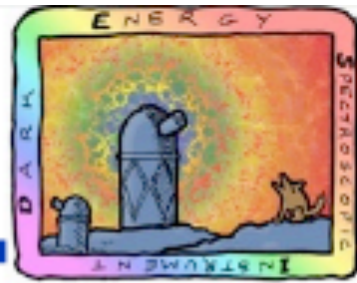
1.4 million quasars

0.6 million quasars at $z > 2.1$ for Lyman-alpha-forest

Last year, none of the imaging survey was secure

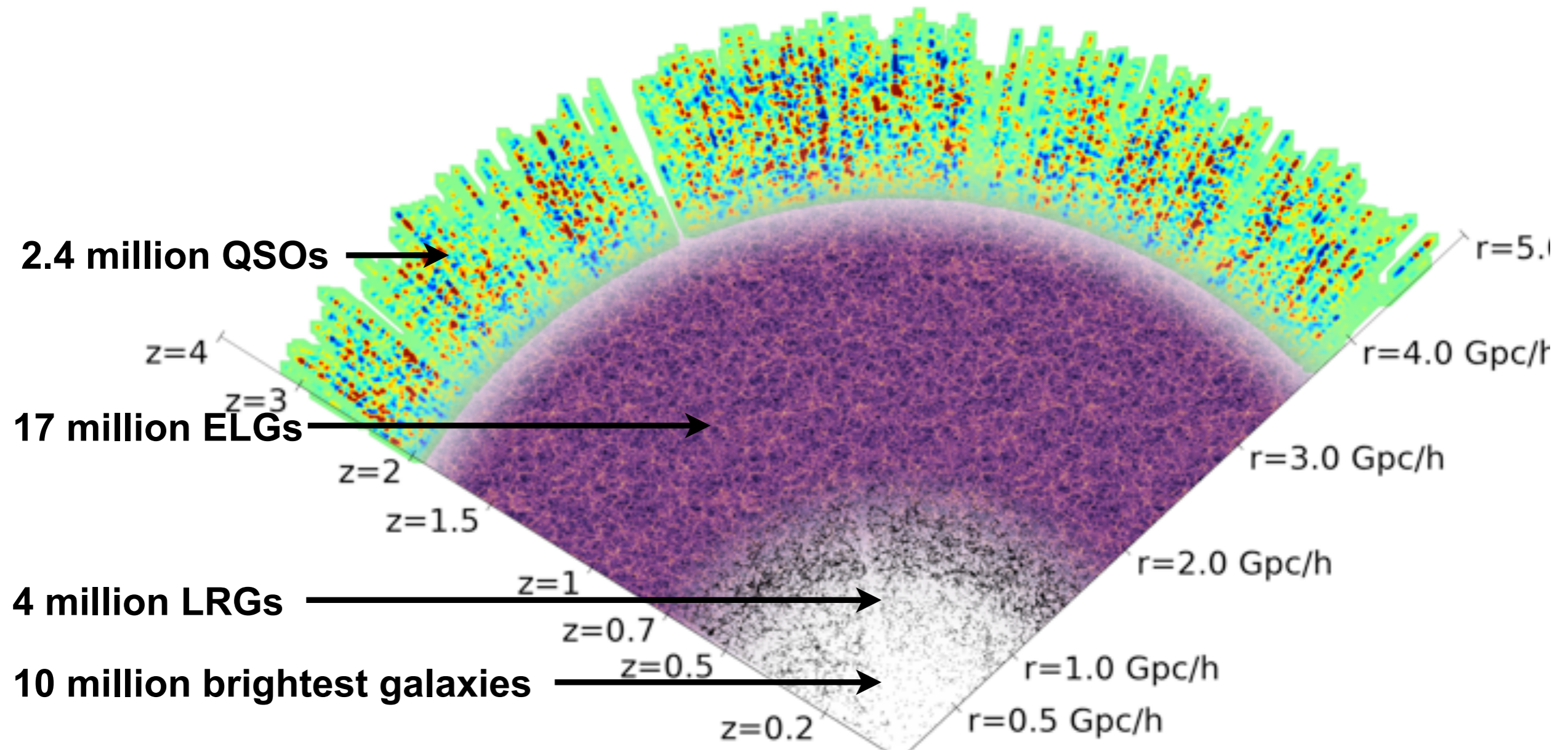
Today, mostly secured and in progress as public surveys

DESI Survey



The largest spectroscopic survey for dark energy

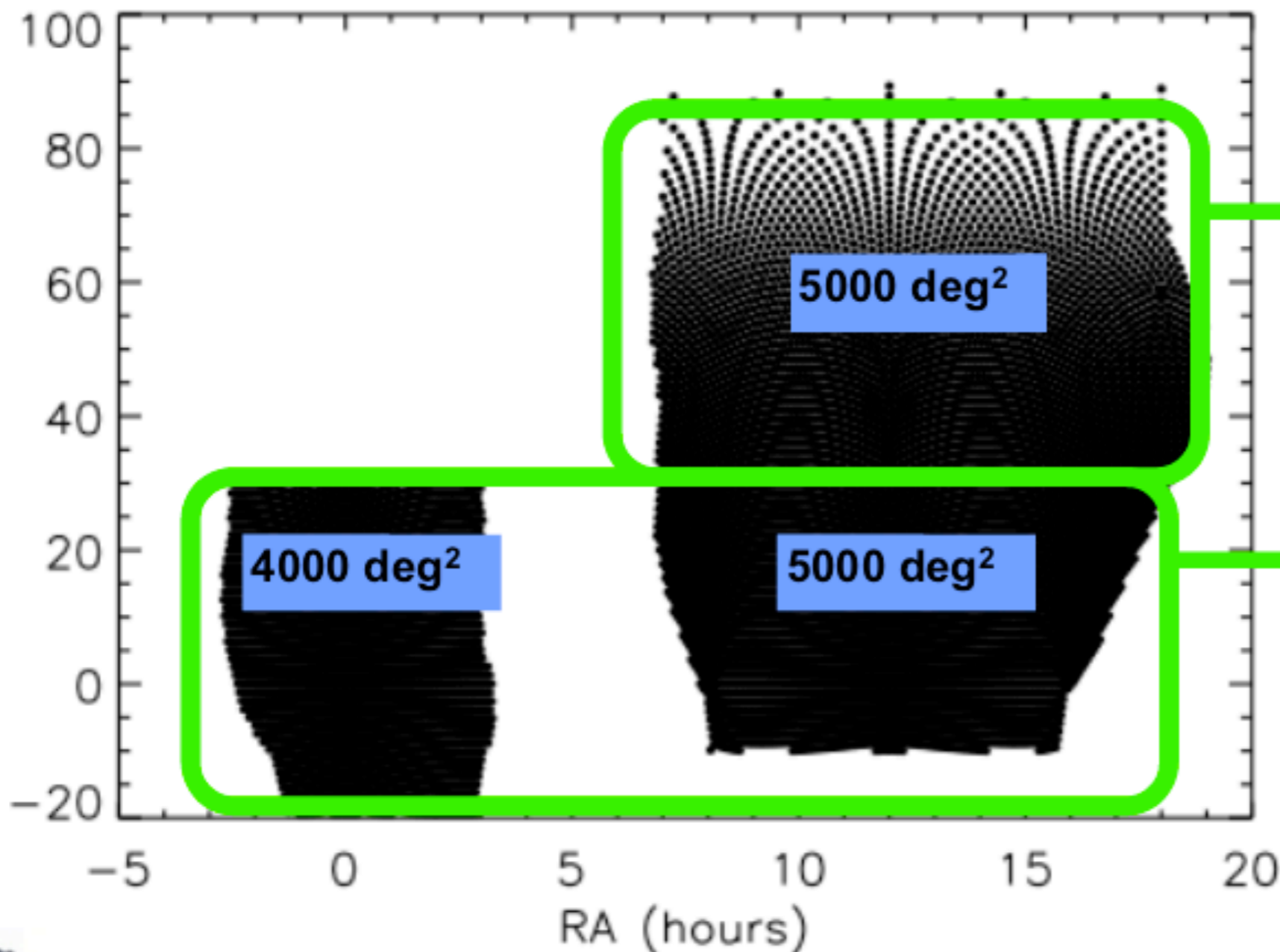
SDSS $\sim 2h^{-3}\text{Gpc}^3$ \rightarrow BOSS $\sim 6h^{-3}\text{Gpc}^3$ \rightarrow DESI $50h^{-3}\text{Gpc}^3$



Survey Area



Main survey areas now selected.
Exact survey strategy still to be decided.



“North cap”:
Accessible from Northern telescopes only

Observing gr bands with Bok
Plan to observe z with upgraded z band on Mayall.

“Equatorial”:
Accessible from Northern or Southern telescopes

Observing grz with DECam.
Approved project for 6700 sq. degrees.

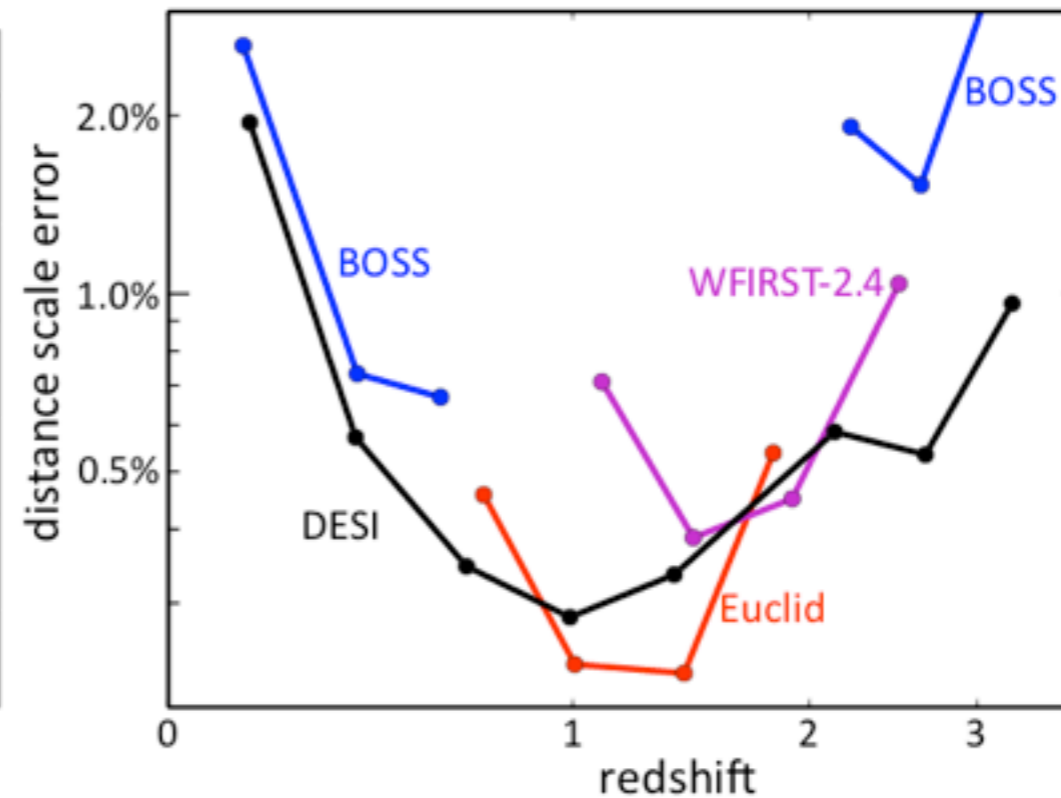
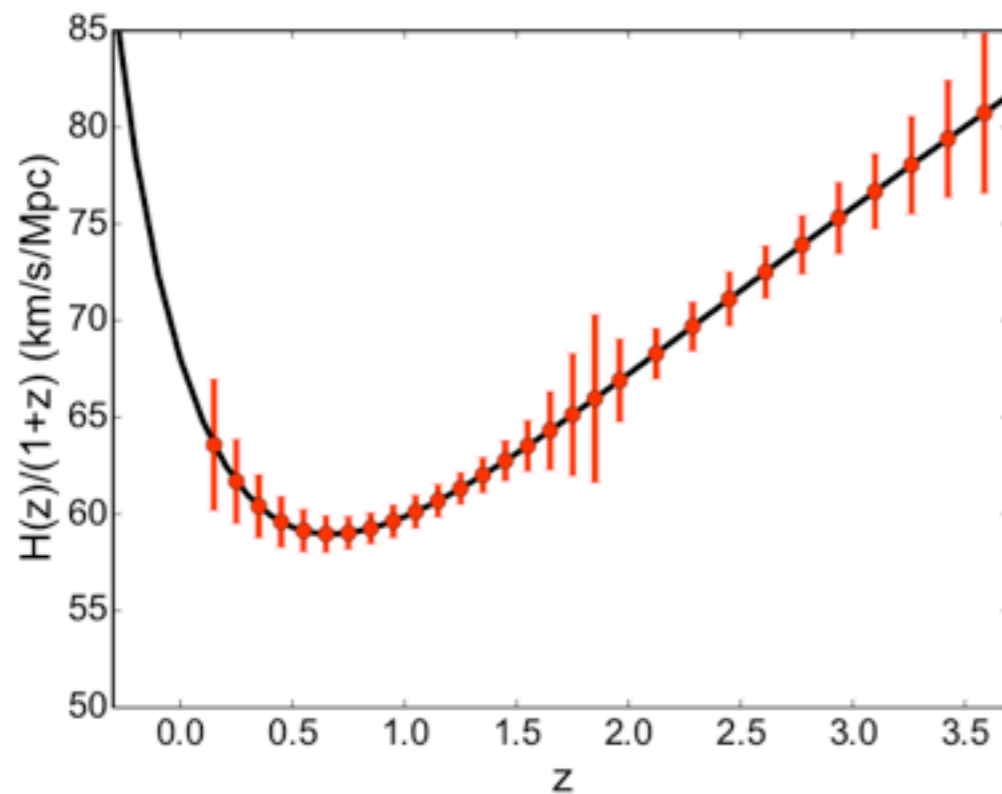
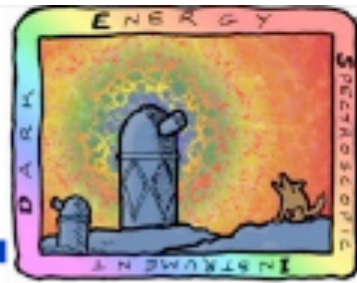
Survey Timeline



DESI Data Assemblies and Milestones

Imaging Surveys	2015--2018	Imaging DA Q3 2018
Prep for SV	2015--2018	December 2018
Science Verification	April--Oct 2019	SV DA March 2020
Season 1	Oct 2019--July 2020	DA1 Jan 2021
Papers on DA1		Nov 2021
Season 2	Aug 2020--Dec 2020	DA2 July 2021
Papers on DA2		April 2022
Season 6 (full data)	-- Dec 2024	DA6 July 2025
Final Cosmology Results		April 2026

DESI Expectation



DESI will produce a world leading survey of the the cosmic distance scale.

Will measure distance scale to better than 0.3% statistical errors.

Key observables in spectroscopic galaxy surveys:

(1) Angular diameter distance D_A

- Exploiting BAO as standard rulers which measure the angular diameter distance and expansion rate as a function of redshift.

(2) Radial distance H^{-1}

- Exploiting redshift distortions as intrinsic anisotropy to decompose the radial distance represented by the inverse of Hubble rate as a function of redshift.

$$H(z) = H_0 \sqrt{\Omega_m a^{-3} + (1 - \Omega_m) a^{-3(1+w)}},$$
$$D_A(z) = \frac{1}{1+z} r(z) = \frac{1}{1+z} \int_0^z \frac{dz'}{H(z')},$$

(3) Growth Rate, f ($d\delta/d \ln a$)

- The coherent motion, or flow, of galaxies can be statistically estimated from their effect on the clustering measurements of large redshift surveys, or through the measurement of redshift space distortions.

These are essential to test theoretical models explaining cosmic acceleration; Λ CDM, Dynamical DE, Einstein's gravity

From Observation to theory



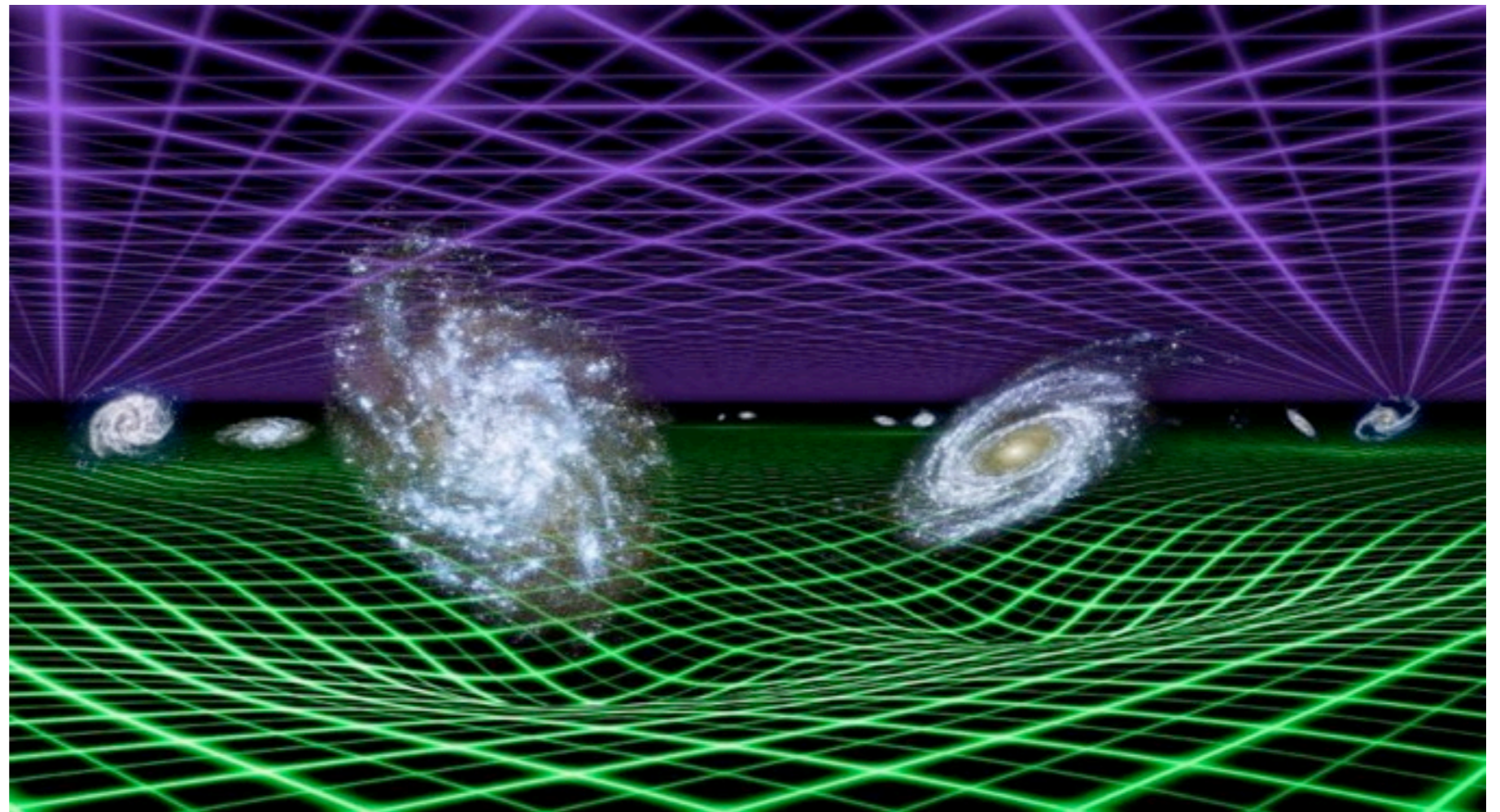
- We want to know the density perturbations in the universe (at various cosmic times). This will tell us about the cosmic expansion (a) and gravity, through the growth of structure.

We don't 'see' perturbations of the total density field.

We observe individual galaxies that trace that underlying matter distribution.

How are galaxies and DM related?

- Halo Model
- Bias
 - Scale Dependent?
- Velocity Field Bias?



From Observation to theory



- We want to know the density perturbations in the universe (at various cosmic times). This will tell us about the cosmic expansion (a) and gravity, through the growth of structure.

Also....

We don't 'see' the true radial position of galaxies

We see its redshift, which is composed of a Hubble expansion and a peculiar velocity due to local gravitational dynamics.

Furthermore, even if the galaxy is not moving gravitationally, we still do not know its true position in comoving space, since we need to transform (theta, phi, redshift) \rightarrow (x,y,z) using a cosmological model with a specific choice of parameters. Eg LCDM $\Omega_m=0.3$, $\Omega_l=0.7$, $w=-1$ etc etc

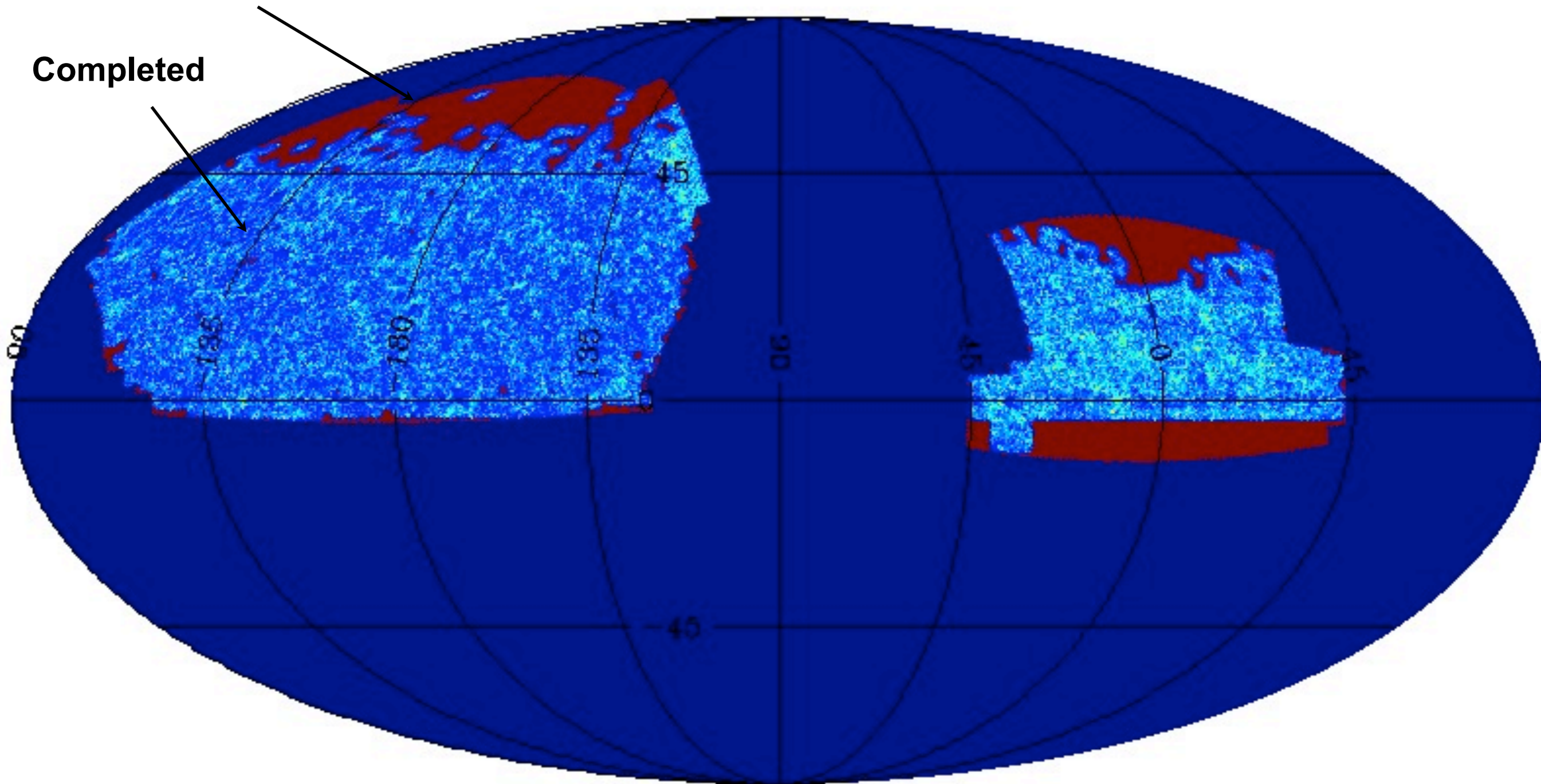
So, where do we go from here?

