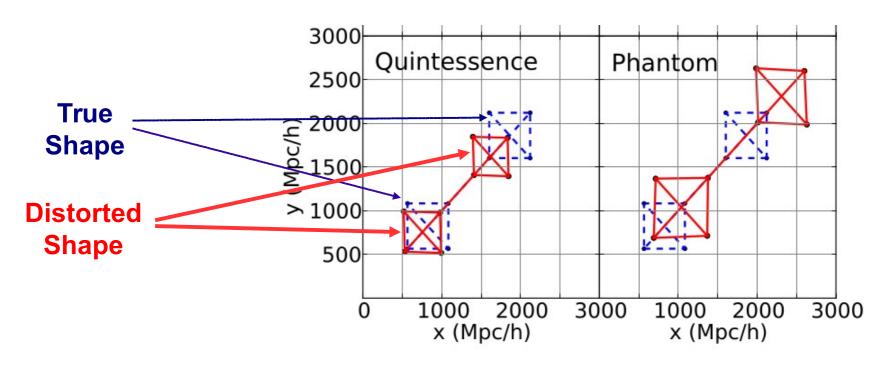
# Cosmological Constraints from the Redshift Dependence of the Alcock-Paczynski Effect

KASI, April 8. 2016

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WITH Changbom Park &
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Donald P. Schneider, Juhan Kim, Sungwook Hong

# The Alcock-Paczynski Test



Viewpoint from ΛCDM observer

## Incorrect cosmology $\rightarrow$ apparent distortion

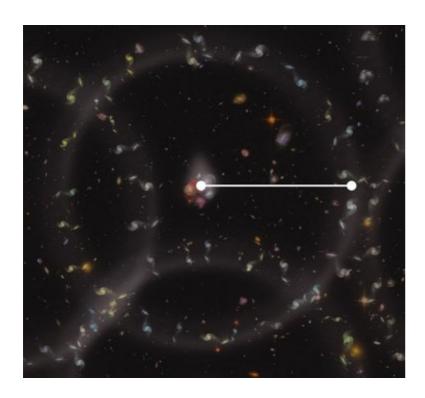
$$\Delta r_{\parallel} = \frac{c}{H} \Delta z, \quad \Delta r_{\perp} = (1+z) D_A(z) \Delta \theta$$

#### **Attention: distortion evolves with redshift**

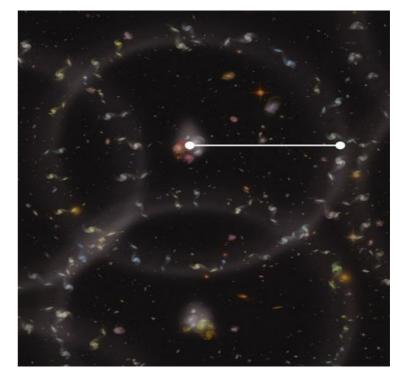
## AP test from Clustering of Galaxies

Ballinger et al. 1996; Matsubara & Suto 1996

Applications: 2dFGS; WiggleZ; SDSS-II; SDSS-III; ...