BOSS: Survey Progress

BOSS July 2013 (Data Release 11)

Final footprint

Completed



Correlation Functions

We want to evaluate:
where δ is the density
contrast

$$\langle \delta(x) \delta(x + r) \rangle$$

We call this the Two Point
Correlation Function (2PCF)

$$\xi_i(r) = \frac{n_i(r)}{\bar{n}.dV} - 1$$

The estimator for this
statistic is:

$$\xi(r) = \frac{DD - 2DR + RR}{RR}$$

This lead to the probability:

$$dP = n^2 [1 + \xi(r)] dV_1 dV_2$$

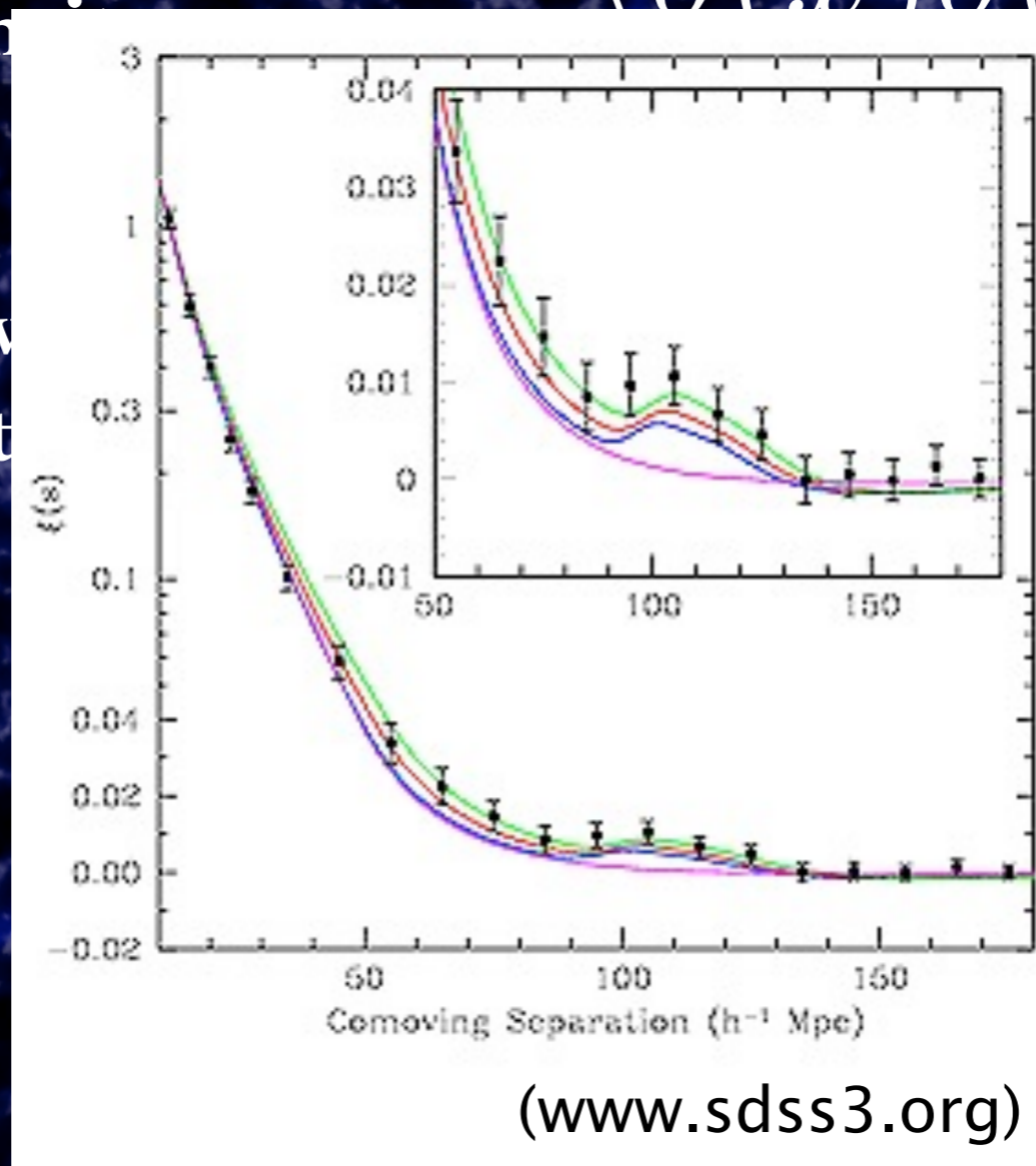
Correlation Functions

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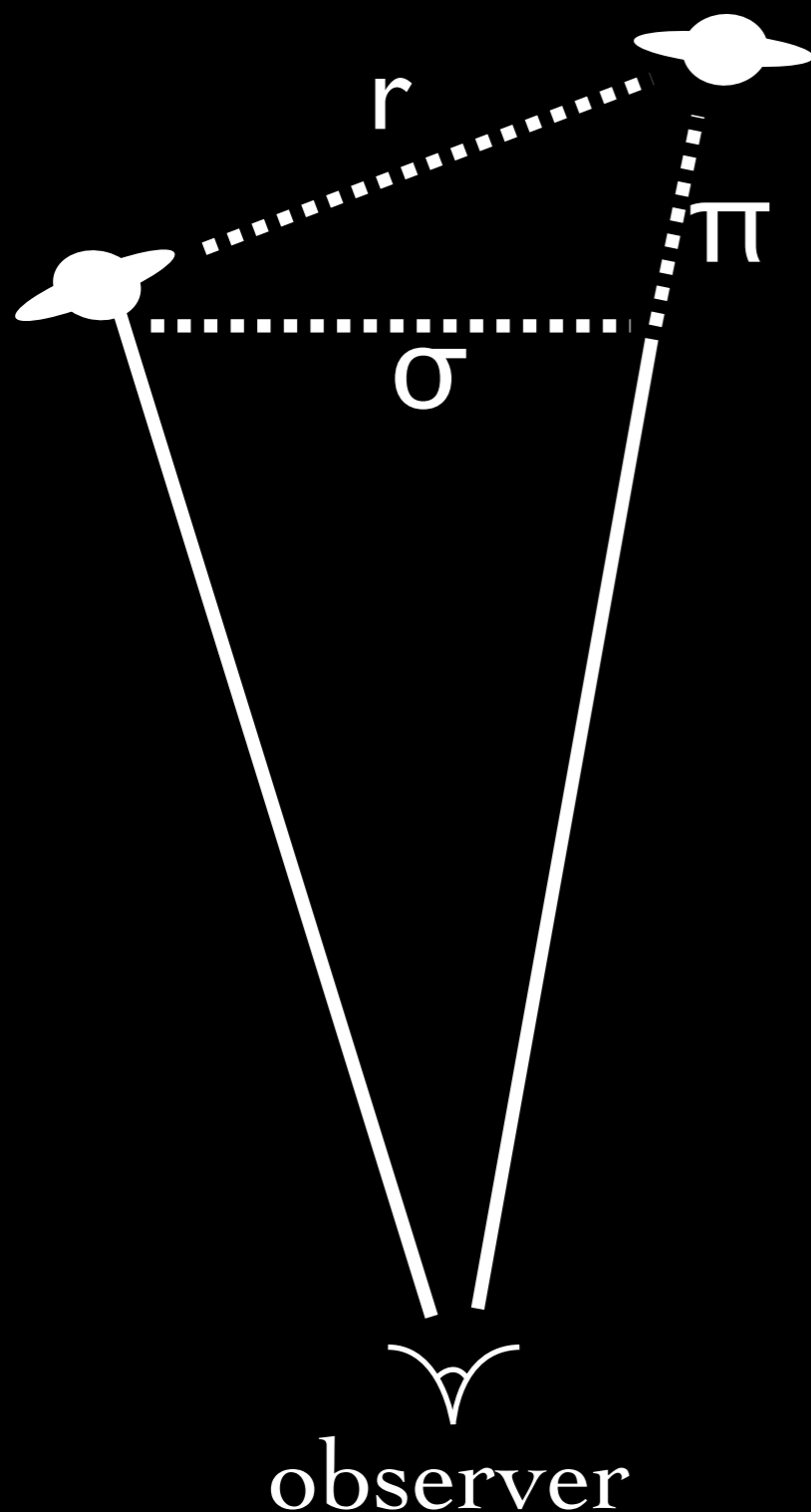
$$\frac{-2DR + RR}{RR}$$

This leads to the probability:

$$dP = n^2 [1 + \xi(r)] dV_1 dV_2$$

Anisotropic 2PCF

From 1D to 2D



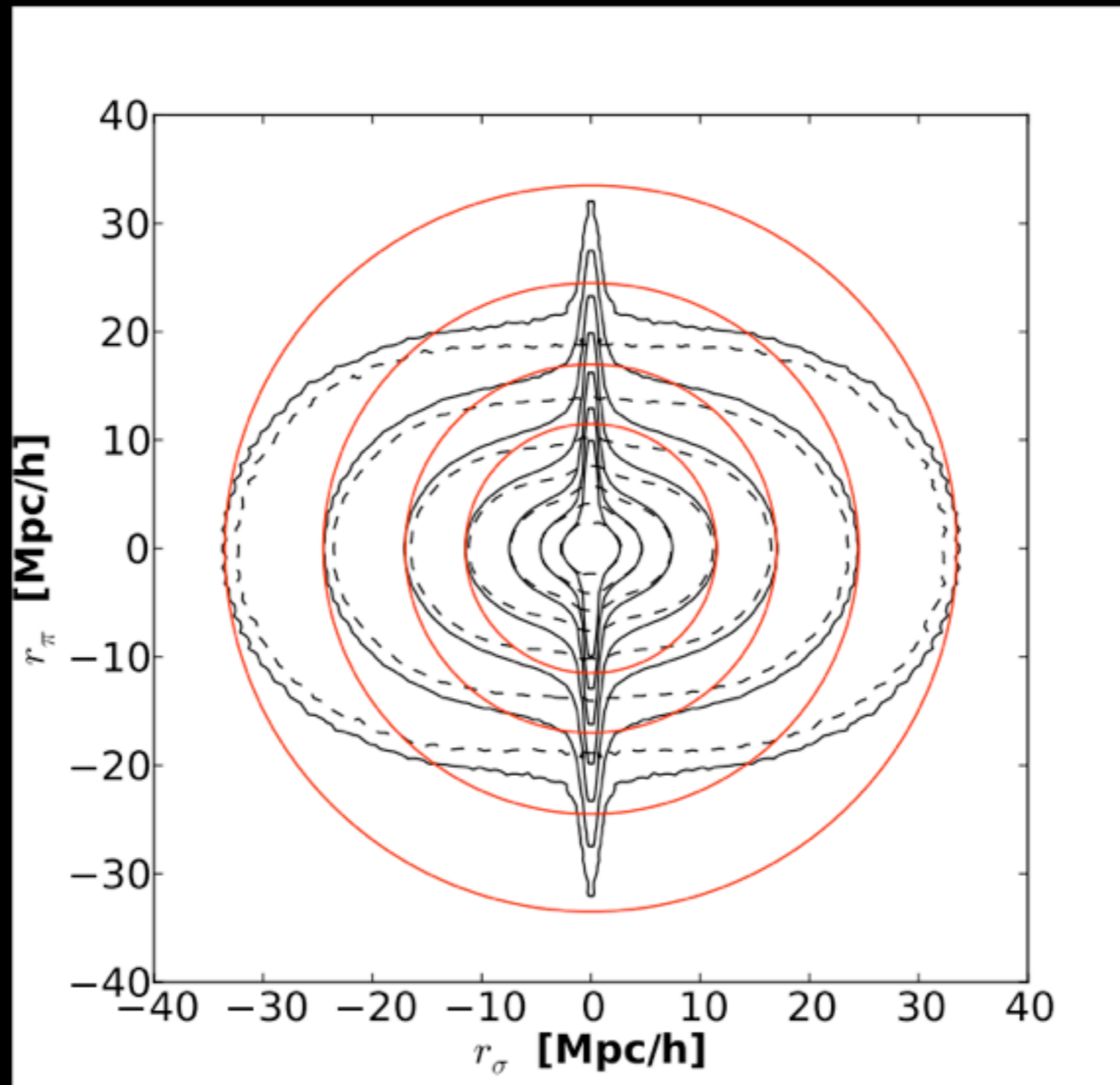
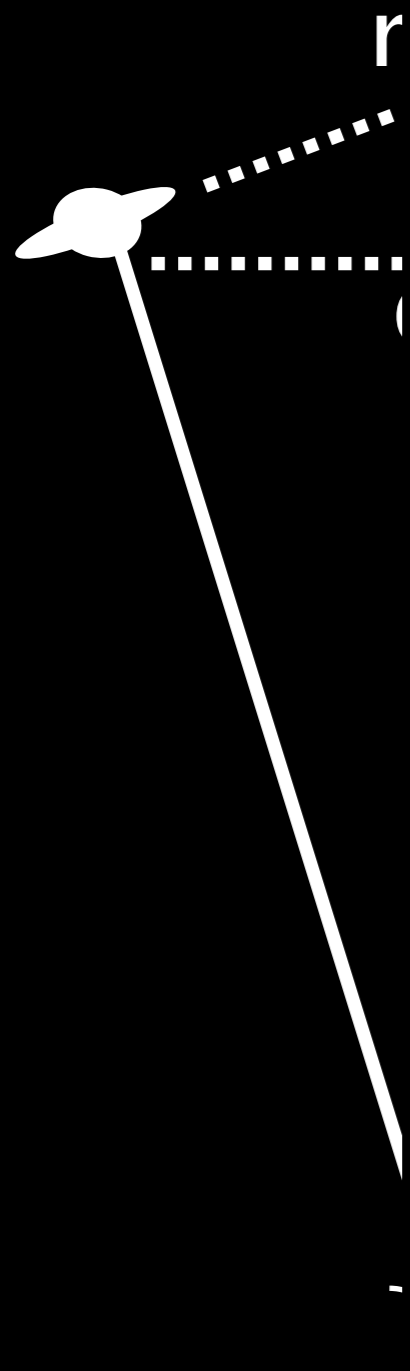
Bin galaxy pairs in two distances (π, σ) instead of the single distance between pairs, r .

Apart from the binning this is the same as doing the 2PCF.

And if there are no preferred directions then the correlation function will give perfectly circular contours in (π, σ) .

$$\xi(r) = \frac{DD - 2DR + RR}{RR}$$

Anisotropic 2PCF



ances (π, σ)
between

s the same

directions
will give
 (π, σ) .

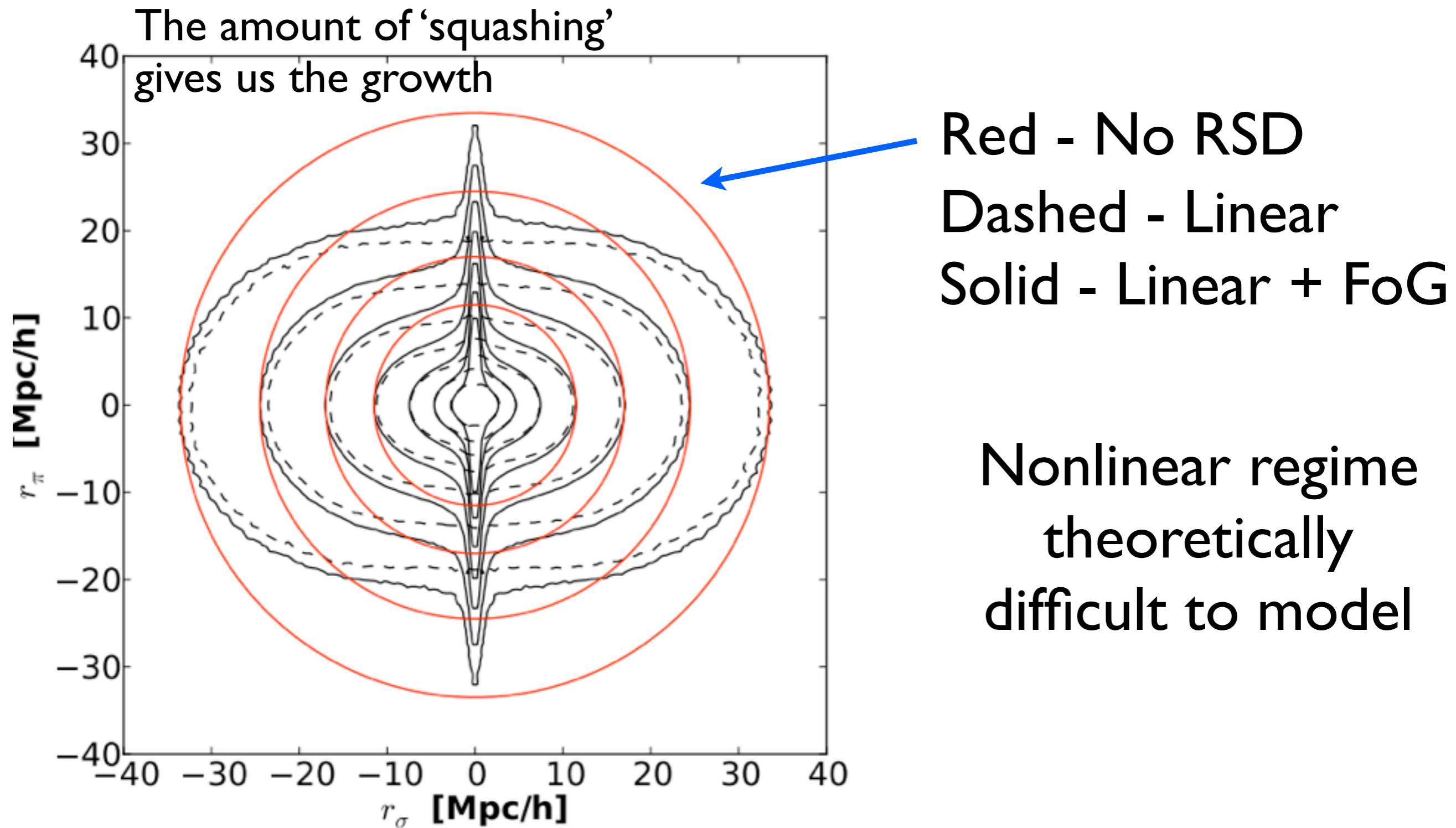
RR

observer

3 contributions to anisotropic clustering:

- Non-linear, Fingers of God (FoG)
- Linear, Large Scale Velocities (Kaiser)
- Incorrect cosmological parameters
 - Alcock-Paczynski effect (AP)

Anisotropic 2PCF



M. White et al (2011)

Taruya, Nishimichi, Saito (2010) arXiv: 1006.0699

In going to larger scales and with more precise measurements, theoretical advancements must also be utilized.

$$\tilde{P}(k, \mu) = \{P_{\delta\delta}(k) + 2\mu^2 P_{\delta\Theta}(k) + \mu^4 P_{\Theta\Theta}(k)\} \exp\{-(k\mu\sigma_p)^2\} \quad \text{Streaming model}$$

Kaiser and FoG cannot be so simply separated as the two functions are anisotropic in k-space. Since in general,

$$\langle ABe^C \rangle \neq \langle AB \rangle \langle e^C \rangle$$

TNS proposed an improved model of the redshift-space power spectrum, in which the coupling between the density and velocity fields associated with the Kaiser and the FoG effects is perturbatively incorporated into the power spectrum expression. The resultant expression includes nonlinear corrections consisting of higher-order polynomials.