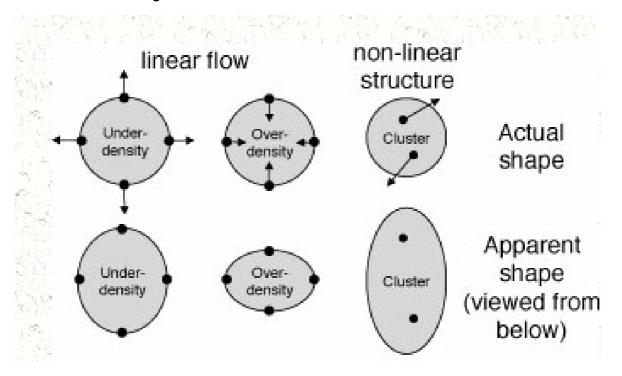


Isotropic clustering in true universe



Anisotropic clustering in incorrect cosmologies

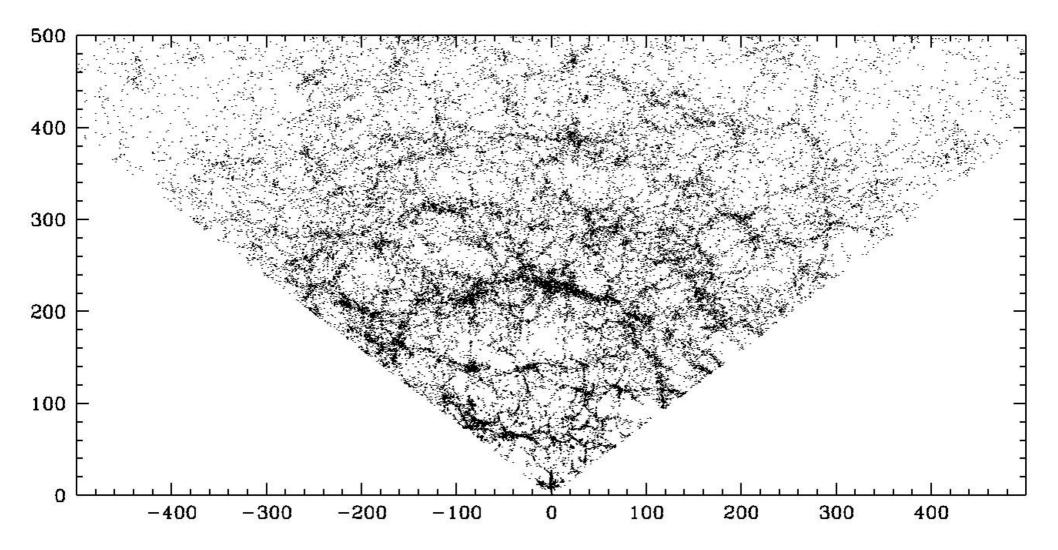
# The great difficulty of RSD



 Redshift Space Distortion (RSD) produces distortions much more significant than AP

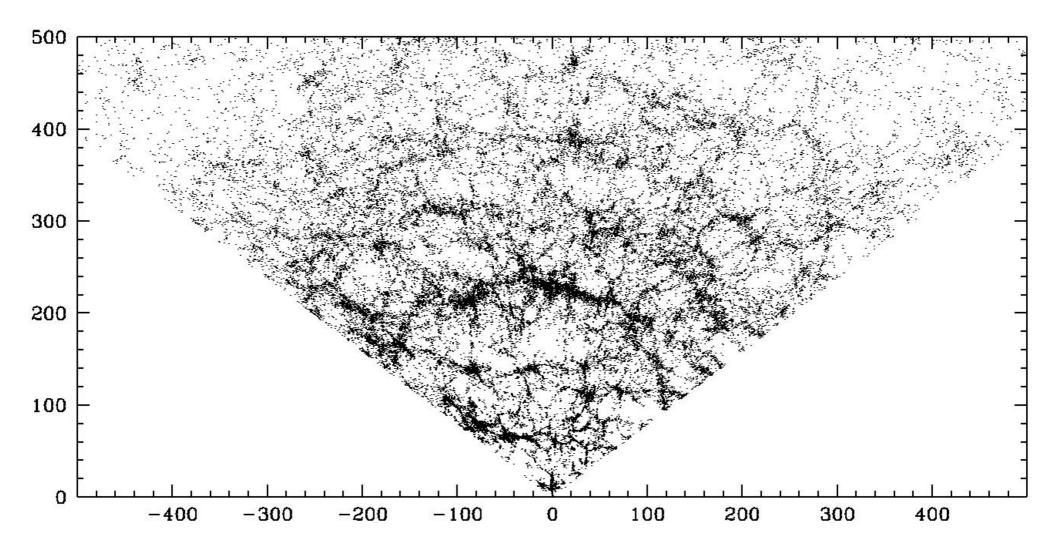
$$r = \int_0^{z_{\text{cosmo}} + \Delta z} \frac{dz'}{H(z')}, \ \Delta z = \frac{v_{\text{LOS}}}{c} (1 + z_{\text{cosmo}})$$

- Difficult to overcome (clustering in NL;... headache)