TNS model

$$\tilde{P}(k, \mu) = \{P_{\delta\delta}(k) + 2\mu^2 P_{\delta\Theta}(k) + \mu^4 P_{\Theta\Theta}(k) + A(k, \mu) + B(k, \mu)\} G^{\text{FoG}}.$$

$A(k, \mu)$ and $B(k, \mu)$ terms are the nonlinear corrections, and are expanded as power series of μ , including the powers up to μ_6 for the A term and μ_8 for the B term.

$$\tilde{P}(k, \mu) = \sum_{n=0}^4 Q_{2n}(k) \mu^{2n} G^{\text{FoG}}(k\mu\sigma_p)$$

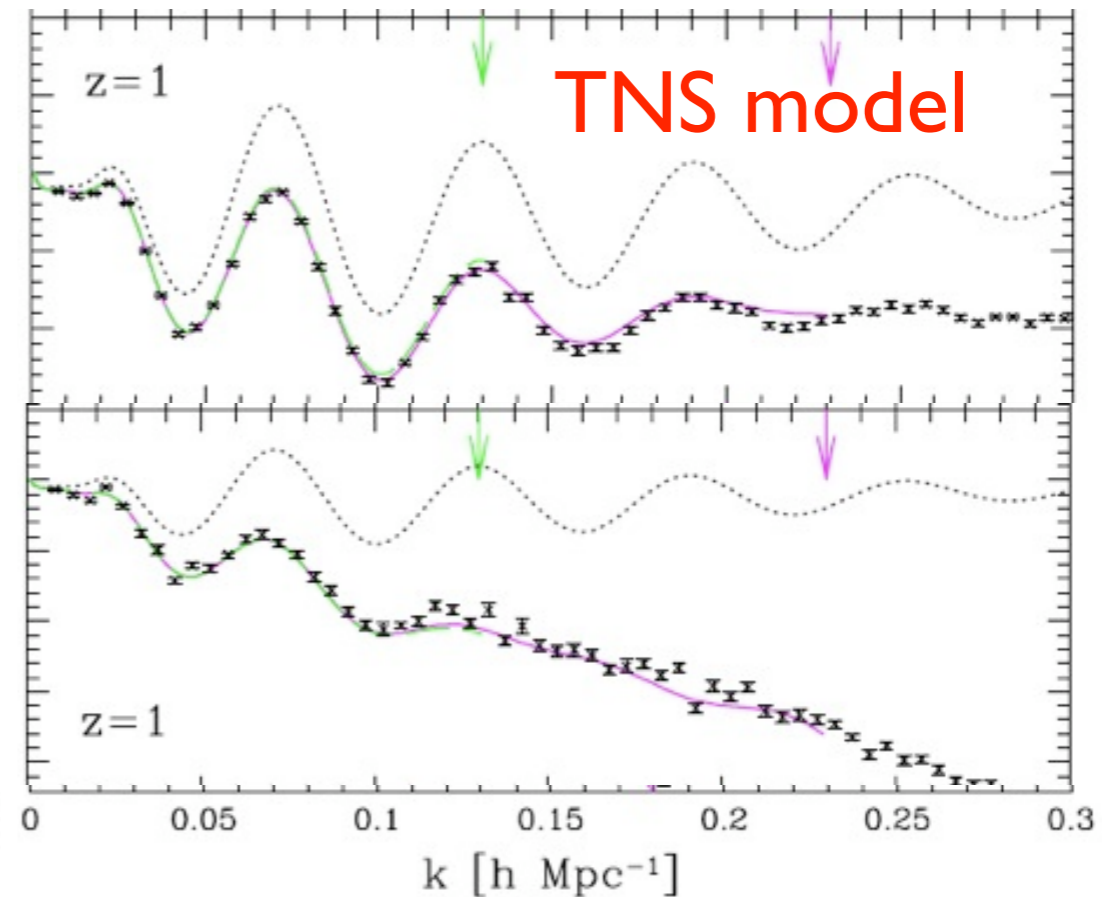
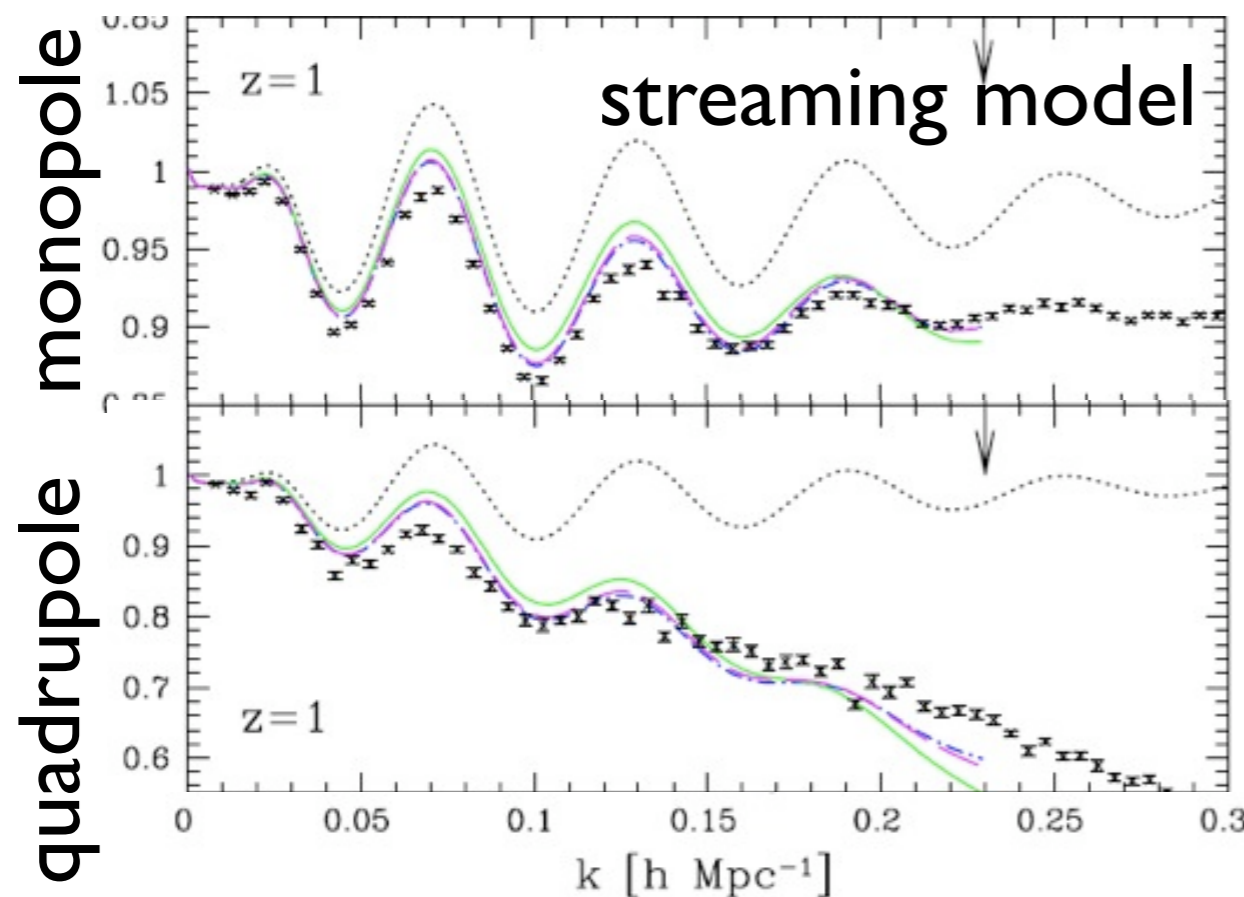
$$Q_0(k) = P_{\delta\delta}^{\text{lin}}(k) + \delta P_{\delta\delta}(k),$$

$$Q_2(k) = 2P_{\delta\Theta}^{\text{lin}}(k) + 2\delta P_{\delta\Theta}(k) + C_2(k),$$

$$Q_4(k) = P_{\Theta\Theta}^{\text{lin}}(k) + \delta P_{\Theta\Theta}(k) + C_4(k),$$

$$Q_6(k) = C_6(k),$$

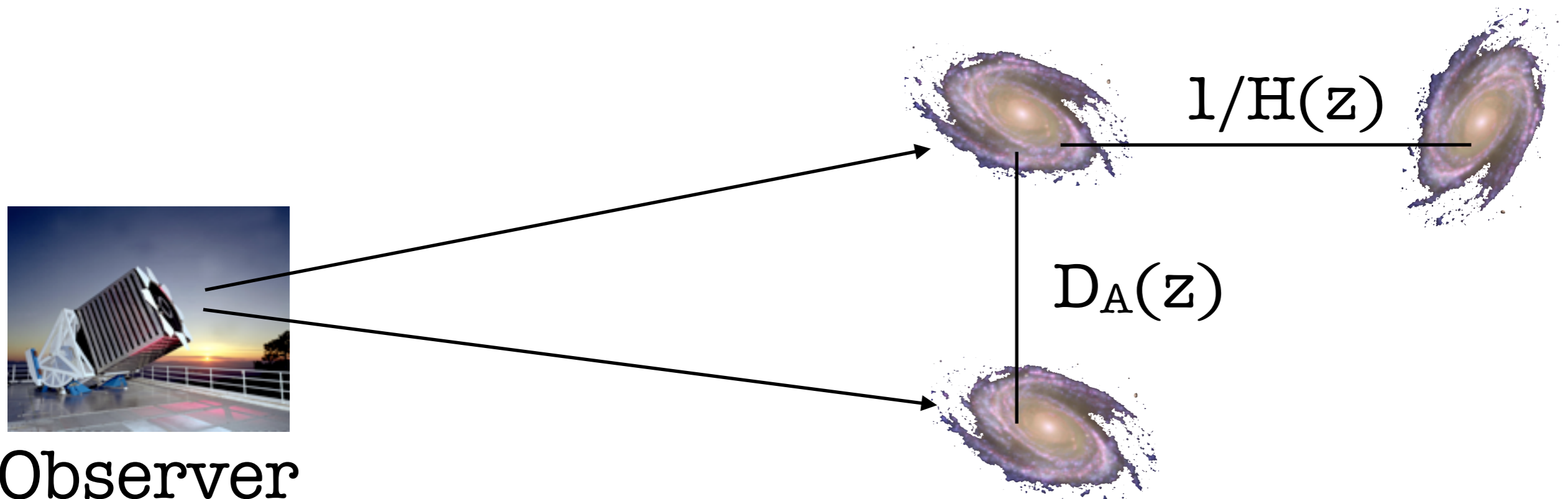
$$Q_8(k) = C_8(k),$$



Alcock-Paczynski Effect

We measure RA, Dec and Redshift for each galaxy.
However we must choose a cosmological model to convert these positions into a cartesian comoving coordinate system.

Even without a standard ruler, we can measure the clustering along and perpendicular to the line of sight and thus constrain the combination of $D_A * H$



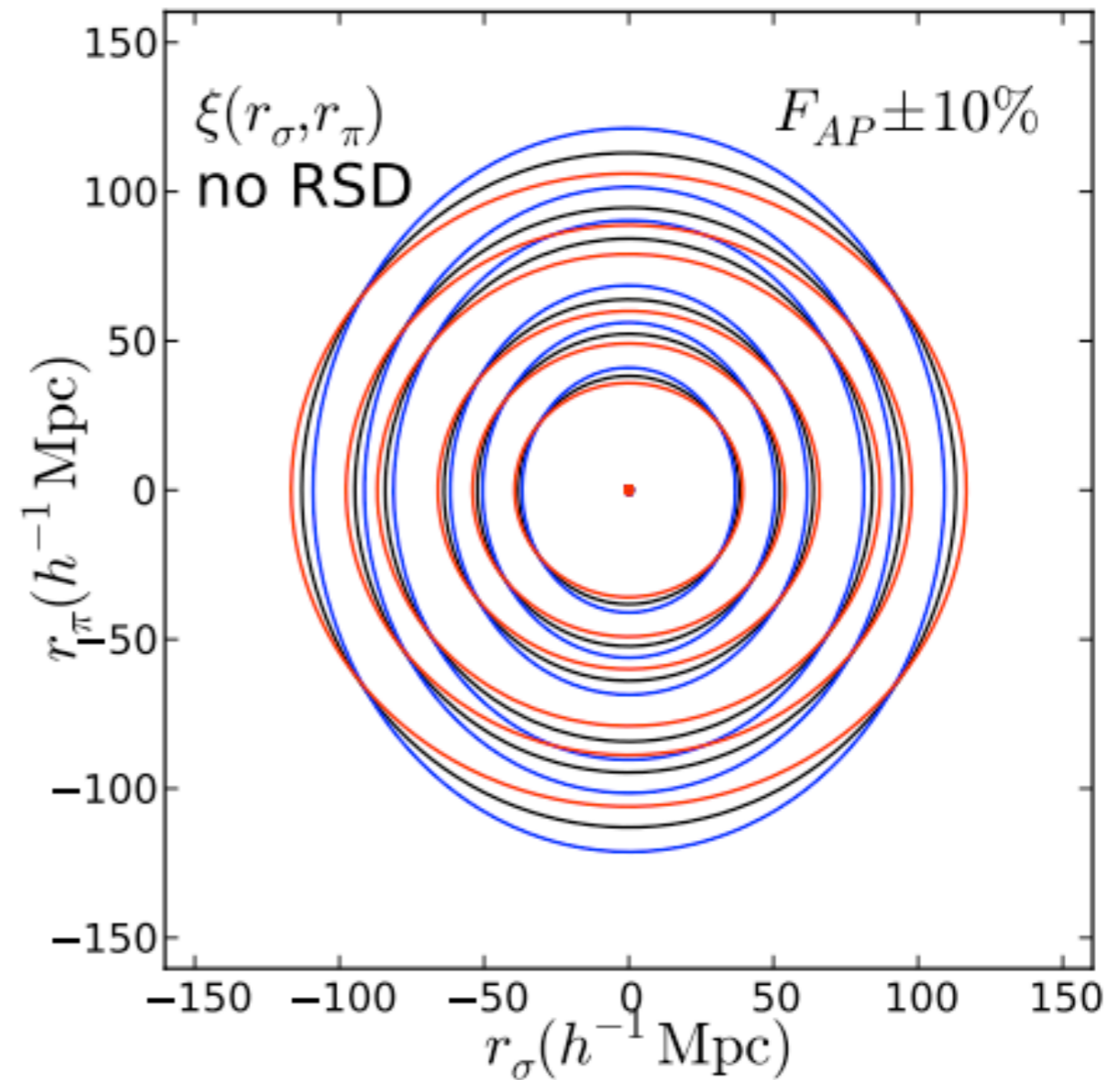
Alcock-Paczynski Effect

$\xi(r_p, \pi)$ appears anisotropic if you assume the wrong cosmology;

constrains the combination:
 $F(z) \equiv (1+z) D_A(z) H(z)/c$

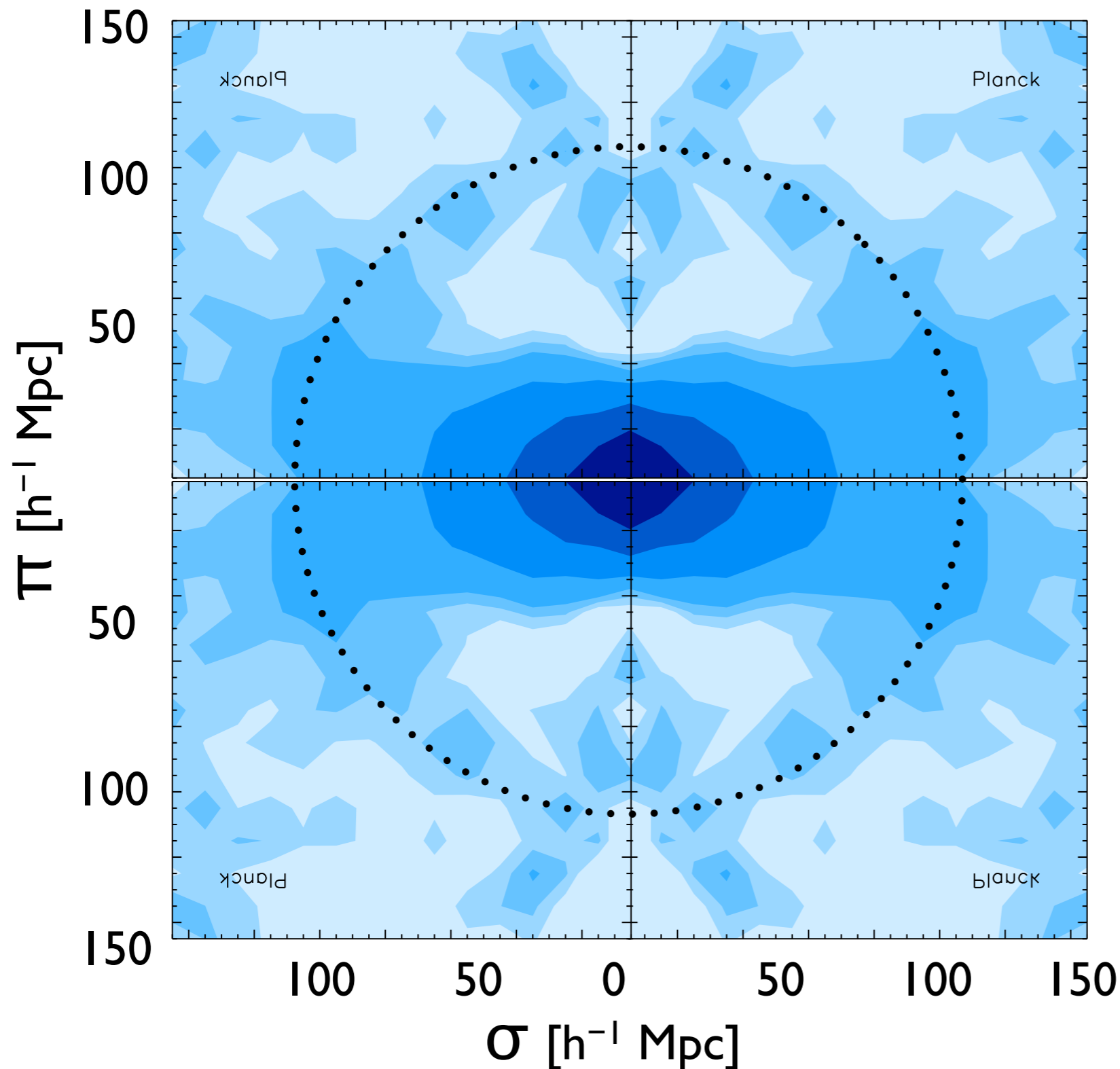
However geometric distortions can be modeled exactly:

$$\xi^{\text{fid}}(r_\sigma, r_\pi) = \xi^{\text{true}}(\alpha_\perp r_\sigma, \alpha_\parallel r_\pi),$$
$$\alpha_\perp = \frac{D_A^{\text{fid}}(z_{\text{eff}})}{D_A^{\text{true}}(z_{\text{eff}})}, \quad \alpha_\parallel = \frac{H^{\text{true}}(z_{\text{eff}})}{H^{\text{fid}}(z_{\text{eff}})},$$



2D Clustering on Large Scales

Linder, Oh, Okumura, Sabiu, Song (2013) arXiv:1311.5226



BOSS CMASS DR9

264,283 galaxies

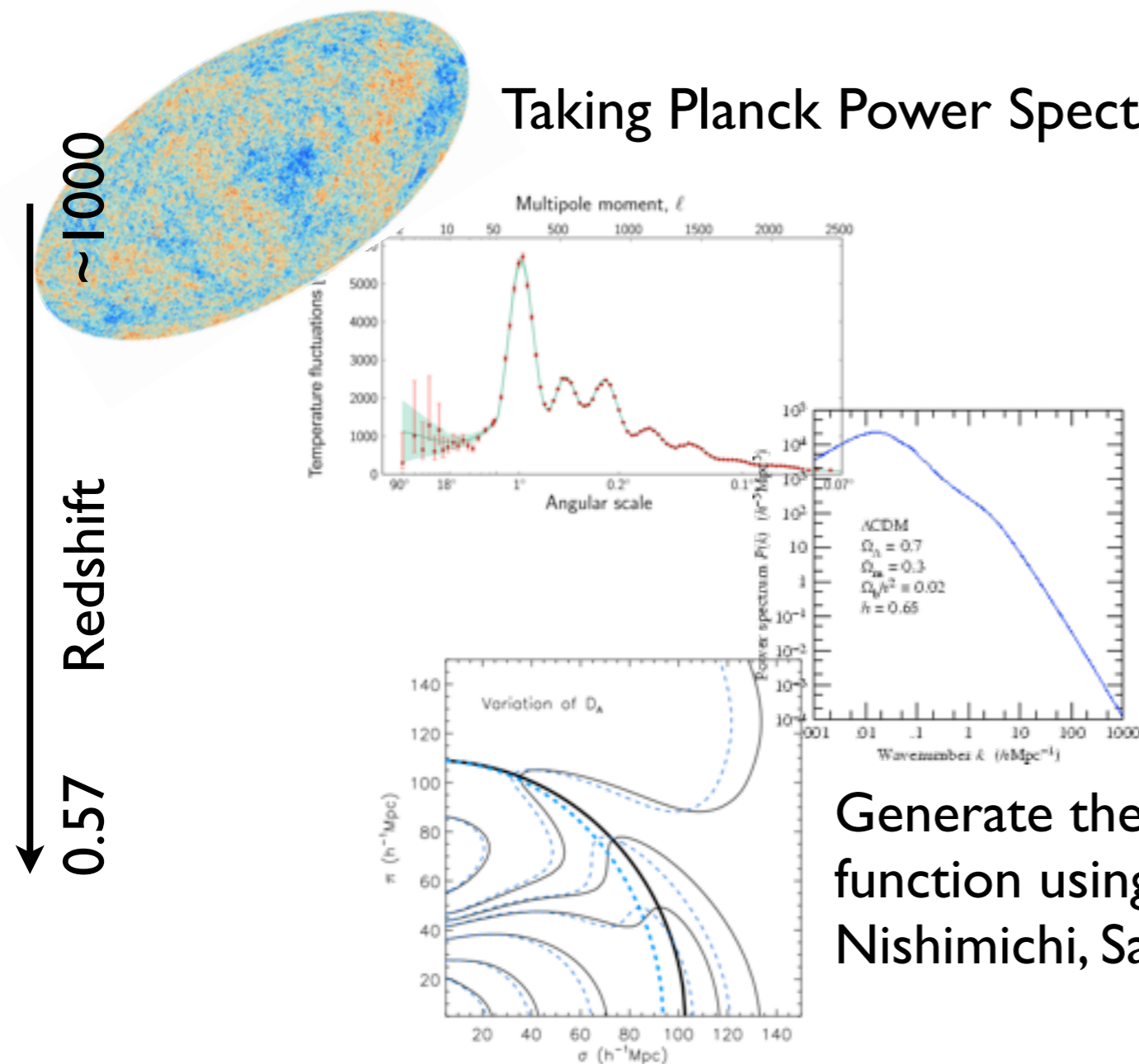
target selection
designed for
“constant stellar
mass” sample

$0.43 < z < 0.7$

limiting magnitude
of $r \sim 22.5$

$V_{\text{eff}} \sim 2.2 \text{ Gpc}^3$

Testing Cosmology



Taking Planck Power Spectrum as a temple

Calculate the non-linear PS at $z=0.5$
Resummed perturbation theory
RegPT (Taruya et al 2012)

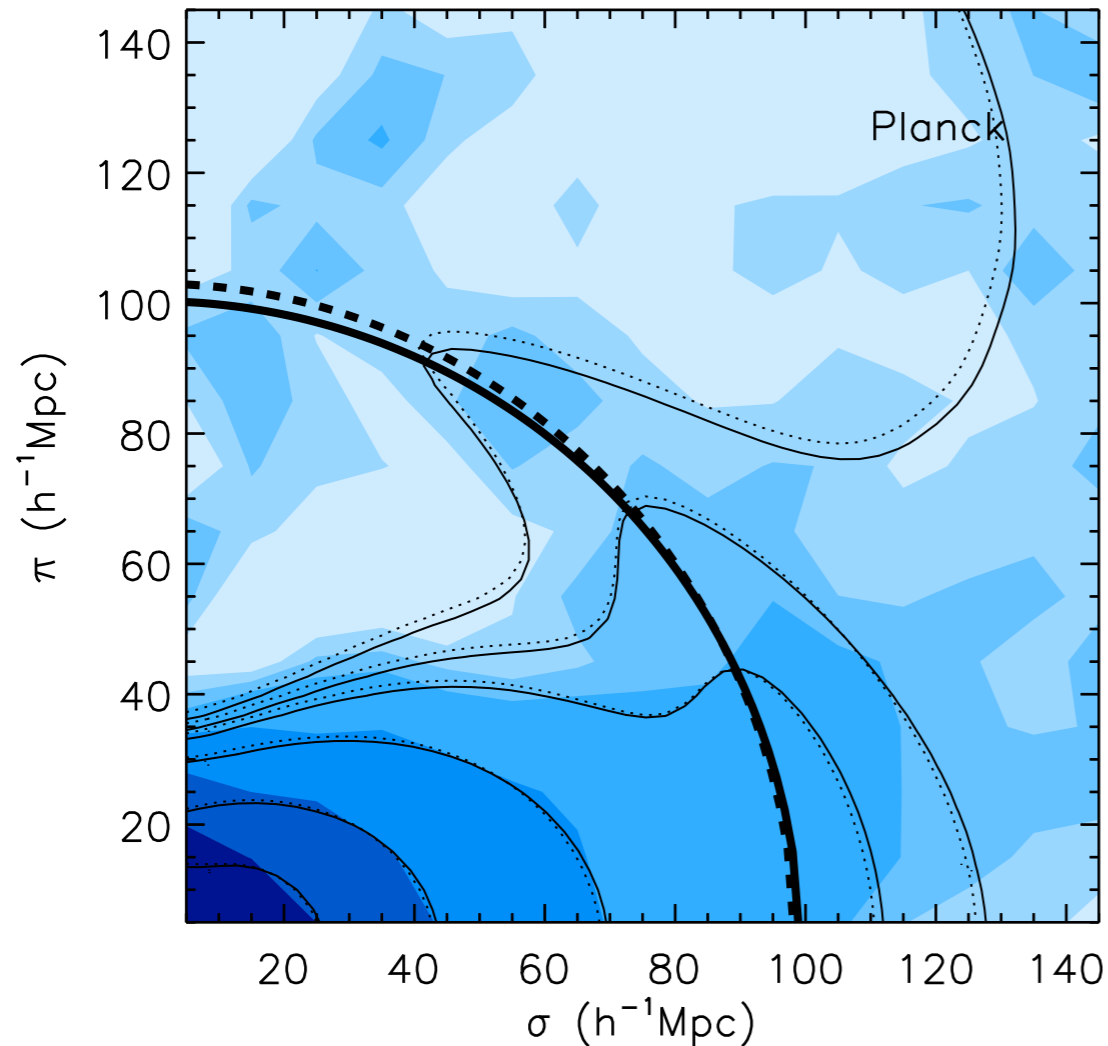
Generate the anisotropic correlation function using the TNS model (Taruya, Nishimichi, Saito, 2010)

This procedure has only 4 free parameters: D_A , H , growth rate, bias

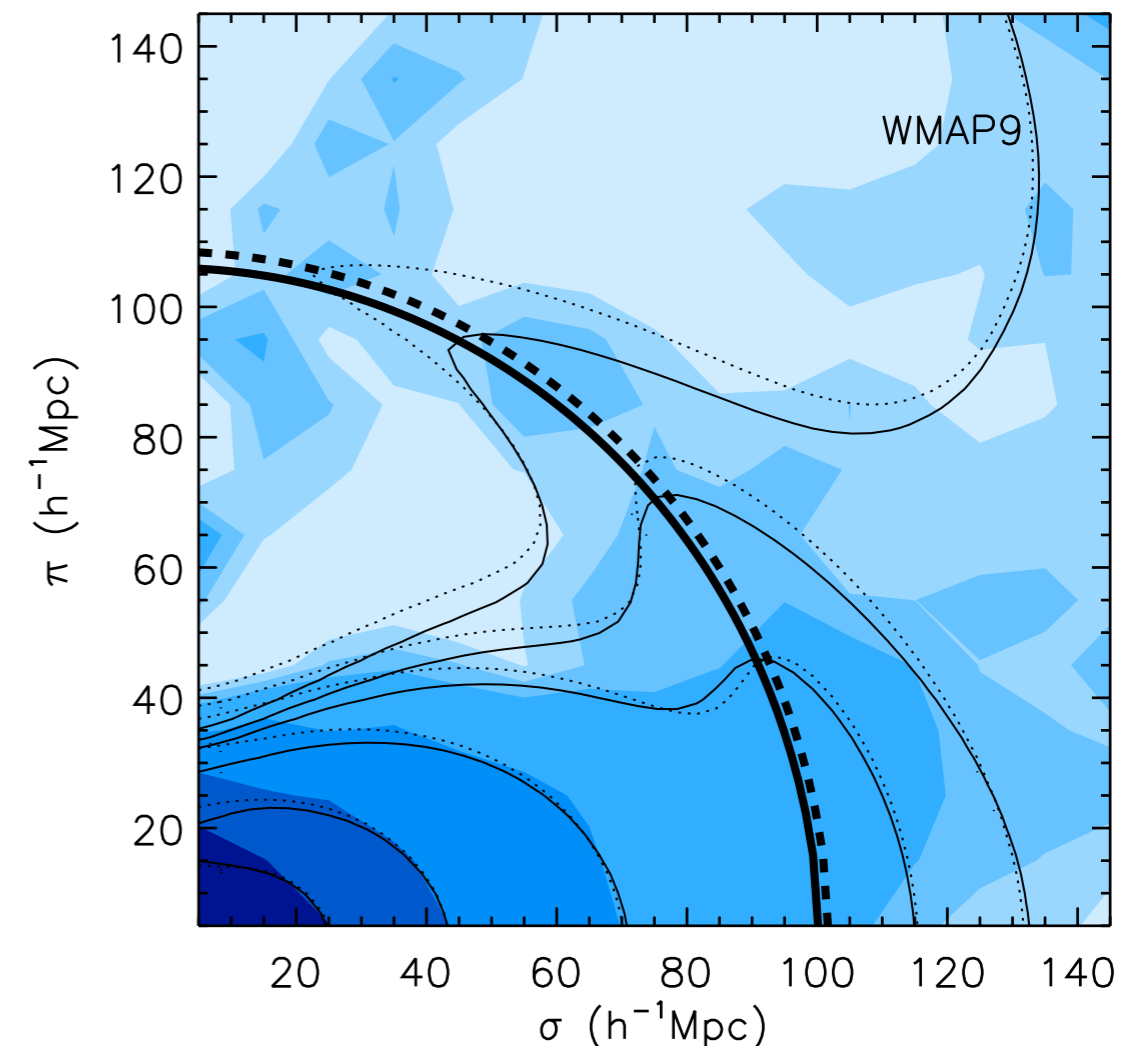
It does not assume any specific dark energy model or even the Friedmann-Robertson-Walker relation between the expansion rate H and distance D_A , nor the general relativity relation between expansion and growth.

Testing Cosmology

Fitting the improved TNS model we obtain these fits to the data.

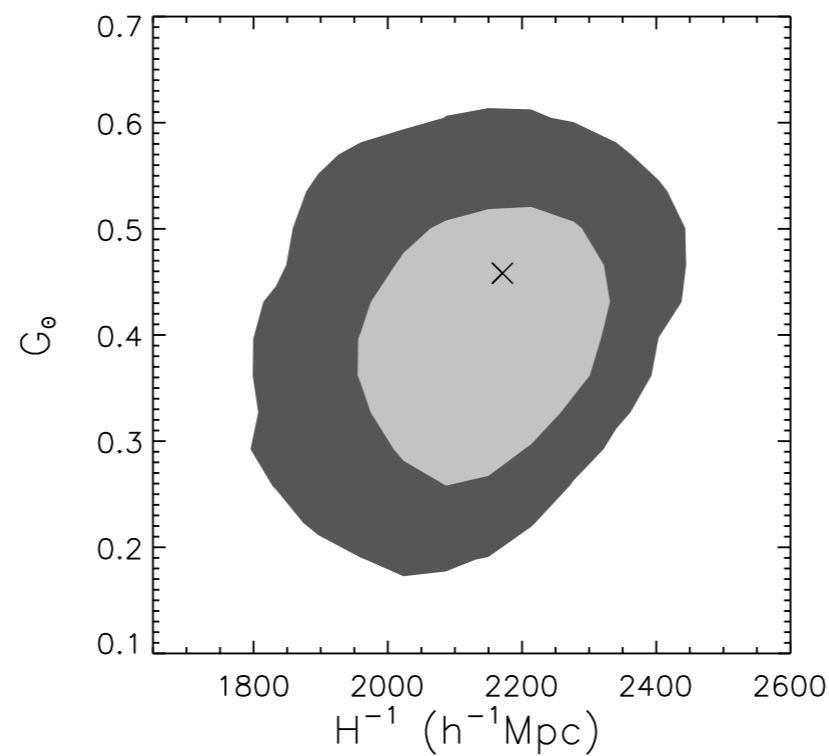
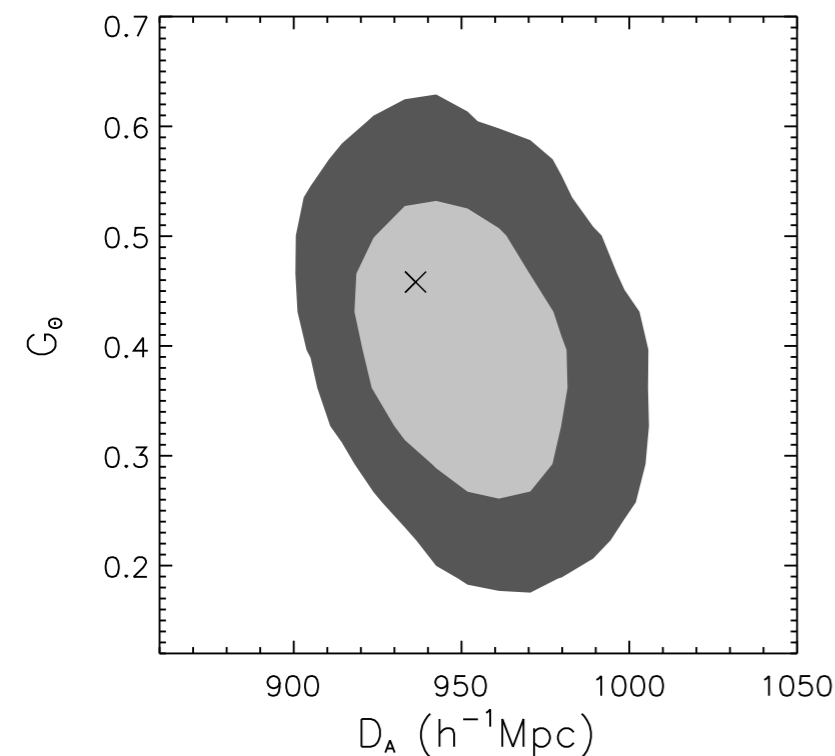
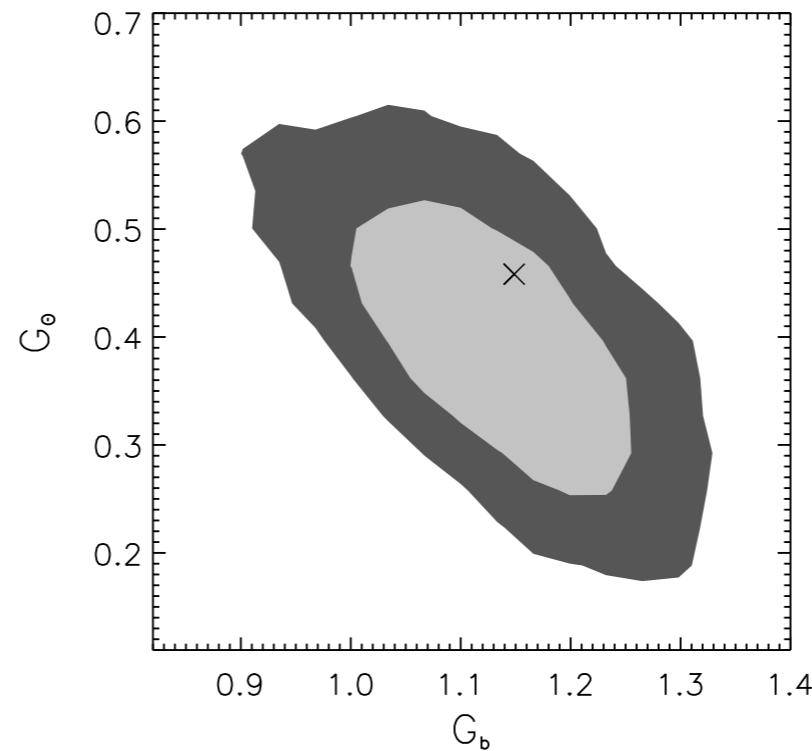
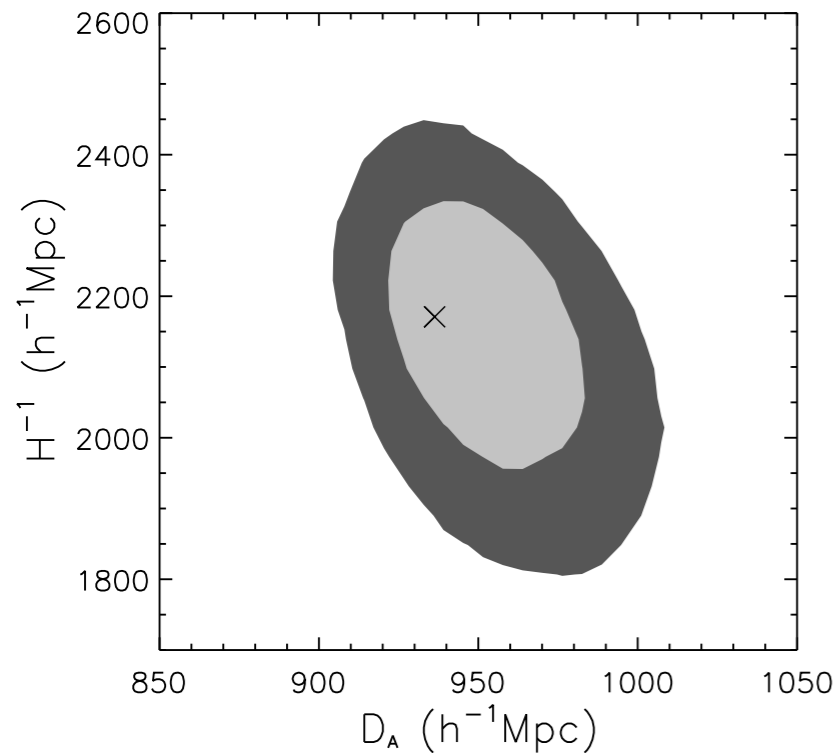


Parameters	Fiducial values With Planck prior	Measurements
D_A (h^{-1} Mpc)	932.6	$939.7^{+26.7}_{-32.6}$
H^{-1} (h^{-1} Mpc)	2177.5	$2120.5^{+82.3}_{-100.6}$
G_b	—	$1.11^{+0.07}_{-0.10}$
G_Θ	0.46	$0.47^{+0.10}_{-0.07}$
σ_p (h^{-1} Mpc)	—	$1.2^{+4.0}$



Parameters	Fiducial values With WMAP9 prior	Measurements
D_A (h^{-1} Mpc)	946.0	$916.2^{+27.2}_{-25.4}$
H^{-1} (h^{-1} Mpc)	2241.5	$2163.1^{+102.0}_{-85.8}$
G_b	—	$1.07^{+0.07}_{-0.09}$
G_Θ	0.44	$0.51^{+0.09}_{-0.08}$
σ_p (h^{-1} Mpc)	—	$1.0^{+4.6}$

Testing Cosmology



- Constrains from SDSS BOSS DR11

- Using PLANCK prior make model independent measurements of growth rate and geometrical quantities

- No deviation from “GR+LCDM” within observational limits

Song, Sabiu, et al (2014)
[arXiv:1407.2257](https://arxiv.org/abs/1407.2257)

Pure Alcock-Paczynski Measure



Theoretically the geometric distortions of the AP effect can be modeled exactly:

$$\xi^{\text{fid}}(r_\sigma, r_\pi) = \xi^{\text{true}}(\alpha_\perp r_\sigma, \alpha_\parallel r_\pi),$$

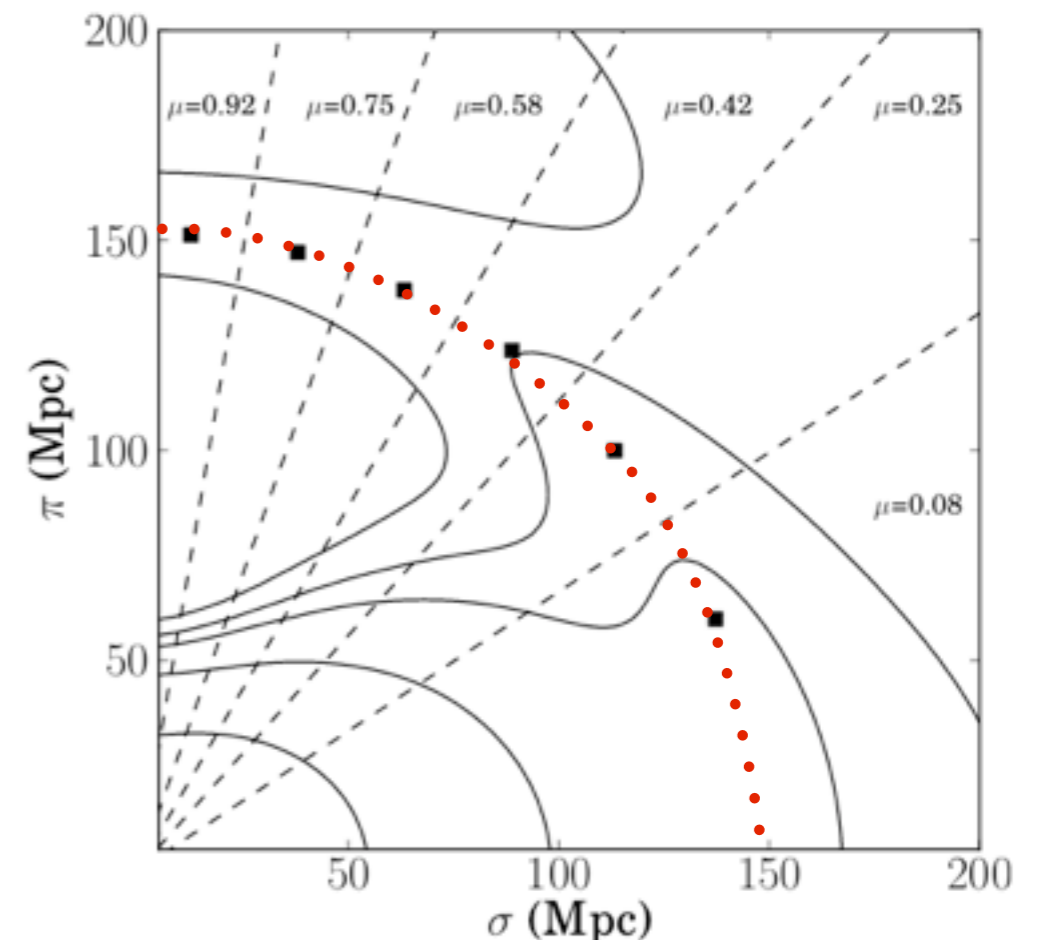
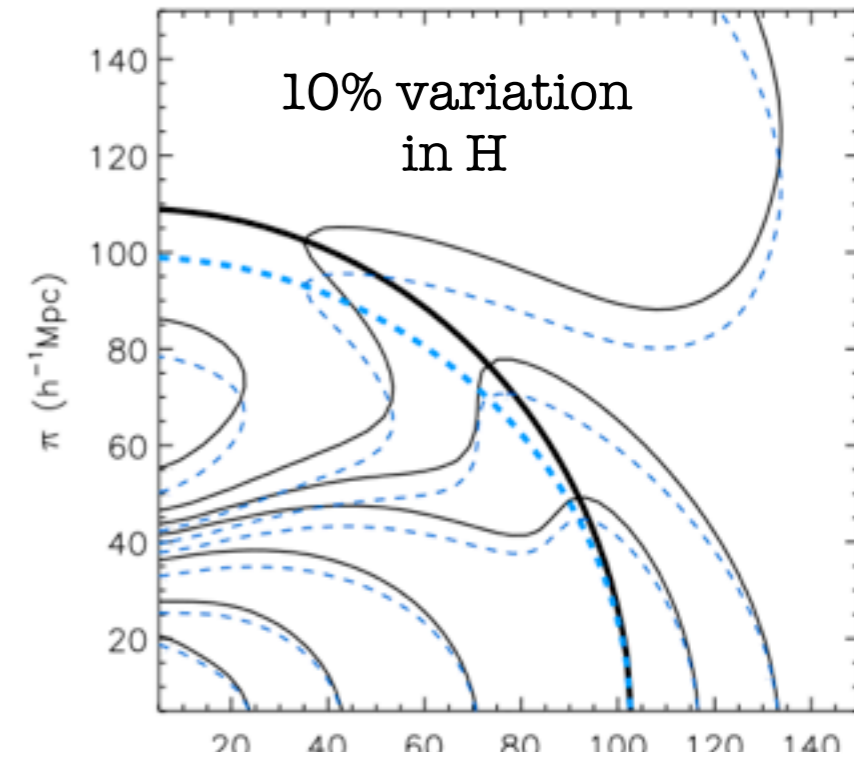
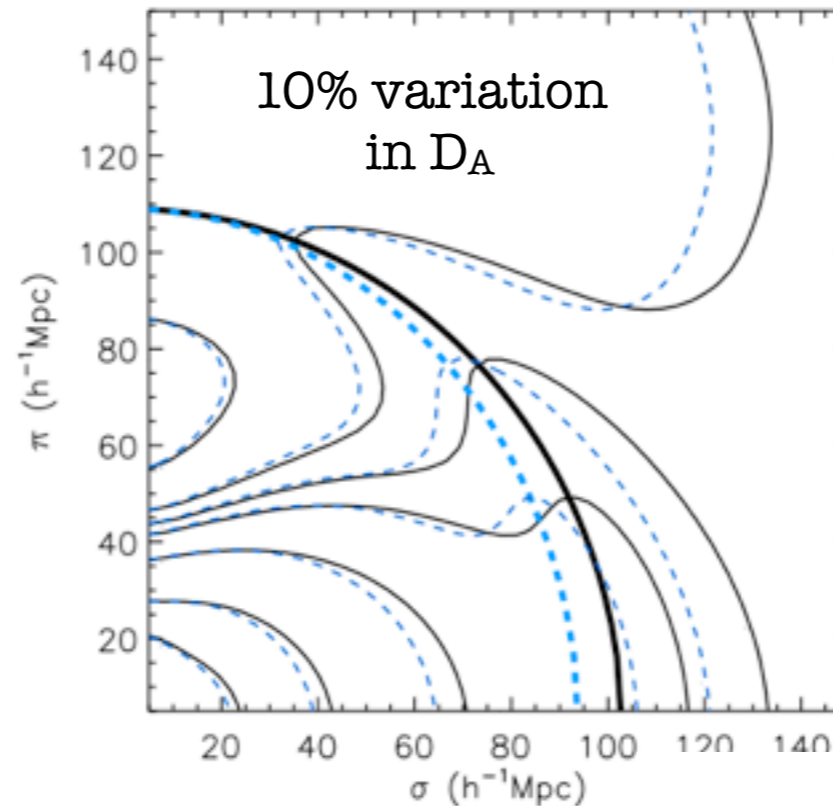
$$\alpha_\perp = \frac{D_A^{\text{fid}}(z_{\text{eff}})}{D_A^{\text{true}}(z_{\text{eff}})}, \quad \alpha_\parallel = \frac{H^{\text{true}}(z_{\text{eff}})}{H^{\text{fid}}(z_{\text{eff}})},$$

D_A , H vary peak positions off the BAO ring.