#### Galaxy distribution in real space

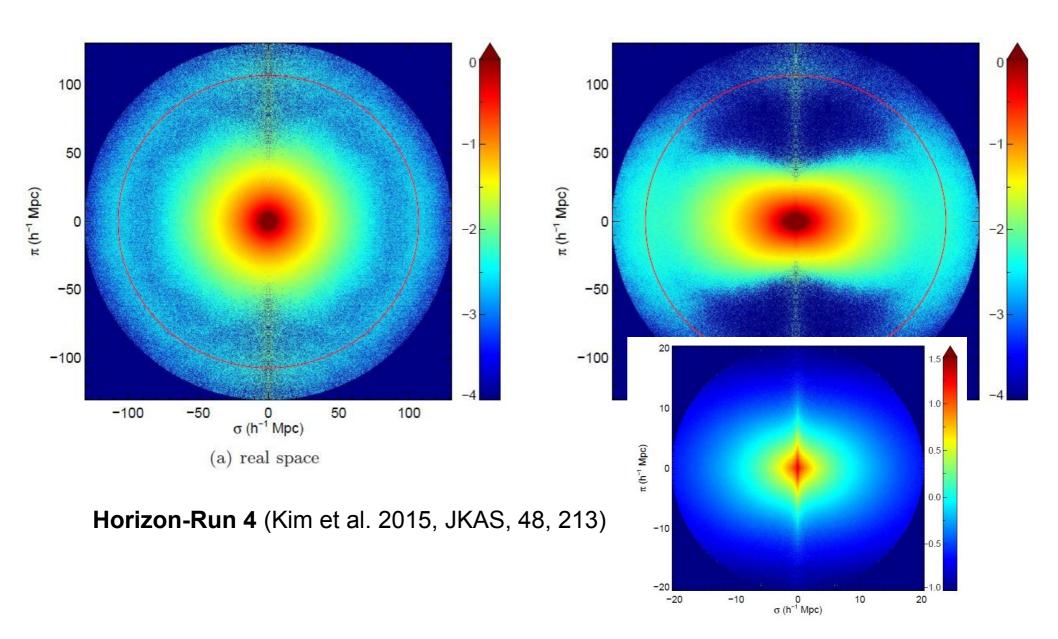
SDSS DR7 after FoF contraction. 8.8h<RA<15.7h, 0<DEC<6deg



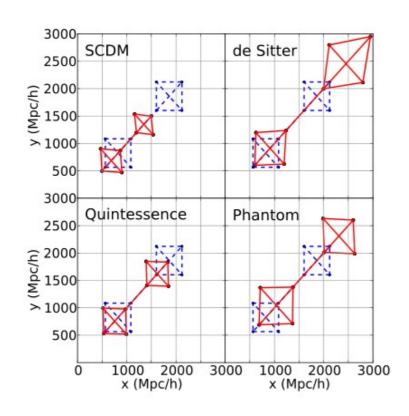
#### Galaxy distribution in redshift space

SDSS DR7 before FoF contraction. 8.8h<RA<15.7h, 0<DEC<6deg

## Redshift-space distortion effects on 2-point correlation function along $(\pi)$ & across $(\sigma)$ LOS

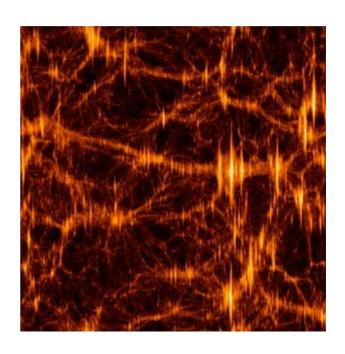


## Our solution: the redshift evolution





Distortion of shape depends on z systematically



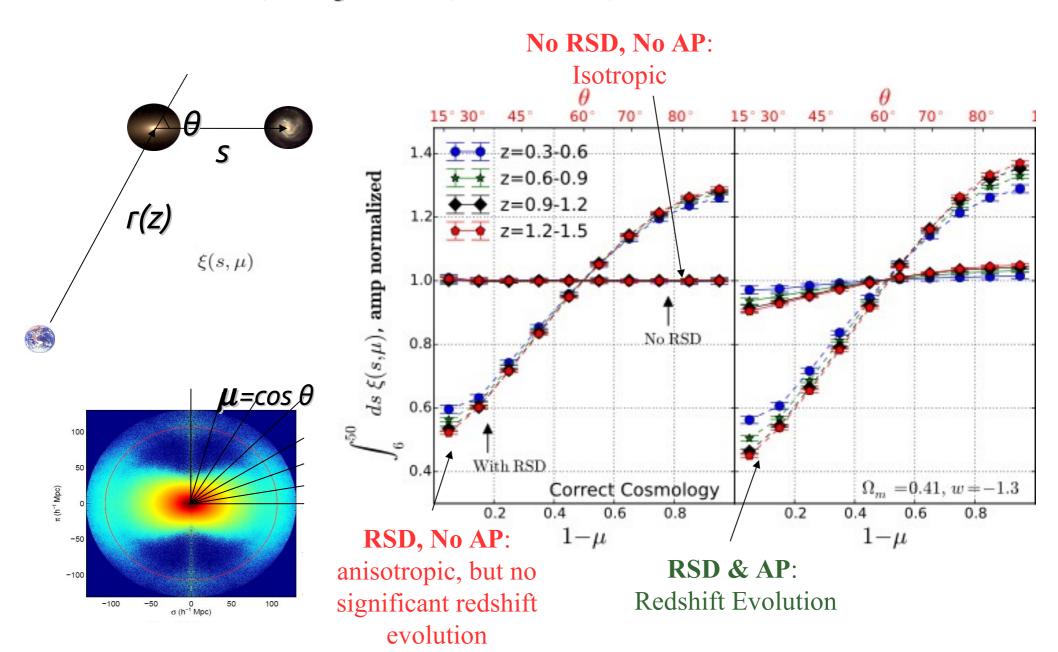
**RSD Effect** 

Kaiser effects on large scales and FoG effects on small scales

(~independent of redshift)

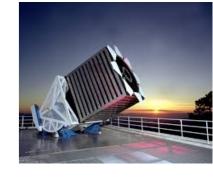
## Proof-of-concept on simulations (anisotropic 2pCF)

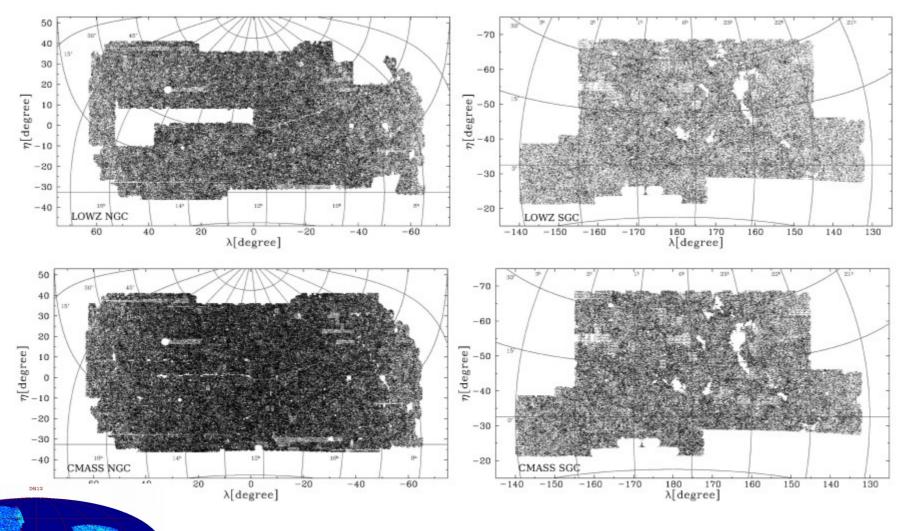
X.-D. Li, Changbom Park, Cris G. Sabiu, Juhan Kim 2015 MNRAS



# **Application to BOSS DR12 galaxies**

X.-D. Li, Changbom Park, C.G. Sabiu, et al., to appear





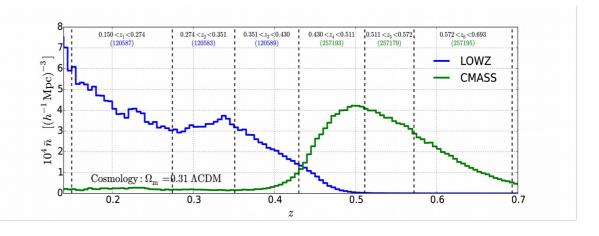
LOWZ 8,337 deg  $^2$  . CMASS 9,376 deg  $^2$  (~1/4 sky) ~1.13 M gals at  $0.15 \le z \le 0.7$ 