We want to avoid fitting the full shape of the anisotropic correlation function, as it depends on unknown systematic and physics, like scale dependent bias, etc.

A cleaner method would be to just measure the shape of the BAO ring.

We can do this by looking at many thin wedges in this 2D projection, i.e. many 'directionally constrained' 1-D correlation functions.



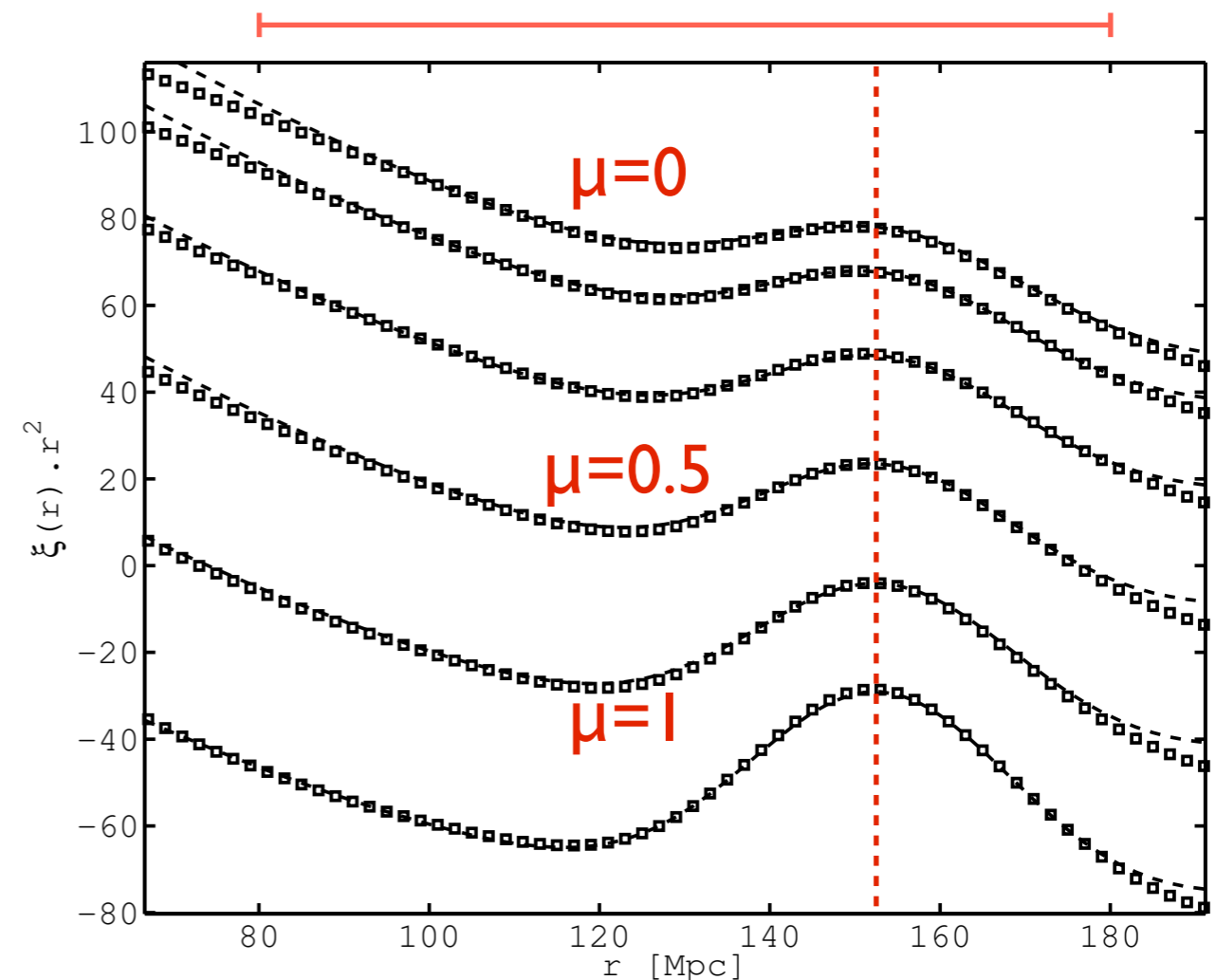
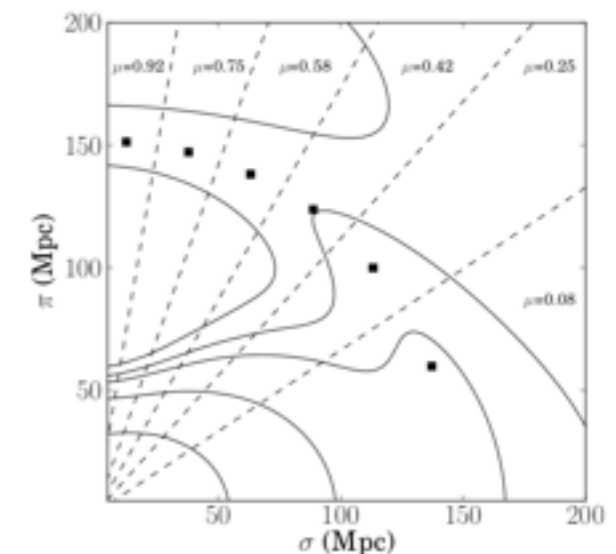
Anisotropic BAO Peaks

$$\xi_{\mu}(s) \times s^2 = A.s^2 + B.s + Ee^{-(s-D)^2/C} + F,$$

A simple function to approximate the shape of the correlation function

We use a quadratic plus a gaussian, fitted over the range $80 < r < 180$ Mpc

We care only about locating the BAO peak position. The centre of the gaussian is controlled by D .

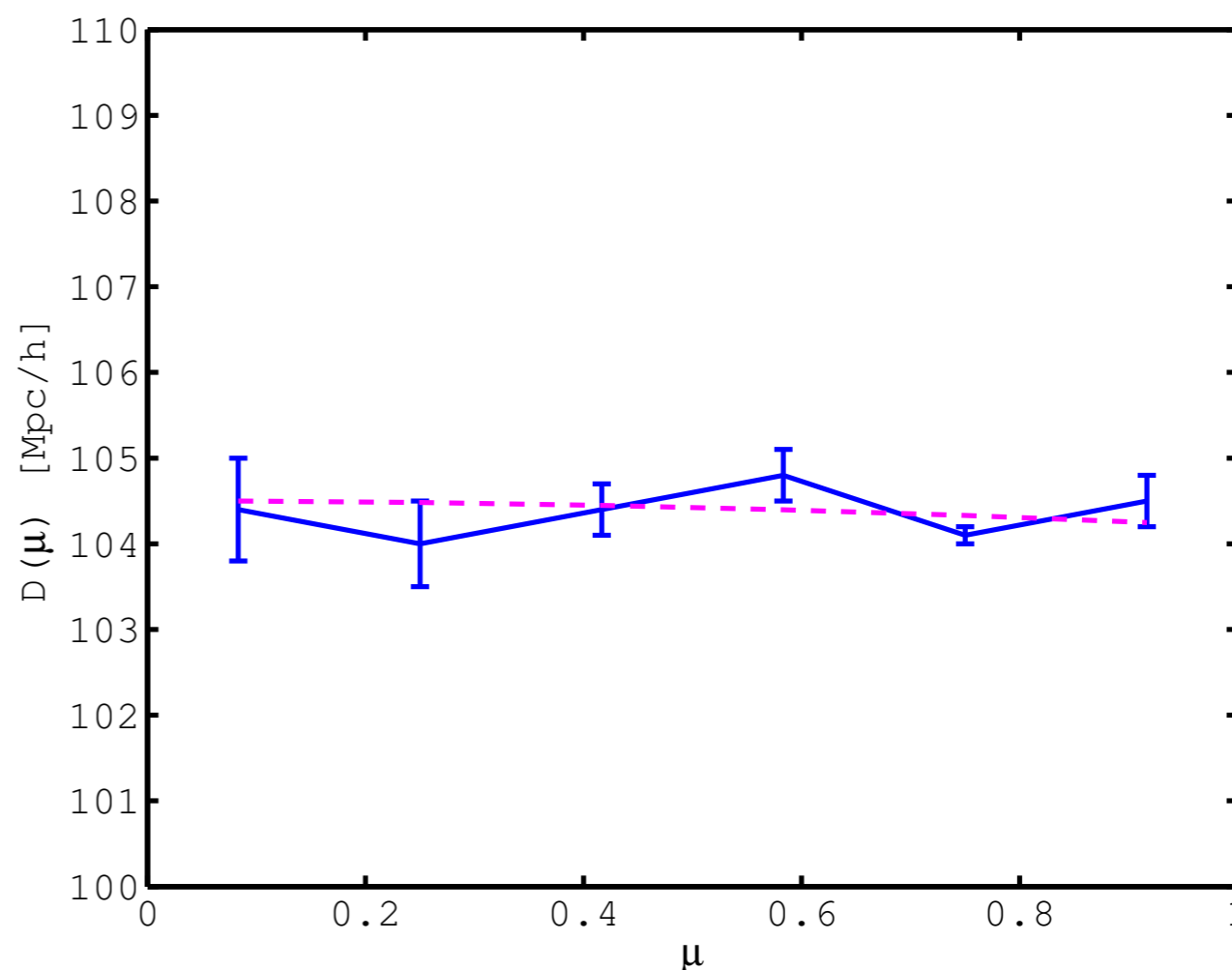
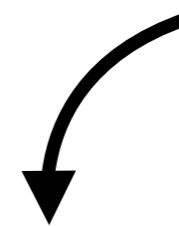
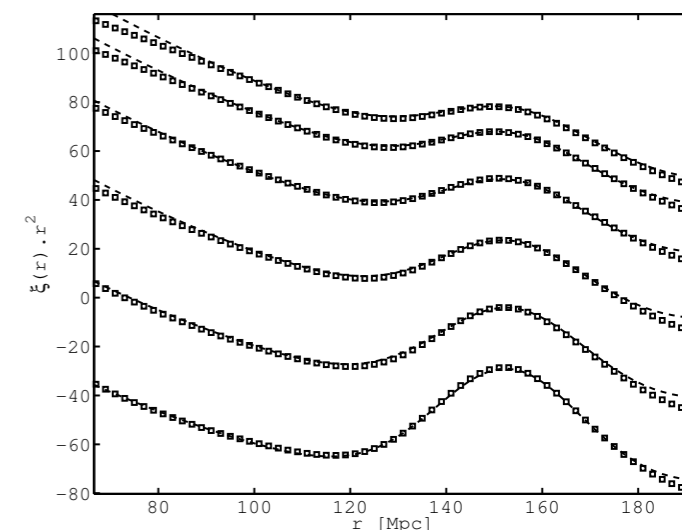


Anisotropic BAO Peaks

Simply we can fit an elliptic function to the obtained $D(\mu)$ and get a semi-major and minor distance defining an ellipse.

$$D(\theta) = \frac{D_{||} D_{\perp}}{\sqrt{(D_{||} \cos \theta)^2 + (D_{\perp} \sin \theta)^2}}$$

From this we constrain the two distances, $D_{||}$ along the line of sight and D_{\perp} across the line of sight.



Anisotropic BAO Peaks

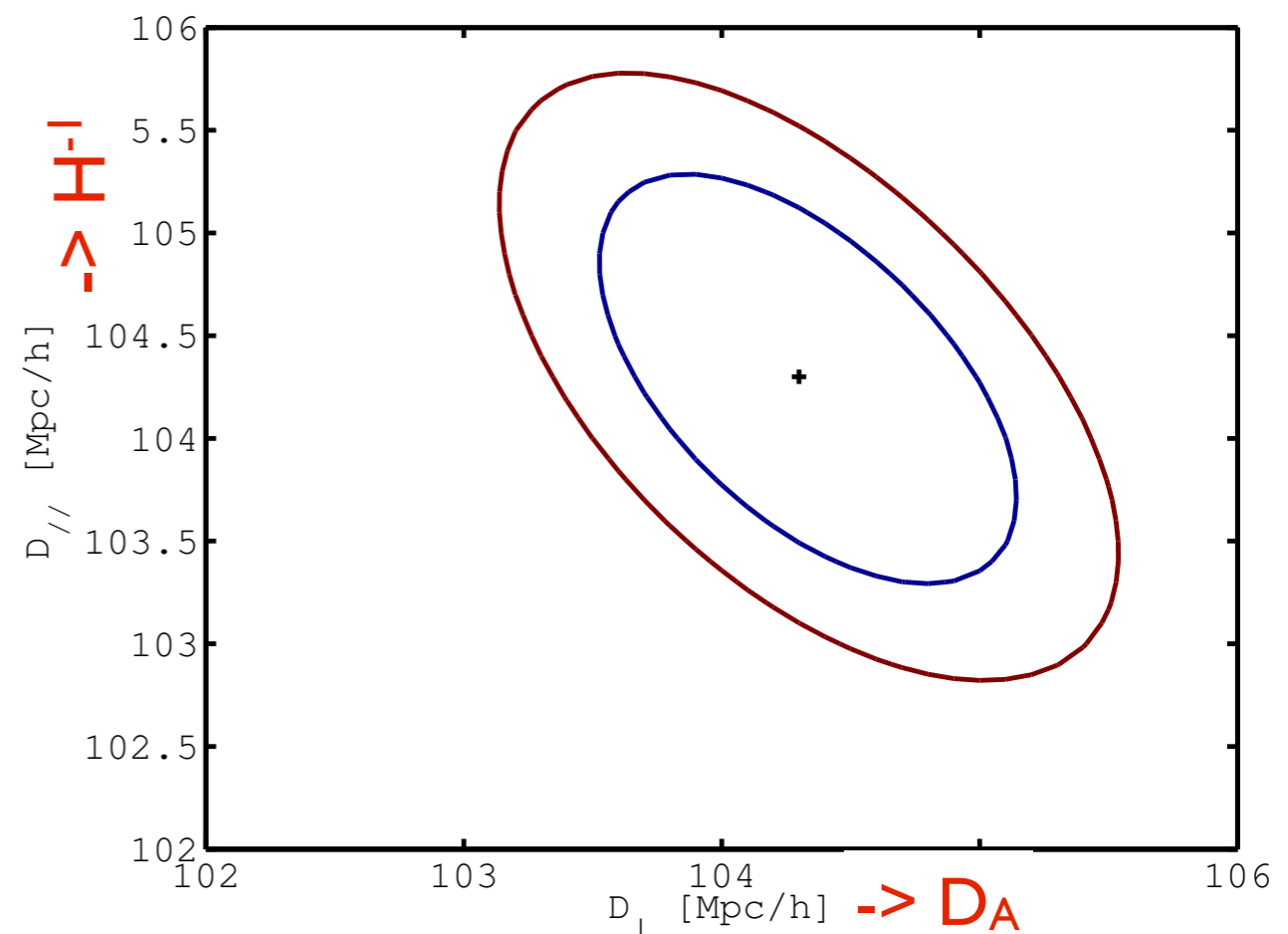
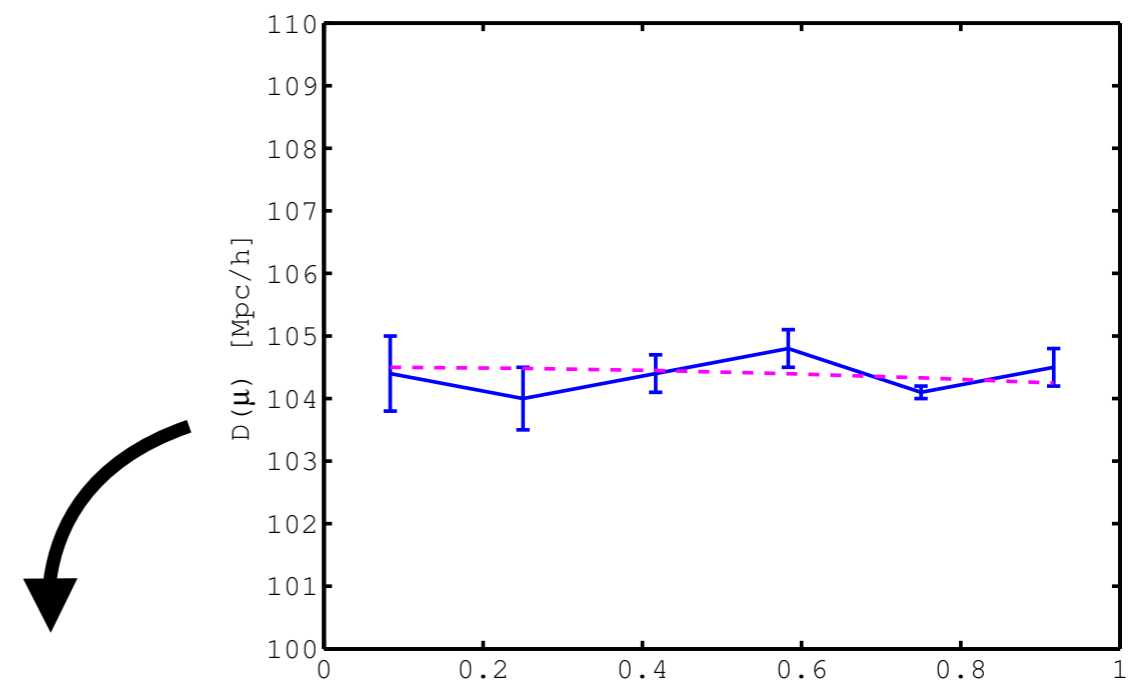
$$D(\mu) = \frac{D_{\perp} \cdot D_{\parallel}}{\sqrt{(D_{\perp} \cdot \mu)^2 + D_{\parallel}^2 (1 - \mu^2)}}$$

$$H_{obs}^{-1} = H_{fid}^{-1} \frac{D_{\parallel, fid}}{D_{\parallel, obs}},$$

$$D_{A, obs} = D_{A, fid} \frac{D_{\perp, fid}}{D_{\perp, obs}}.$$

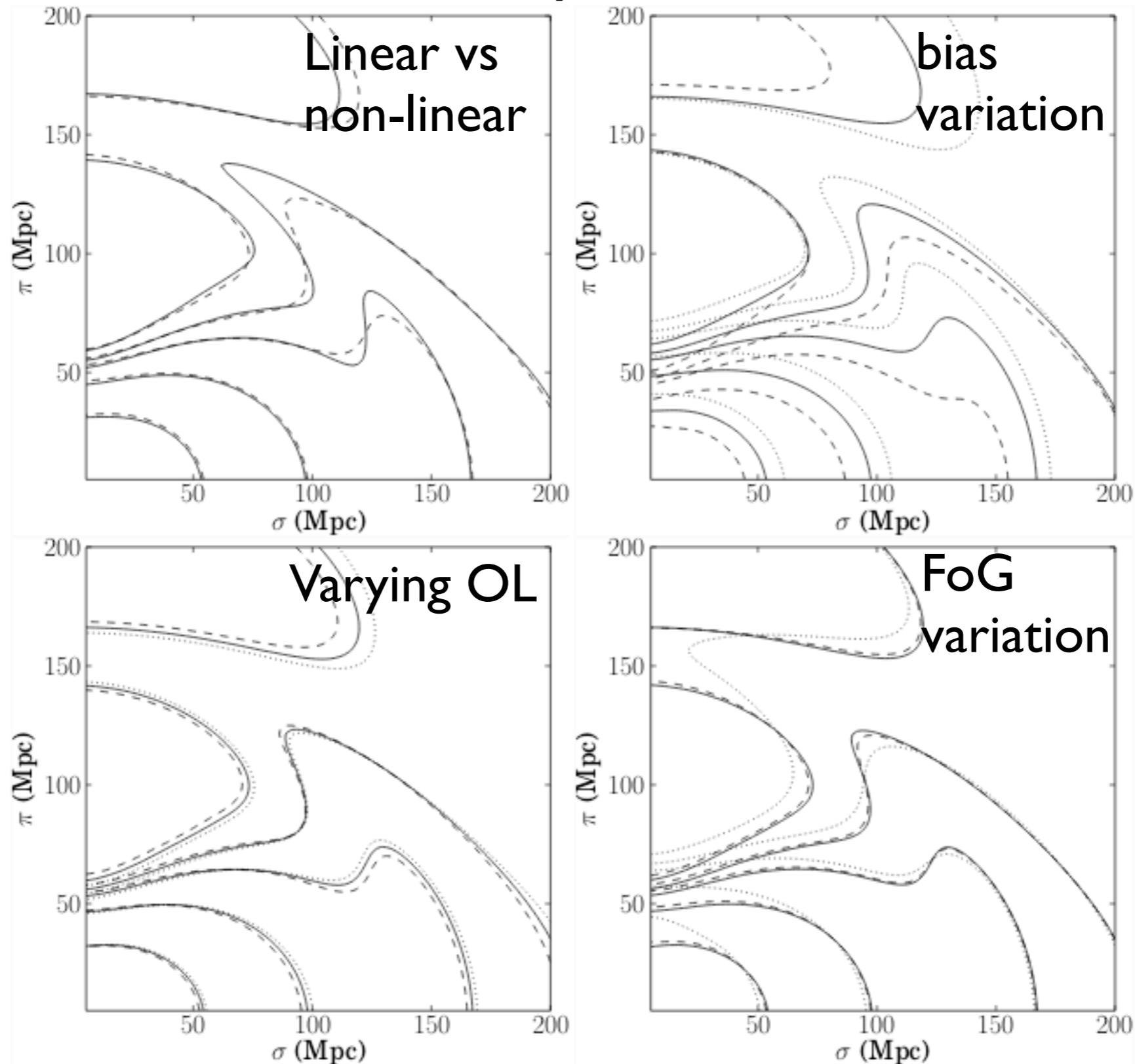
Next we create theoretical models that include different systematics and observational effects.