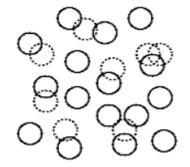
# **Systematics**

- 1. Redshift evolution of RSD (next order effect, but still not negligible)
- 2. Redshift evolution of gal bias (related with RSD)



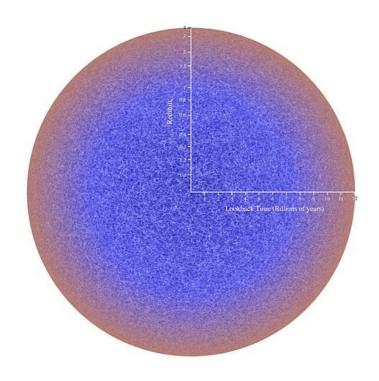
- 3. Angular selection function
- 4. Radial selection function (incomplete LF coverage)
- 5. Fiber collision (high-density regions under-sampled)





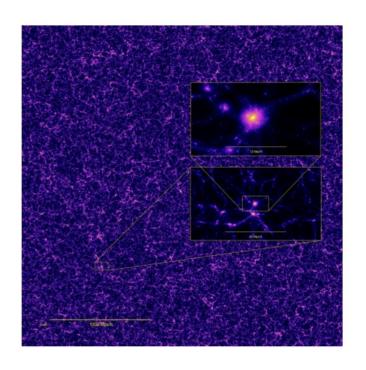
We create mock surveys to model the sys and estimate the covariance

## Horizon run N-body



HR3 (Kim et al. 2012)  $(10.815 h^{-1} \text{ Gpc})^3$   $7120^3 \text{ particles}$ WMAP5 Cosmology

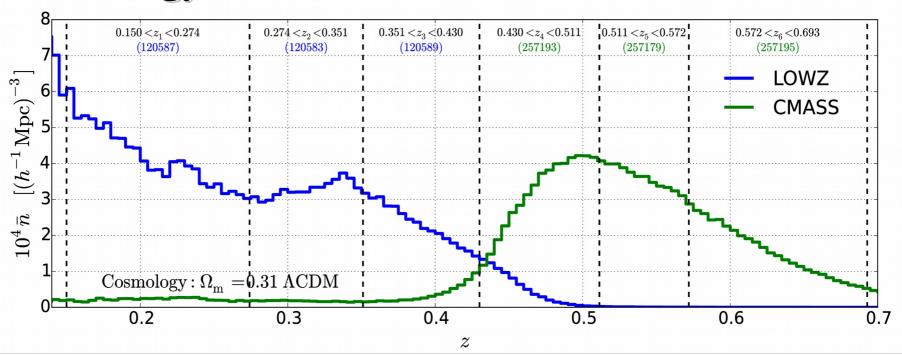
27 all-sky mock surveys (for cov)



HR4 (Kim et al. 2015)  $(3.15h^{-1} \text{ Gpc})^3$   $6300^3 \text{ particles}$ WMAP5 Cosmology

1 all-sky mock survey (for sys)

Methodology



#### Split CMASS & LOWZ into 3 redshift bins

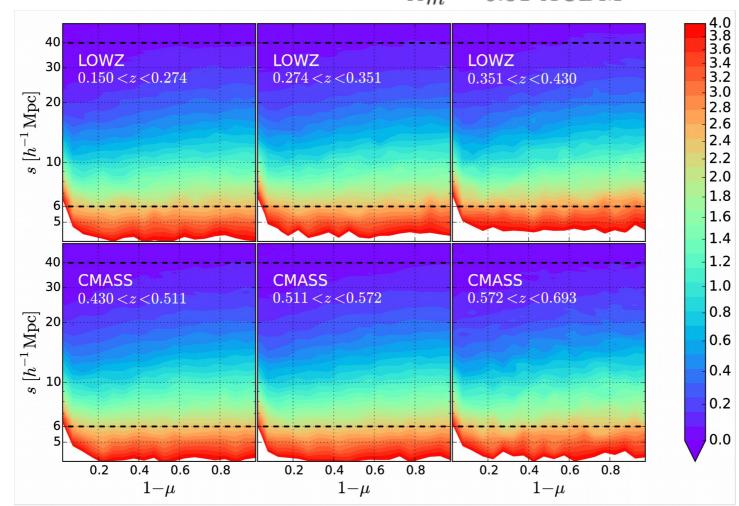
- 1. Adopt a r(z) [in some cosmology] and construct 3D position of galaxies
- 2. Measure  $\xi(s, \mu)$  in each z-bin
- 3. Quantify the evolution [ $\xi$  from 5 high-z bins compared to the lowest redshift] Wrong Cos.  $\rightarrow$  Large redshift evolution  $\rightarrow$  Disfavored
- 4. Try different cosmologies and repeat 1-3 → Cosmological Constraints