In the fiducial case we obtain a simultaneous measurement of D_A and H^{-1}



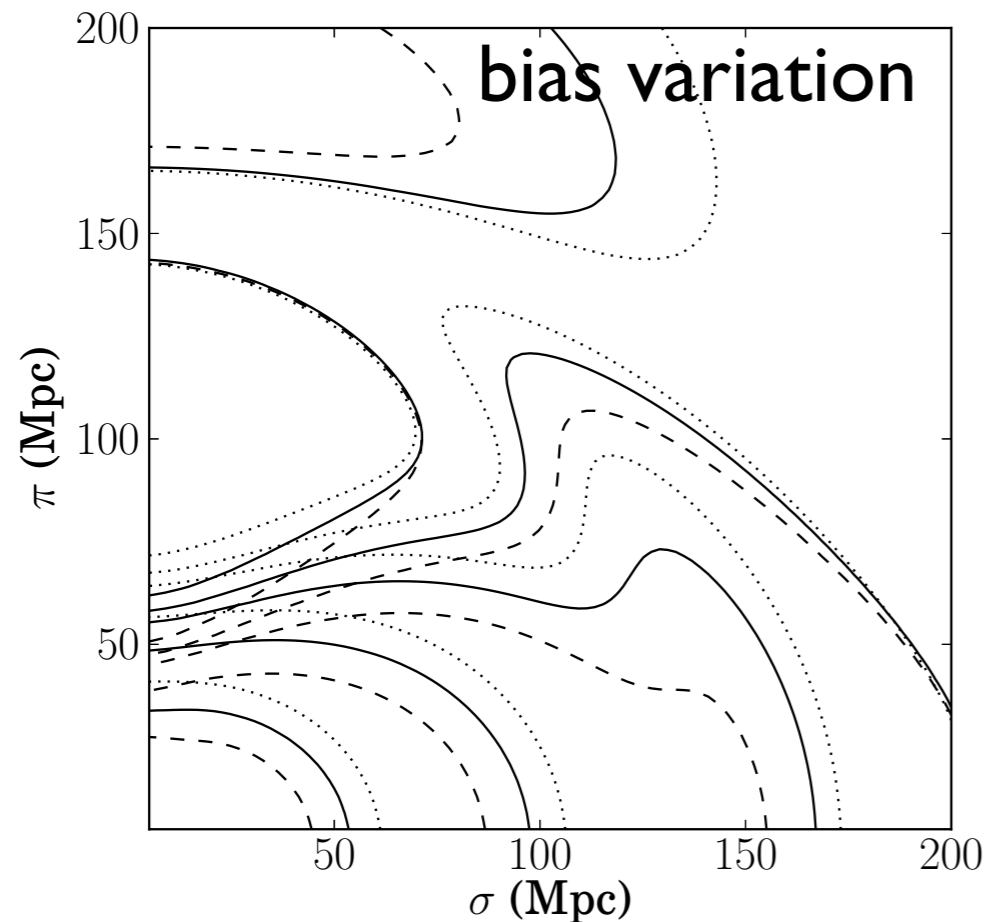
Anisotropic BAO Peaks

Check systematics

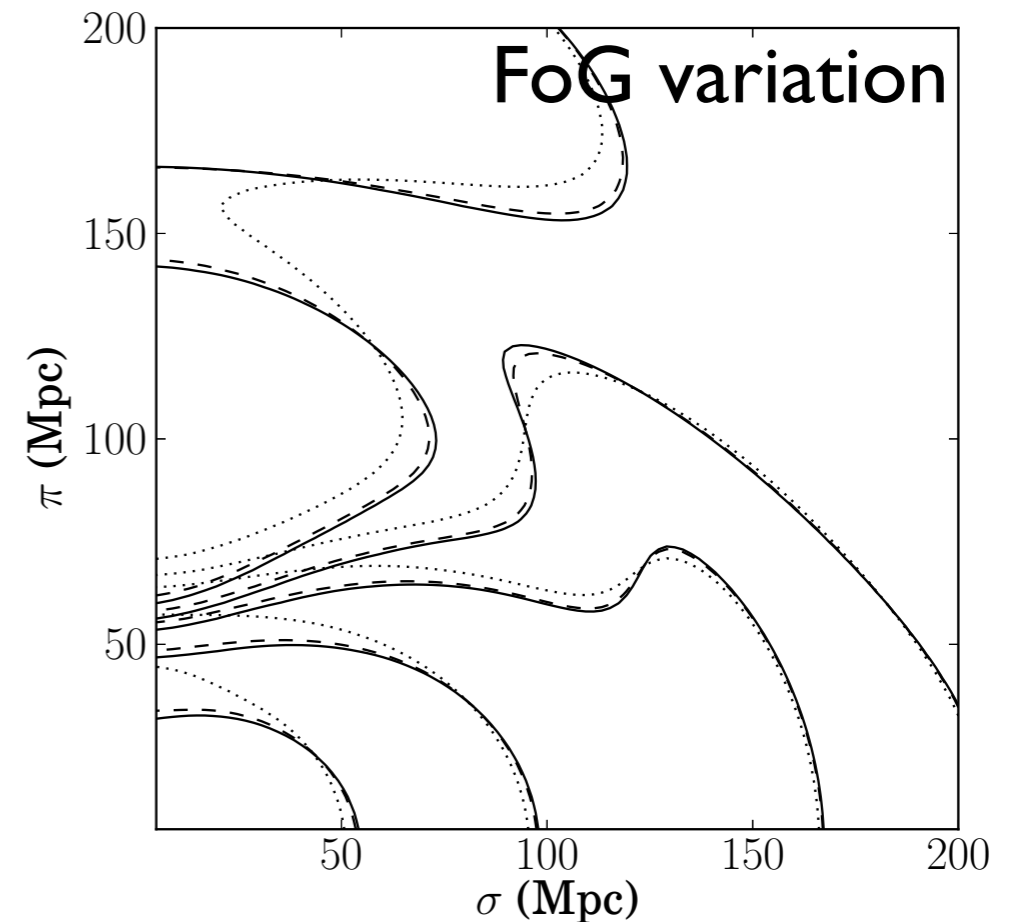


Anisotropic BAO Peaks

Will certain systematic uncertainties effect our methodology to reliably estimate the peak location?



bias	D_A (Mpc)	H^{-1} (Mpc)
1.5	1395.18 (0.00 %)	3241.28 (0.20%)
2.0 (fid)	1395.18 (0.00 %)	3234.76 (0.00 %)
2.5	1384.29 (-0.78%)	3234.76 (0.00%)



σ_v (Mpc)	D_A (Mpc)	H^{-1} (Mpc)
2	1392.47 (-0.19 %)	3253.96 (0.59%)
5 (fid)	1395.18 (0.00 %)	3234.76 (0.00 %)
8	1395.18 (0.00 %)	3234.76 (0.00 %)
11	1397.99 (0.20 %)	3166.40 (-2.11%)
15	1397.99 (0.20 %)	3077.53 (-4.86%)

Anisotropic BAO Peaks



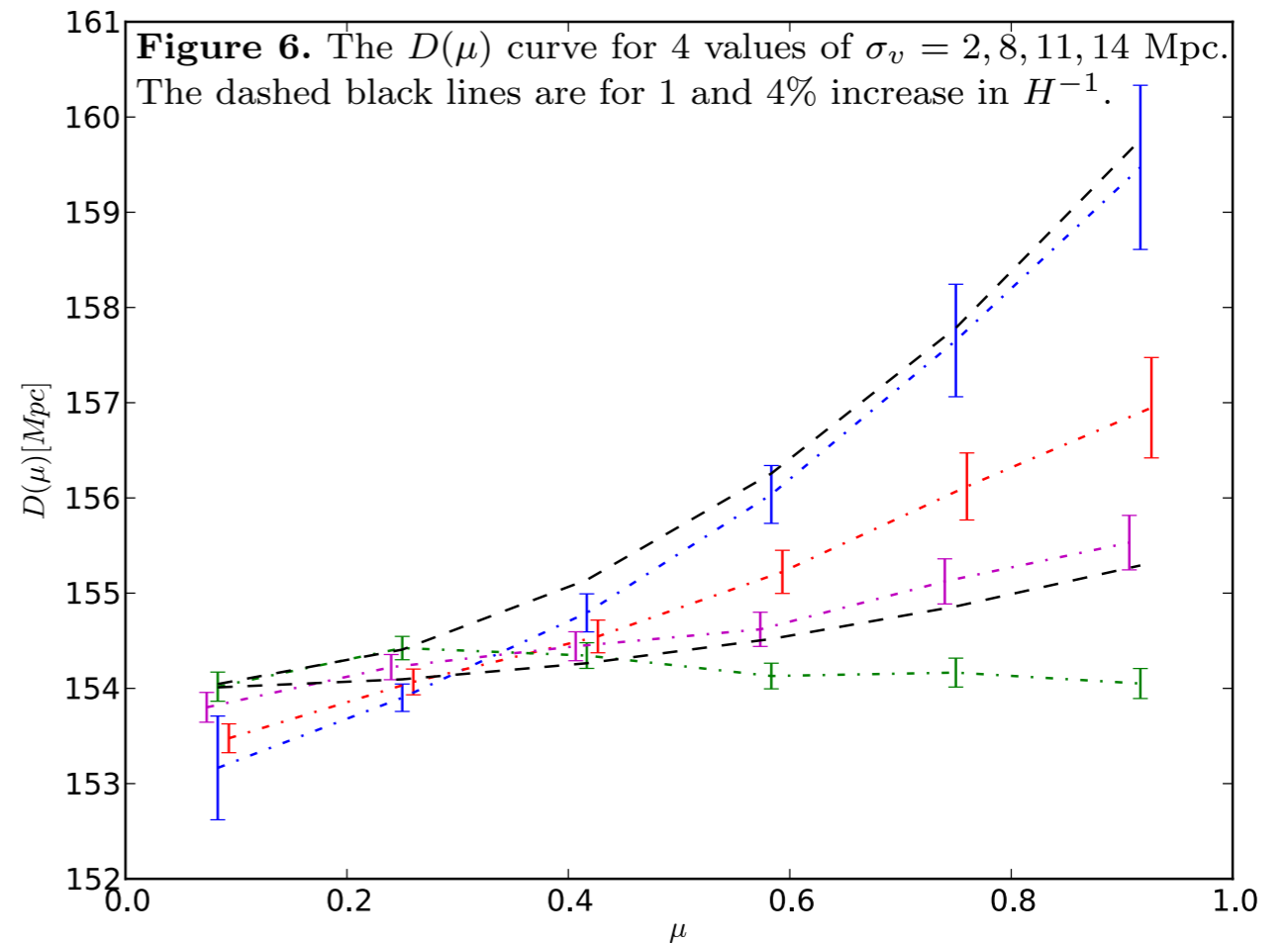
Modeling the RSD effect

We show the derived distance measurements using models with various σ_v choices, of 0, 2, 4, 6, 8 Mpc/h. We find a significant trend with these values of σ_v with either D_{\parallel} and D_{\perp}

But as we can see both D_{\parallel} and D_{\perp} can be modelled using a simple function:

$$D(\mu) = D^{fid}(\mu) + \alpha(\mu) + \beta(\mu)\sigma_v^2,$$

Although the dashed lines show 1% and 4% increase in H^{-1} which follows closely the σ_v induced anisotropy, so there will be some degeneracy.



	Ω_{Λ}	0.62		0.68		0.73	
		α_i	β_i	α_i	β_i	α_i	β_i
μ_i	0.08	-0.18	-0.004	-0.15	-0.004	-0.21	-0.004
	0.25	0.21	-0.003	0.07	-0.002	0.10	-0.002
	0.42	-0.17	0.002	-0.10	0.002	-0.09	0.002
	0.58	-0.51	0.009	-0.47	0.010	-0.42	0.009
	0.75	-0.77	0.018	-0.68	0.018	-0.65	0.018
	0.92	-1.07	0.027	-0.88	0.026	-0.89	0.027

minimal cosmo dependance

Anisotropic BAO Peaks



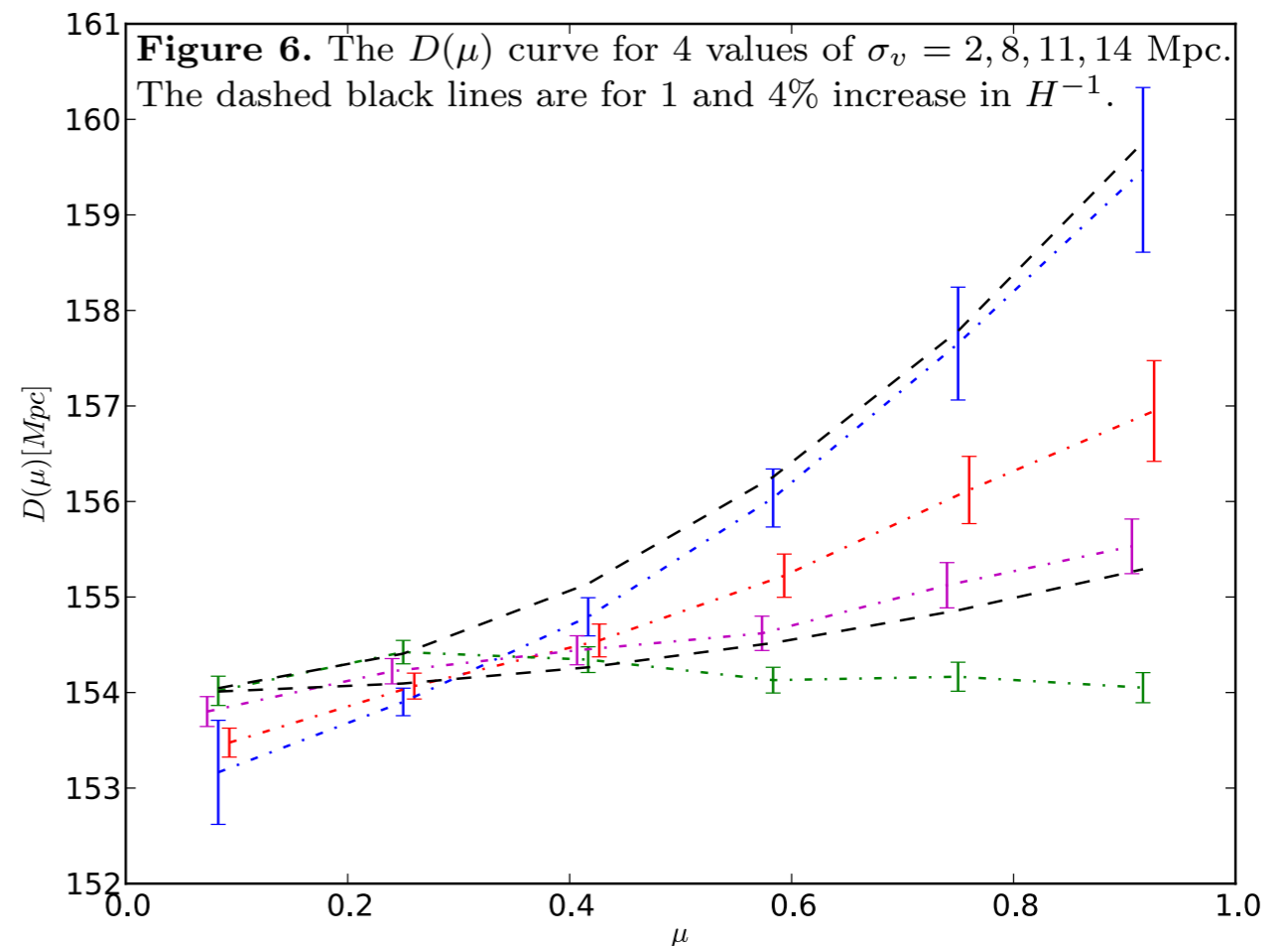
Modeling the RSD effect

Modeling the RSD effect allows us to make percent level predictions of D_A , H for future surveys, like DESI

types and μ values, $\mu = 0$ is purely radial, $\mu = 1$ is purely transverse.

Firstly we fit the case without RSD. If we do not correct for the RSD effect we know from previous tests that our results on H^{-1} will be necessarily biased. We find $D_{||} = 155.15 \pm 0.51$ Mpc and $D_{\perp} = 154.04 \pm 0.30$ Mpc that results in the following constraints; $D_A = 1399.71^{+2.71}_{-2.74} (0.32^{+0.20}_{-0.19} \%)$ and $H^{-1} = 3196.79^{+10.57}_{-10.44} (-1.17 \pm 0.32 \%)$, where the percentage denotes the deviation from fiducial model.

$D_{||} = 154.92^{+0.51}_{-2.29}$ Mpc and $D_{\perp} = 153.90^{+0.25}_{-0.25}$ Mpc with $\sigma_v = 6.8^{+2.0}_{-6.8}$ Mpc, which leads to $D_A = 1401.01^{+2.29}_{-2.26} (0.42^{+0.17}_{-0.16} \%)$ and $H^{-1} = 3201.66^{+47.94}_{-10.39} (-1.02^{+1.48}_{-0.32} \%)$.



Ω_{Λ}	0.62		0.68		0.73	
	α_i	β_i	α_i	β_i	α_i	β_i
0.08	-0.18	-0.004	-0.15	-0.004	-0.21	-0.004
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minimal cosmo dependance

Anisotropic BAO Peaks

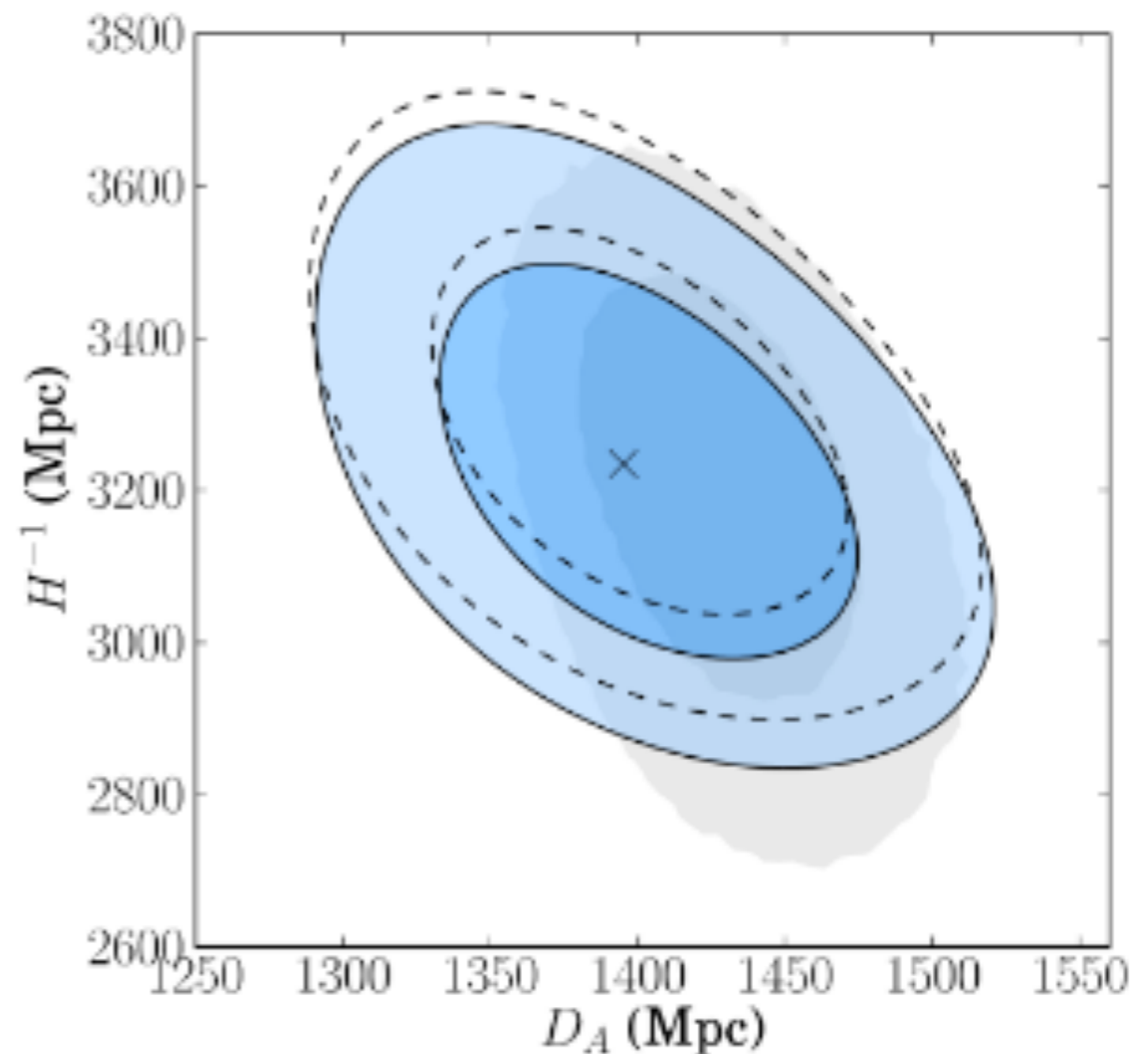
Sabiu & Song (2016) arxiv:1603.02389

Using 600 mock catalogues
mimicking the BOSS survey

Modeling and marginalizing out
the FoG systematic degrades the
los BAO distance and hence H .
However it provides a less
biased result.

obtain constraints on D_A & H at
the level of 2% and 5% resp.

Next we will apply this
methodology to SDSS BOSS
data in Oh, Sabiu, Song (2016) in
prep



Probing Scalar Field Theories

Light scalar fields coupled to matter (baryons) are predicted by many theories beyond the standard model.

•

Coupled means we have a fifth-force in nature. If it exists, is there any room for cosmological signatures (of the fifth-force)?

•

A fifth-force is strongly constrained from local gravity experiments (inverse square law, solar-system tests, EP).

•

Naive conclusion: Either very short range or very weakly coupled, in other words: no cosmological effects of the fifth-force!

•

Not the case if the field has a screening mechanism. The fifth-force can remain 'hidden' to local experiments!

•

We consider two models that have this property: Chameleon & Symmetron

Probing Scalar Field Theories in redshift-space



We focus our analysis in two specific scalar tensor models: the symmetron model and a particular case of $f(R)$ theories.

Both models include screening mechanisms, which reduce them to general relativity in high density regions and thus pass solar system tests.

N-body simulations from Llinares, Mota et al (2013)
[arXiv:1307.6748](https://arxiv.org/abs/1307.6748)

with Changbom Park &
David Mota
[arxiv:1603.05750](https://arxiv.org/abs/1603.05750)

$N_{\text{part}}=512^3$

Side=256Mpc/h

at $z=0.0$

Dark matter and FoF halos

Model	λ_0	z_{SSB}	β	Model	n	$ f_{R0} $	λ_0
Symm A	1	1	1	fofr4	1	10^{-4}	23.7
Symm B	1	2	1	fofr5	1	10^{-5}	7.5
Symm C	1	1	2	fofr6	1	10^{-6}	2.4
Symm D	1	3	1				

Symmetron Model

Hinterbichler & Khoury (2010)

$f(R)$ Gravity Model

Hu & Sawicki (2007)

Probing Scalar Field Theories in redshift-space

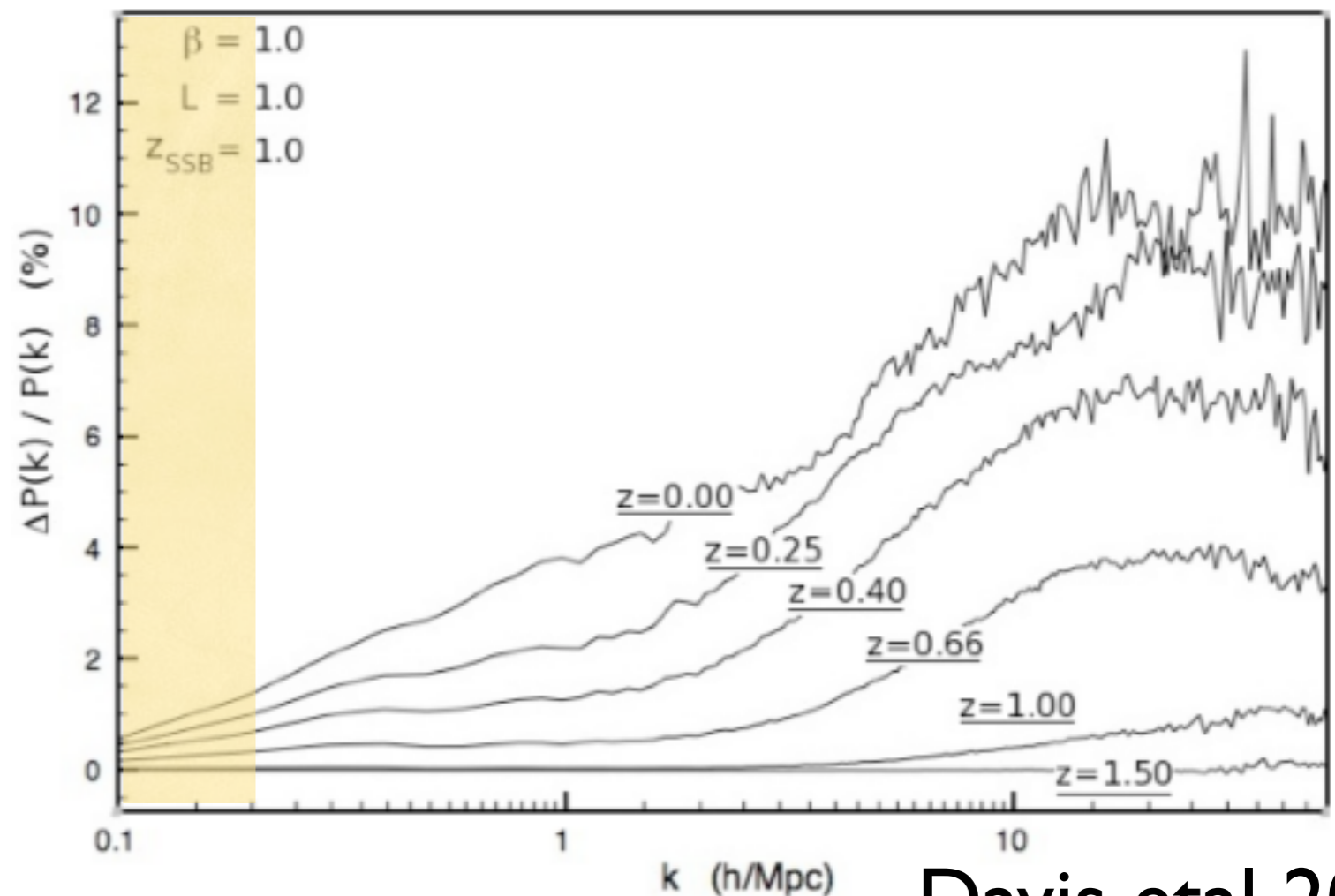


Percent level difference
at relevant scales and
redshifts

Isotropic Power
Spectrum not very
sensitive to information
in the velocity field

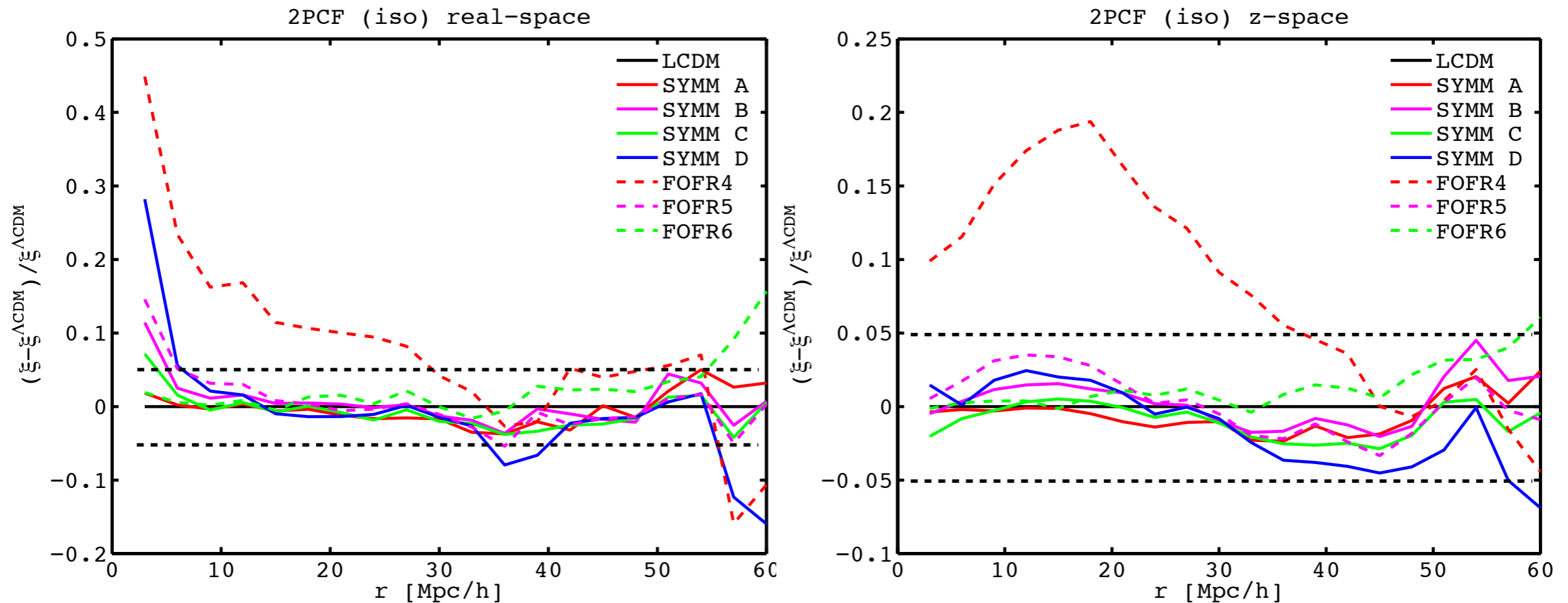
Look in redshift-space
using anisotropic
statistics?

Symmetron Power Spectrum



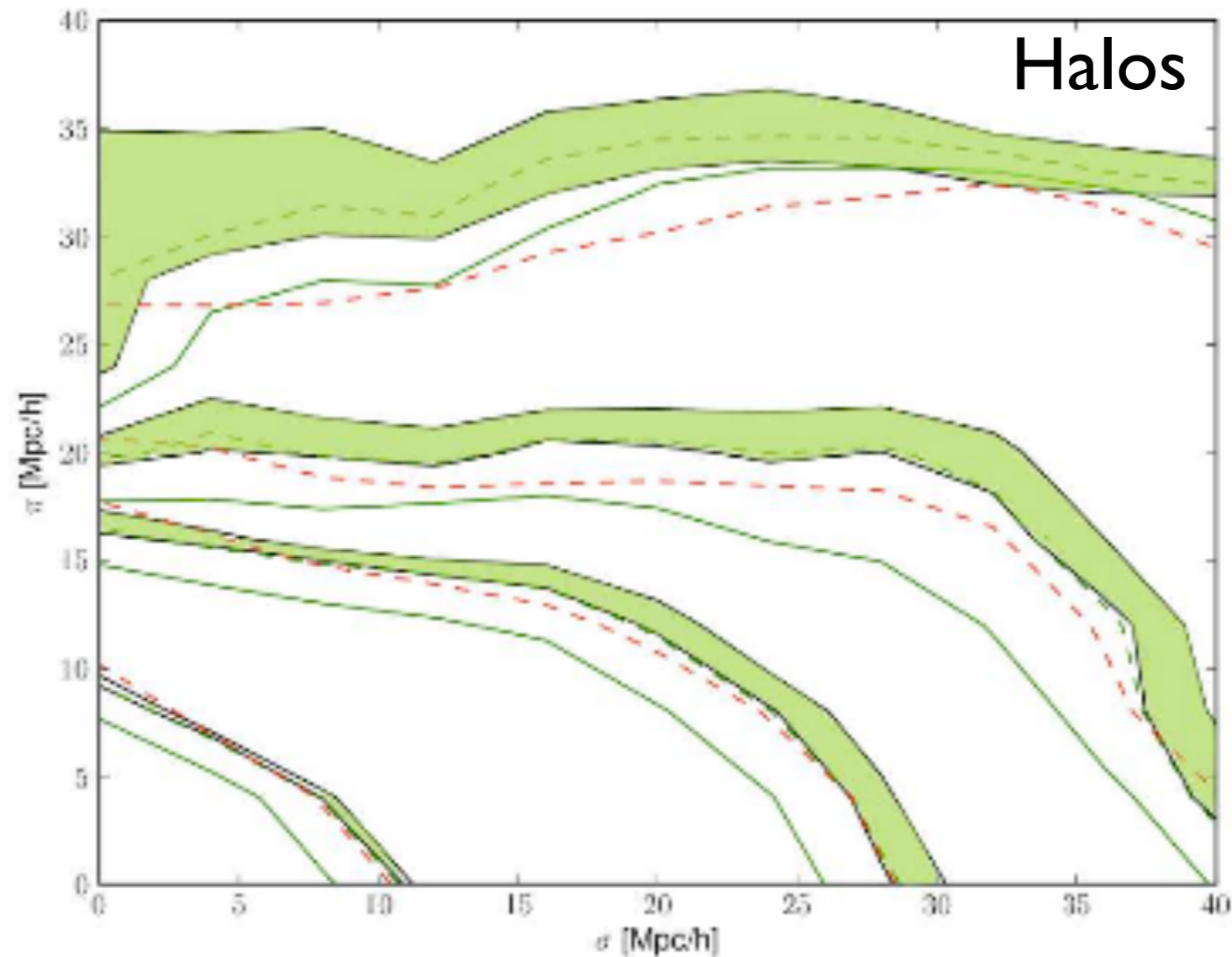
Davis et al 2011

Probing Scalar Field Theories in redshift-space



- Using iso-2PCF, more deviation from ΛCDM in redshift-space
- FOFR4 and SymmD models show largest difference $> \sim 5\%$
- Maybe we can investigate velocity effect more specifically....

Probing Scalar Field Theories in redshift-space



- In anisotropic proj again FOFR4 shows large variation in DM
- Halo clustering exhibits wider dispersion amongst models
- So what? Can we construct a smoking gun test? maybe...

Probing Scalar Field Theories in redshift-space



3-Point correlations (Fourier Dual of Bispectrum)

The complete statistical description of a field may require higher-order statistics,

$$\zeta(r_1, r_2, r_3) = \langle \delta_{gal}(r_1) \delta_{gal}(r_2) \delta_{gal}(r_3) \rangle$$

Probability of finding pairs/triplets of objects:

$$dP = n^3 (1 + \xi(r_1) + \xi(r_2) + \xi(r_3) + \zeta(r_1, r_2, r_3)) dV_1 dV_2 dV_3$$

The diagram shows three labels with arrows pointing to terms in the equation above:

- "random" points to the "1" term.
- "correlated pairs" has two arrows pointing to the $\xi(r_1)$ and $\xi(r_2)$ terms.
- "correlated triplets" has an arrow pointing to the $\zeta(r_1, r_2, r_3)$ term.

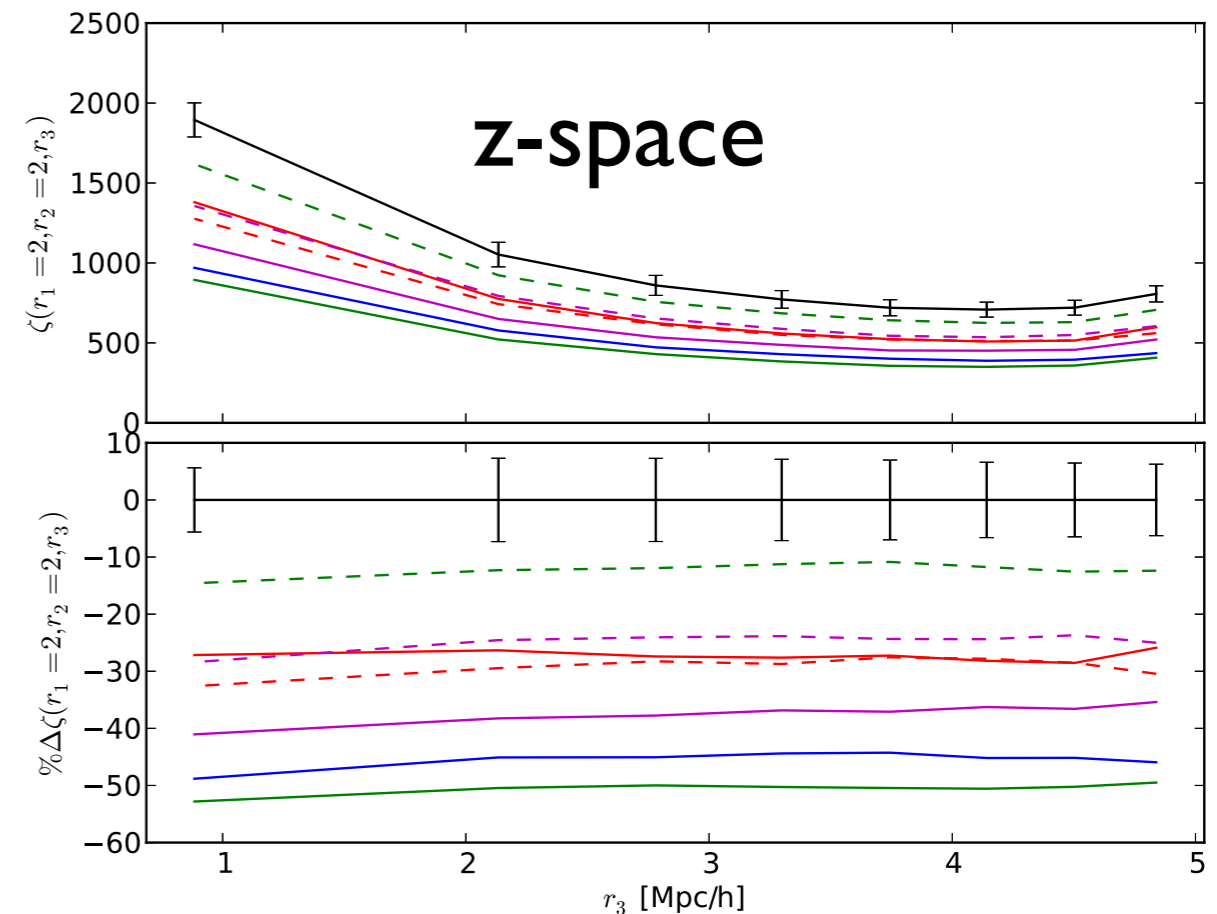
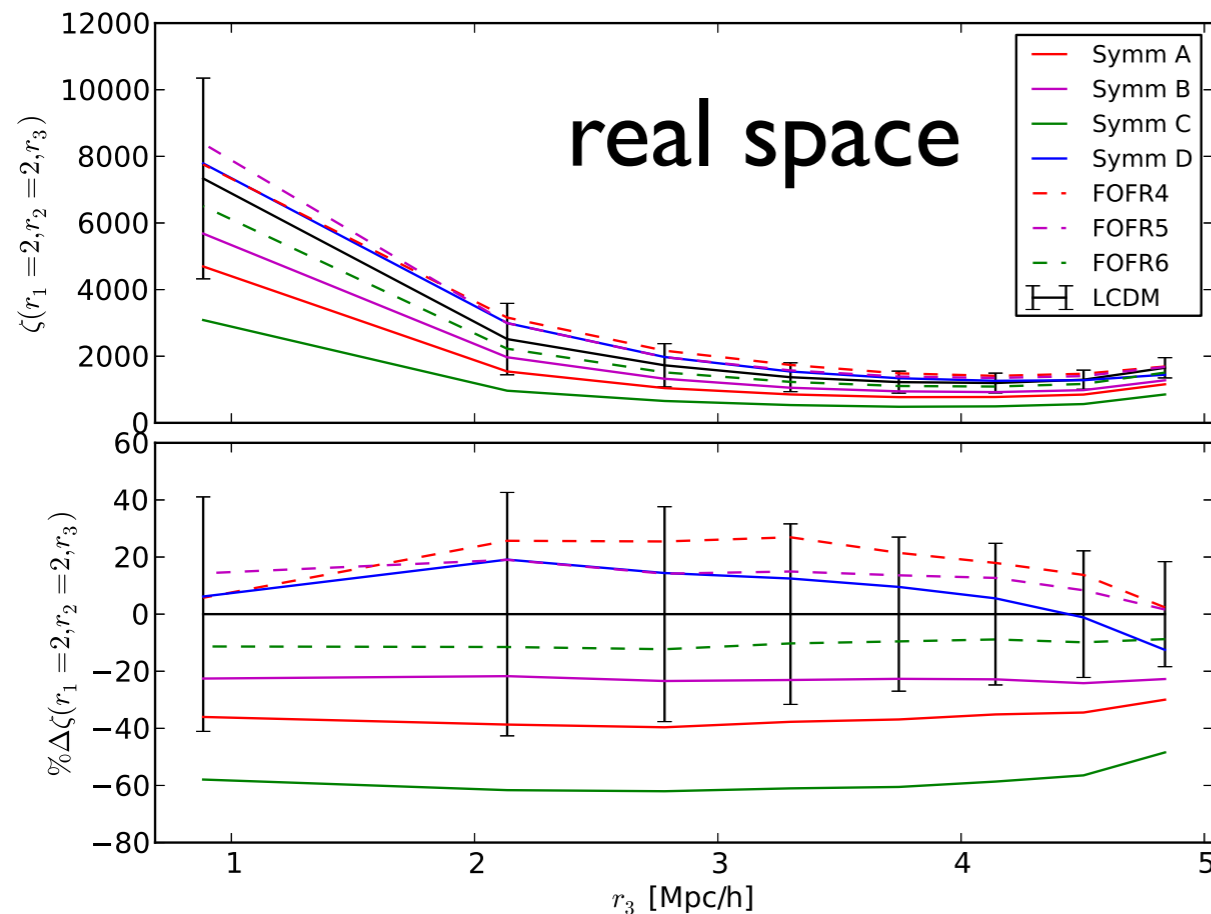
It's difficult to compute and cpu intensive...