  Sys Correction [redshift evolution coming from those other than AP]: HR4

  Covariance Matrix: HR3

## 2-d 2pCF in six redshift bins

 $\Omega_m = 0.31 \text{ }\Lambda\text{CDM}$ 



FOG at  $1 - \mu \rightarrow 0$  and Kaiser at  $1 - \mu > 0.1$ Similar to each other: Small redshift evolution of RSD

# 1-d 2pCF as a function of angle

We follow the procedure of Li et al. (2015) and integrate the  $\xi$  over the interval 6 Mpc/h < s < 40 Mpc/h We evaluate

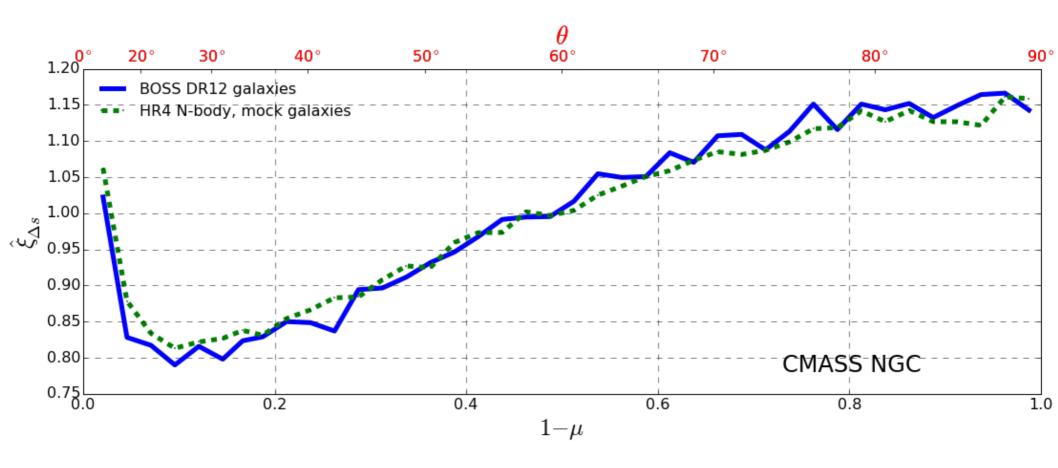
$$\xi_{\Delta s}(\mu) \equiv \int_{s_{\min}}^{s_{\max}} \xi(s,\mu) \; ds.$$
 Focus on angular dependence

The redshift evolution of the bias of observed galaxies leads to redshift evolution of the strength of clustering, which is difficult to accurately model. To mitigate this systematic uncertainty we rely on the shape of  $\xi_{\Delta s}(\mu)$ , rather than its amplitude,

$$\hat{\xi}_{\Delta s}(\mu) \equiv \frac{\xi_{\Delta s}(\mu)}{\int_0^{\mu_{\text{max}}} \xi_{\Delta s}(\mu) \ d\mu}.$$
 Normalizing the amplitude; focus on shape of anisotropy

[avoid sys from gal bias]