Im developing a code to do this using MPI, kd-trees, and some other tricks: <https://bitbucket.org/csabiu/kstat>

Probing Scalar Field Theories in redshift-space



The 3pcf in various modified gravity simulations



Small scale clustering with $s=2, q=1$

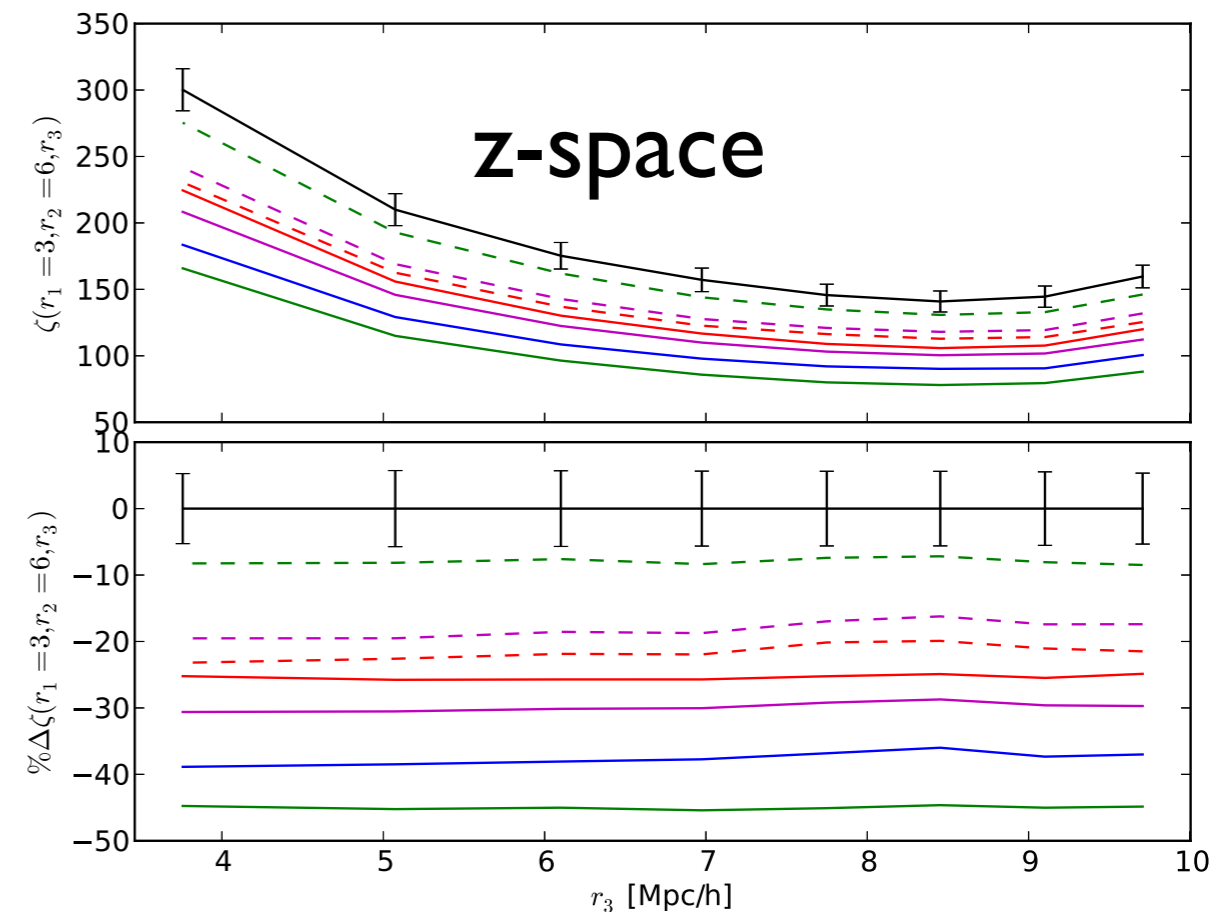
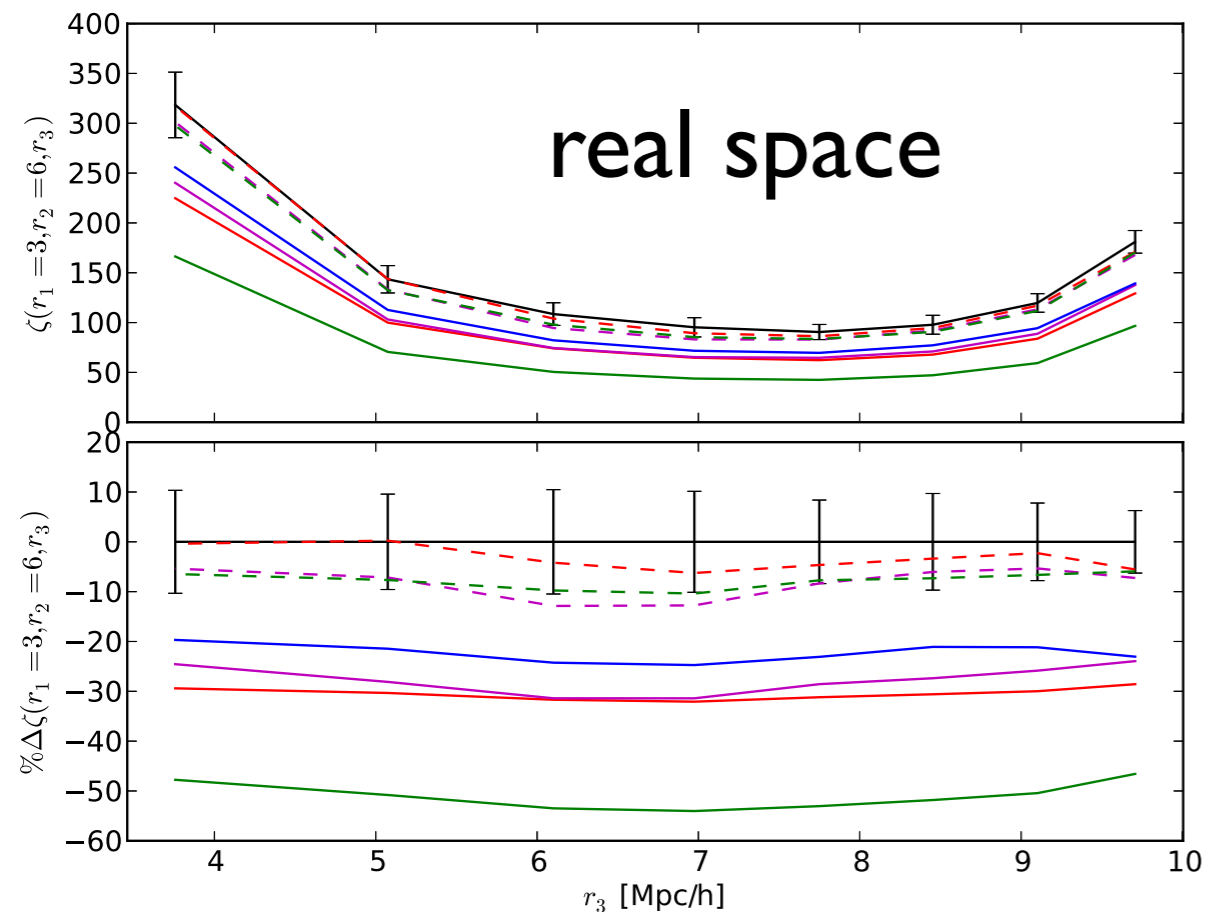
there is significant dispersion between models which suggest that the 3PCF is a more powerful probe of modified gravitational clustering.

The redshift space clustering tends to flatten the 3PCF, with FOFR4 displaying an extreme case of this.

Probing Scalar Field Theories in redshift-space



The 3pcf in various modified gravity simulations



larger configuration with $s=3, q=2$

Should appear in A&A soon...
arxiv:1603.05750

We wanted clean measurements of D_a and $H(z)$ as they are fundamental quantities that describe the geometry and evolution of the background universe.

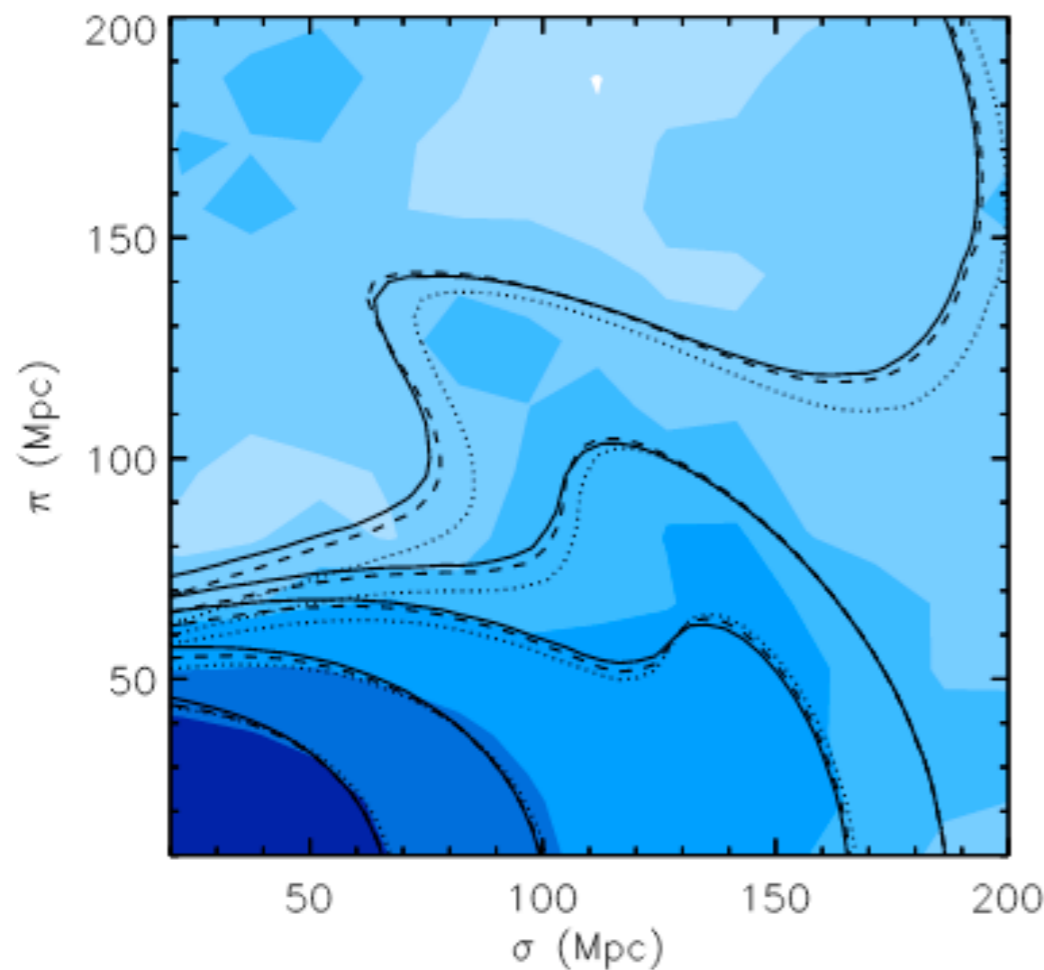
- we have shown that the clustering 'peaks' give us an unbiased constraint on these quantities

We hunted for mod. grav. induced variations in the velocity field and the local environment density...

- Measured the redshift-space clustering statistics
- Find deviations from Λ CDM above exp. error
- Although this is only a qualitative study so far, it is the 1st regarding redshift-space bispectra/3PCF in modified gravity.

Testing Cosmology

Constraints on $f(R)$ modified gravity from SDSS BOSS

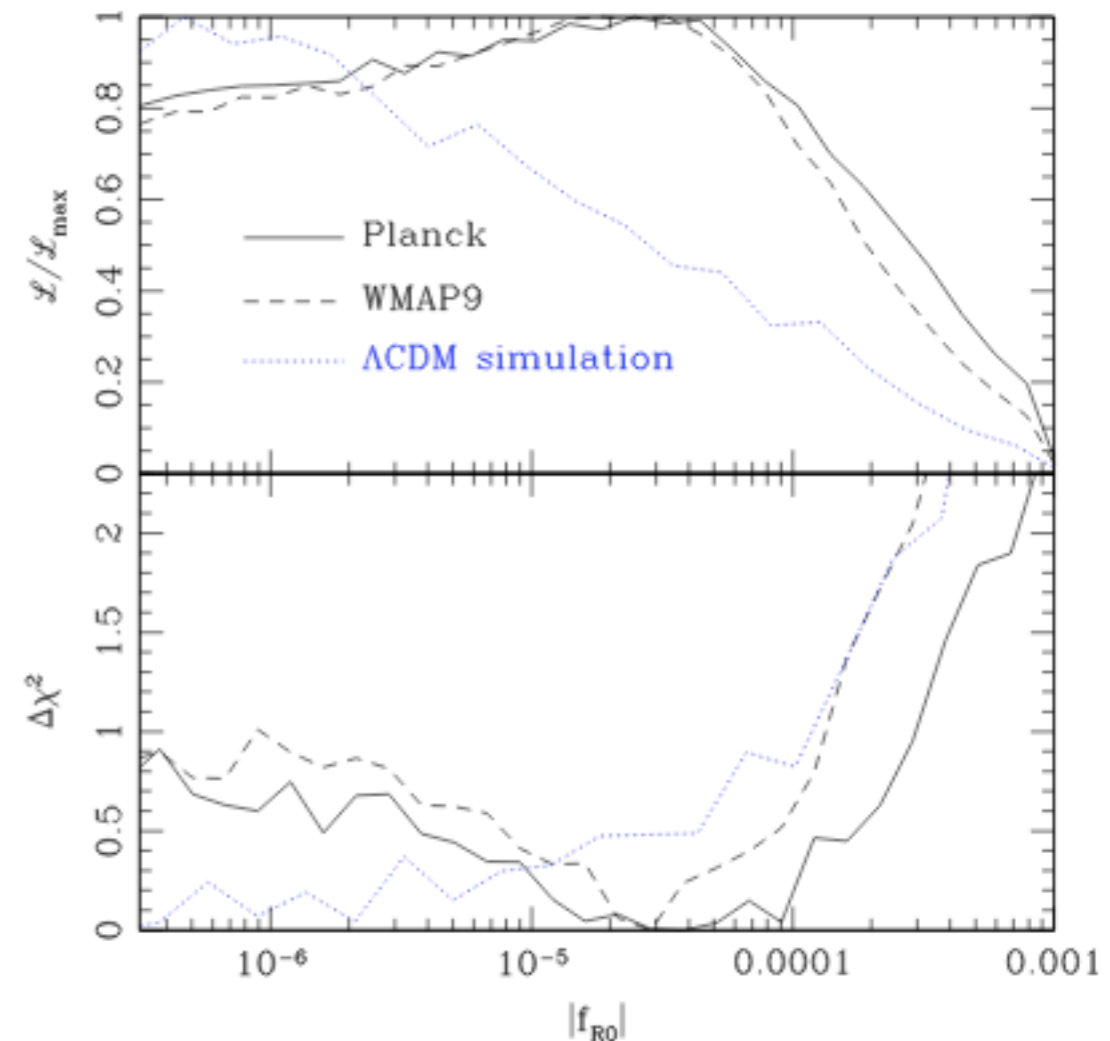


Filled contours - DR11 data
Solid line - LCDM best fit
Dashed - $|f_{R0}|=3.2 \times 10^{-5}$
Dotted - $|f_{R0}|=3.0 \times 10^{-4}$

No preference for $f(R)$ over pure GR+LCDM

But future data may say more...

Song, et al (2015)
[arXiv:1507.01592](https://arxiv.org/abs/1507.01592)



Survey Sources



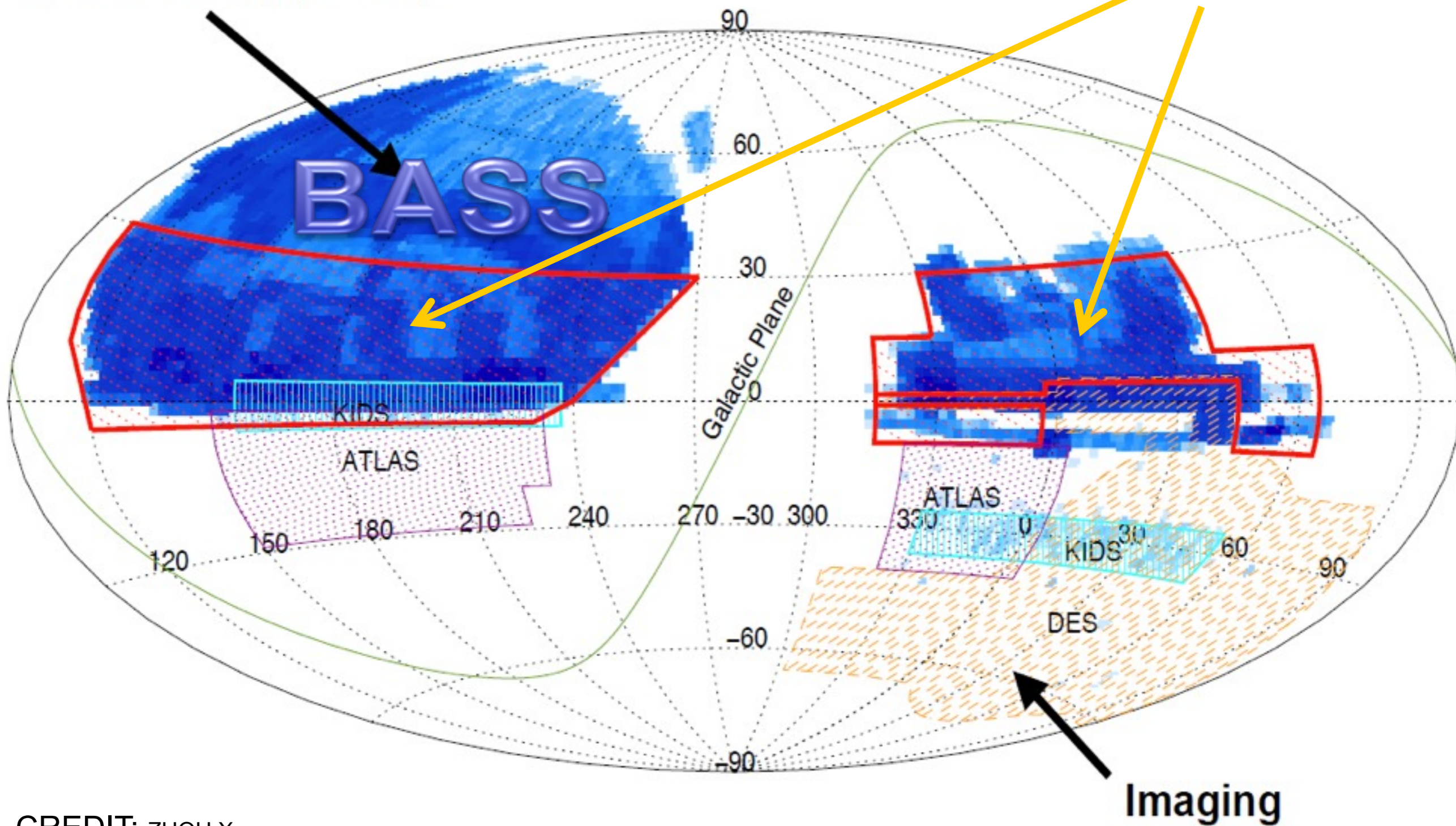
- **South:**
 - 6200 sq. deg. of SDSS footprint south of $\text{dec}=+30$ and excluding areas covered by DES, plus 500 sq. deg. from DES
 - Allocated 65 nights with Blanco/DECam in 2014B-2017A
 - g, r, z-bands
 - First public data release DR1 on March 18, 2015
- **North:**
 - Bok Telescope using 90Prime instrument
 - 5500 sq. deg.
 - Survey started
 - g, r-bands
 - Mayall 4m using Mosaic 3 instrument
 - Focal plane upgrade to Mosaic 1.1 instrument (from CTIO)
 - 5500 sq. deg. to start in 2016
 - z-band
- **Combined imaging: $g=24.0$, $r=23.6$, $z=23.0$**
(compare to SDSS $g=22.2$, $r=22.2$, $z=20.5$)

Survey Area



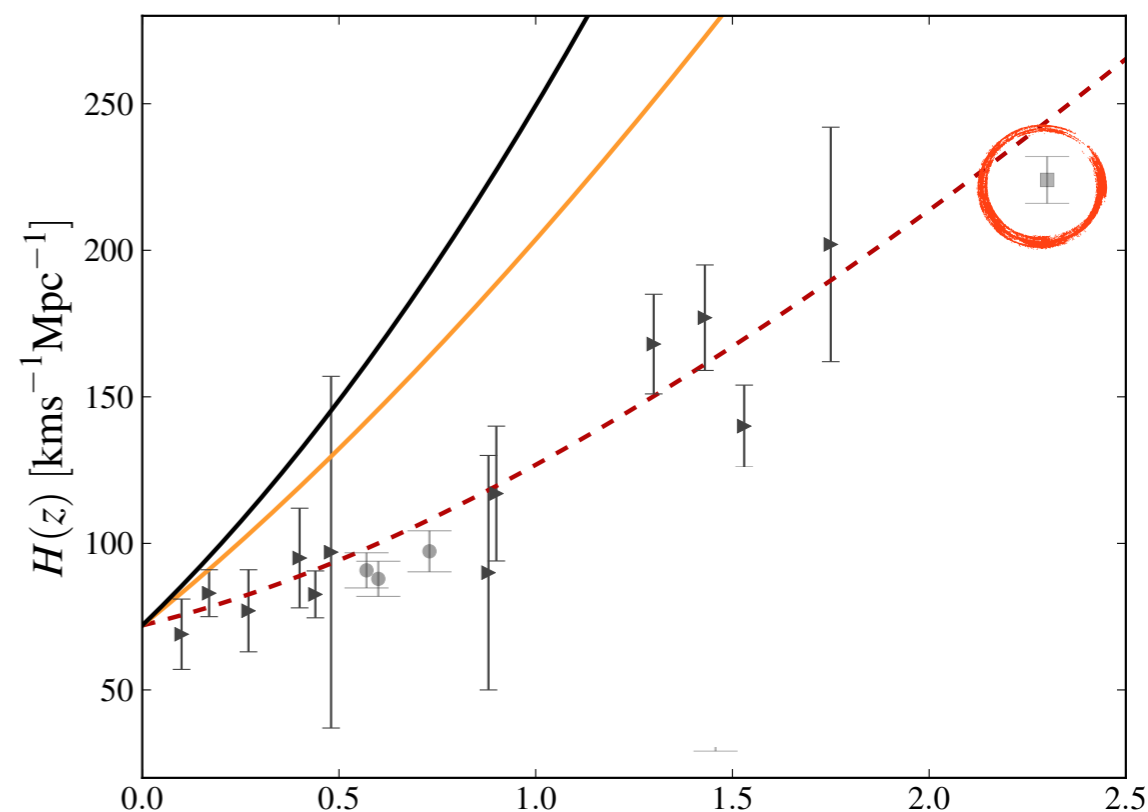
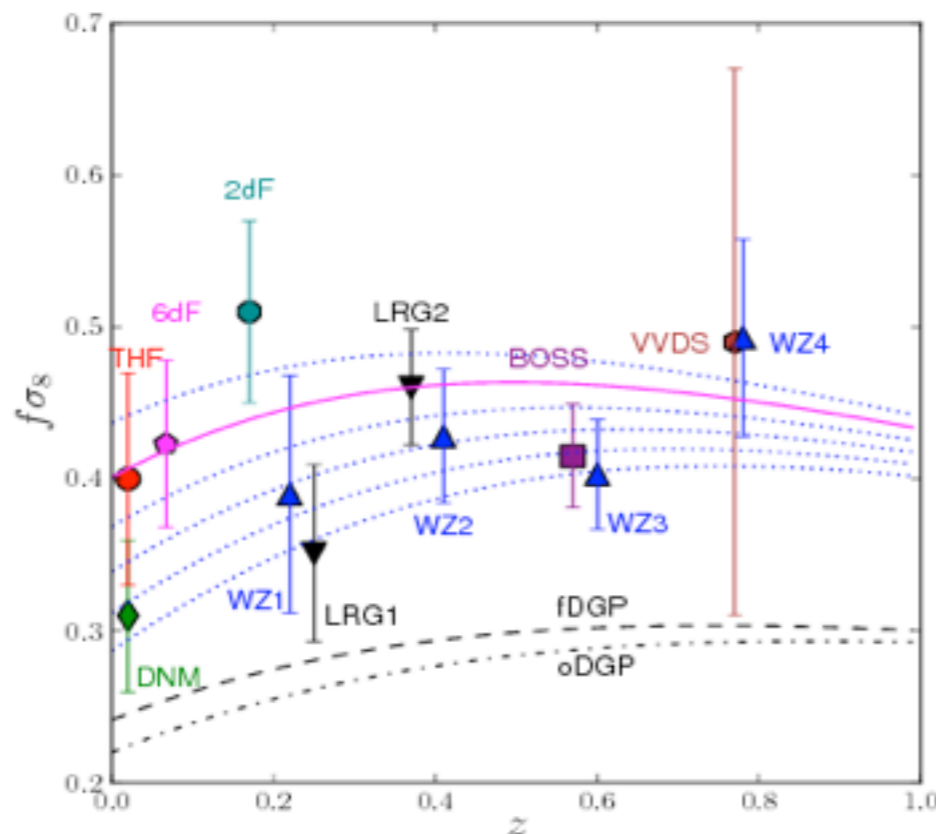
Spectroscopy (SDSS)

DECam



CREDIT: ZHOU Xu

Where are we?



What we want....

Model independent measurements of Growth Rates and fundamental metric quantities like a , \dot{a} , $H(z)$, D_A - at various redshifts or cosmic times

We are pushing to higher redshift and reducing errorbars and trying to remove model dependences from our analysis, but it's not easy.