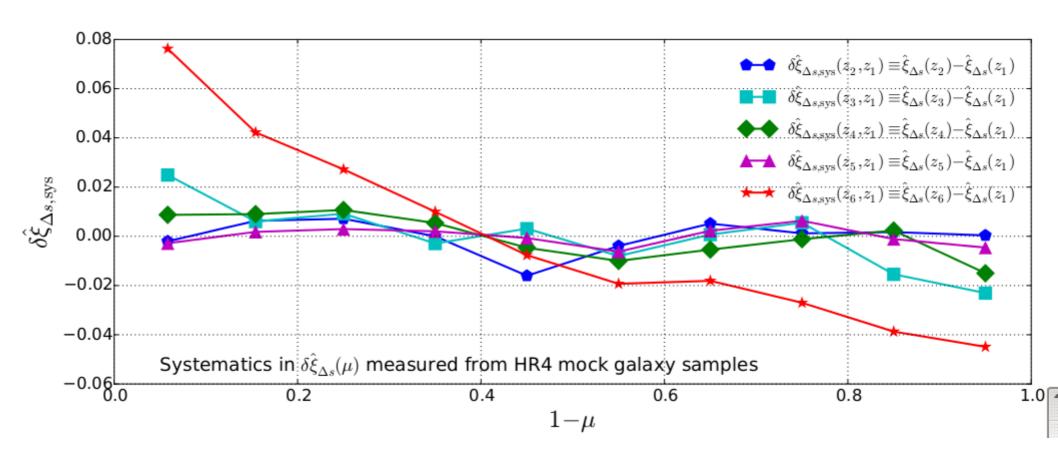
## **Observation VS Simulation**



HR4 mock (green) reproduces observation (blue) very well

# **Estimating systematic**

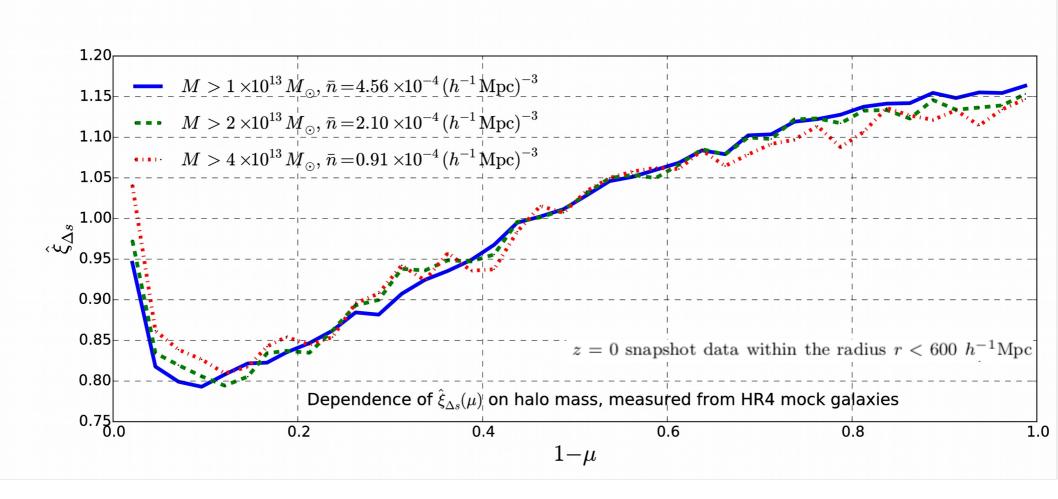
$$\delta \hat{\xi}_{\Delta s}(z_i, z_1, \mu_j) \equiv \hat{\xi}_{\Delta s}(z_i, \mu_j) - \hat{\xi}_{\Delta s}(z_1, \mu_j)$$



#### Redshift evolution from RSD, and so on

- Small in most redshift bins
- Relative large in the 6<sup>th</sup> bin but still correctable

# Check systematics from gal bias

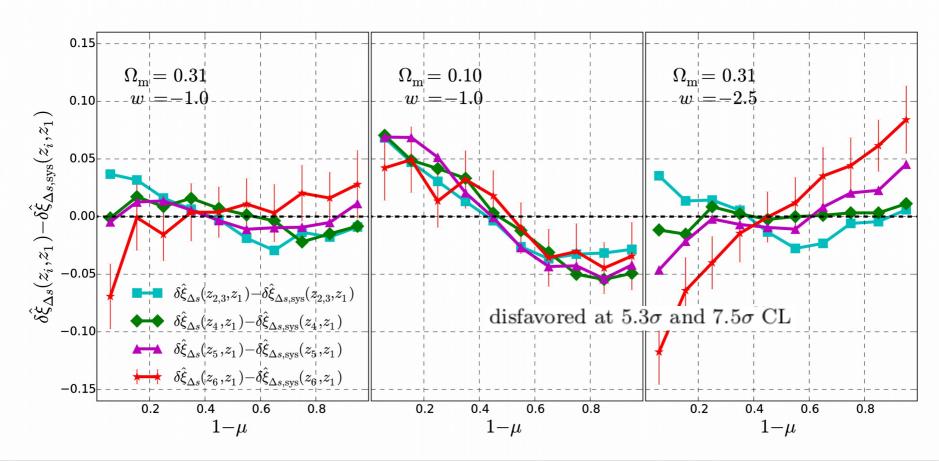


Considering the large variation of M, systematics not significant

# **Seeing AP**

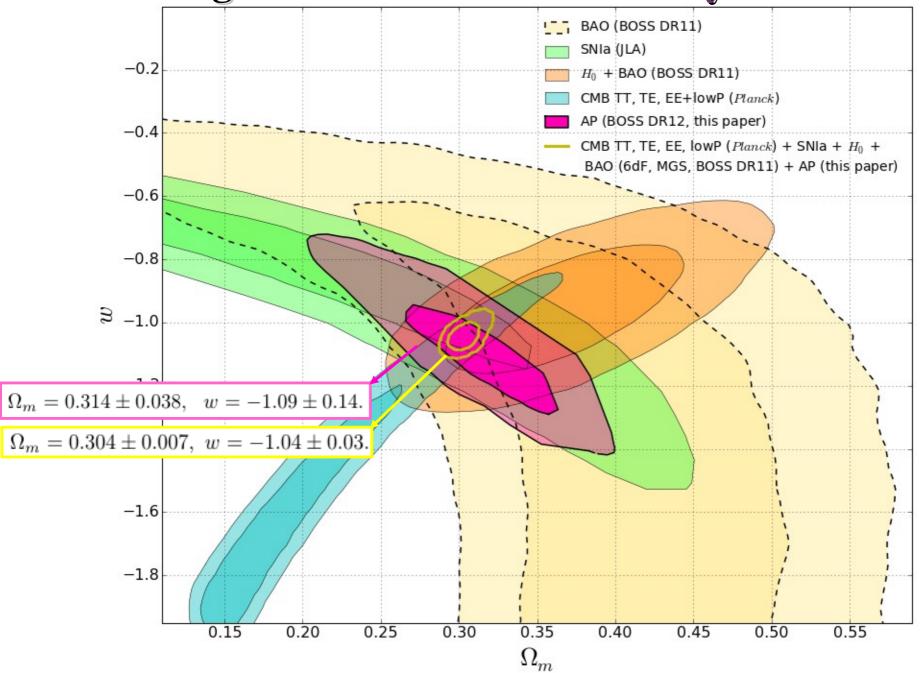
$$\delta \hat{\xi}_{\Delta s}(z_i, z_1, \mu_j) \equiv \hat{\xi}_{\Delta s}(z_i, \mu_j) - \hat{\xi}_{\Delta s}(z_1, \mu_j)$$

Evolution wrt lowest redshift; sys corrected

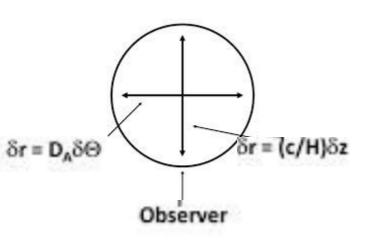


Redshift evolution from AP detected at high CL

# Cosmological constraint: Looks Very Good!



# Comparing the different probes of geometry



**BAO**:  $D_A(z)/r_d$ ,  $H(z)*r_d$ 

 $\mathbf{AP}$ :  $\mathbf{D}_{\mathbf{A}} * \mathbf{H}(\mathbf{z})$ 

SNIa: DL(z)

Our:  $d D_A *H(z) / dz$ 

- \* Simple idea, successfully overcoming RSD
- \* Enter small scales (6 40 Mpc/h) difficult for most techniques
  - A lot of information encoded in small-scale clustering!
- \* Independent from others (combinable)

## **Concluding Remarks**

Redshift dependence of AP from BOSS DR12

- Overcoming RSD through the redshift dependence
- Seems powerful: better than SNIa, BAO
- Complementary to BAO, RSD, WL, Clusters, Topology, ...
  - Combining them to fully explore the physics in LSS
- Promising
  - Future surveys such as eBOSS, EUCLID, DESI have larger sample sizes and wider redshift coverage

